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Jiang-Hao Yu

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Hidden Gauged $U(1)$ Model: Unifying Scotogenic Neutrino and Flavor Dark Matter

Jiang-Hao Yu^{1,*}

¹*Amherst Center for Fundamental Interactions, Department of Physics,
University of Massachusetts-Amherst, Amherst, MA 01003, U.S.A.*

In both scotogenic neutrino and flavor dark matter models, the dark sector communicates with the standard model fermions via Yukawa portal couplings. We propose an economic scenario that scotogenic neutrino and flavored mediator share the same inert Higgs doublet and all are charged under a hidden gauged $U(1)$ symmetry. The dark Z_2 symmetry in dark sector is regarded as the remnant of this hidden $U(1)$ symmetry breaking. In particular, we investigate a dark $U(1)_D$ (and also $U(1)_{B-L}$) model which unifies scotogenic neutrino and top-flavored mediator. Thus dark tops and dark neutrinos are the standard model fermion partners, and the dark matter could be inert Higgs or the lightest dark neutrino. We note that this model has rich collider signatures on dark tops, inert Higgs and Z' gauge boson. Moreover, the scalar associated to the $U(1)_D$ (and also $U(1)_{B-L}$) symmetry breaking could explain the 750 GeV diphoton excess reported by ATLAS and CMS recently.

I. INTRODUCTION

The existence of neutrino masses and dark matter (DM) has been solidly confirmed by numerous observational data. The observation of neutrino oscillations provide evidence of non-zero neutrino masses, which cannot be explained within the standard model (SM). Various cosmological observations show that dark matter forms approximately 25% of the composition of the universe. Therefore, both massive neutrinos and dark matter provide us very strong motivations to extend the SM.

Interestingly, it is possible that both neutrino masses and dark matter come from the same new physics at the TeV scale. One simple and elegant realization of this idea is the scotogenic neutrino model [1–3]¹. Similar to typical seesaw models, three right-handed neutrinos (RHNs) are introduced in this model. However, a Z_2 parity is imposed on the RHNs to forbid Yukawa interactions for neutrinos at the tree-level. An inert Higgs doublet H' [1, 5] is also added to provide the Yukawa coupling of the RHNs and the lepton doublets. Neutrino masses are radiatively generated via one-loop diagrams at the TeV scale, and the lightest neutral Z_2 -odd particle is the DM candidate. In this model, the dark sector includes RHNs, and an inert Higgs doublet. And the dark sector communicates with the SM through its Yukawa coupling to the SM lepton doublets.

In another classes of dark matter models, the so-called flavored dark matter [6–12] and flavor portal dark matter [13–15], the dark sector has the similar dark fermions and similar Yukawa interactions as the scotogenic neutrino model. In flavor portal dark matter models, the dark sector includes a dark particle which carries the same hypercharge as the SM fermions, and a dark matter candidate. The dark sector communicates with the

SM via similar Yukawa coupling to the SM fermions. Depending on the SM fermion flavor, it could be lepton flavor, quark flavor, and top flavor, etc. In this sense, the scotogenic neutrino model could be treated as a neutrino portal dark matter.

Therefore, it is natural to combine the two classes of models into a single framework. It is economic to introduce one inert Higgs doublet H' for both lepton Yukawa and quark Yukawa couplings. In general, each flavor could have an $SU(2)_L$ singlet dark partner: T , B , N , E , which are parity-odd under a dark Z_2 symmetry. The relevant Lagrangian can be written as

$$\mathcal{L}_{\text{Yuk}} \simeq y_T \bar{q} \tilde{H}' T + y_B \bar{q} H' B + y_N \bar{\ell} \tilde{H}' N + y_E \bar{\ell} H' E + h.c., \quad (1)$$

where q and ℓ are SM quark and lepton doublets. Note that the four terms in the Lagrangian corresponds to the top-flavor portal, bottom-flavor portal, neutrino-portal and lepton-portal models. Of course, the neutrino-portal term is the Yukawa term in scotogenic neutrino model.

To further provide a unified framework, we introduce a gauged $U(1)$ symmetry in the dark sector. This is similar to the gauged scotogenic neutrino models [16–19]. The dark fermions T , B , N , E are charged under the gauged $U(1)$ symmetry, and SM fermions may or may not carry hidden $U(1)$ charge. Cancellation of the gauge anomaly determines the numbers of dark fermions and their quantum numbers. Interestingly, after hidden $U(1)$ symmetry breaking, the dark Z_2 parity is still exact. Thus the Z_2 symmetry can be viewed as the remnant of the symmetry breaking, which is referred as gauged discrete symmetry [20, 21].

In particular, we investigate a hidden $U(1)$ model which only incorporates the up-type dark fermions: T , N , and assumes the down-type dark fermions B , E are very heavy and thus decoupled². Thus this model shares

* jhyu@physics.umass.edu

¹ There are other radiative neutrino models [4] with dark matter candidate.

² It is straightforward to extend our model to include non-decoupled down-type dark fermions. The light down-type dark fermion could enhance the 750 GeV diphoton signature.

the common feature of the scotogenic neutrino and top flavor portal dark matter [12]. In the original scotogenic neutrino model, if the DM candidate is the neutral component of the inert Higgs, most of the DM mass regions are excluded by the tension between required DM relic density and direct detection searches [1, 2]. However, due to top favor Yukawa coupling in our hidden $U(1)$ model, this option becomes viable in this model. This hidden $U(1)$ can be identified as a dark $U(1)_D$ in which only dark particles carry $U(1)_D$ charge, or $U(1)_{B-L}$ gauge symmetry. In the $U(1)_D$ case, we introduce a Dirac type dark neutrino (N_L, N_R), which is different from the dark neutrinos in typical gauged scotogenic neutrino models [16–18]. Furthermore, in the gauged scotogenic neutrino models [16–18], the associated Z' is very hard to be produced at the LHC. In this model, the Z' could be easily produced via gluon fusion and subsequently decay exotically. More interestingly, compared to the scotogenic neutrino and flavor portal DM model alone, there are richer collider and DM phenomenologies in this unified framework. We will address the collider signatures by considering the scalar s in the model as the candidate for 750 GeV diphoton resonance reported by both the ATLAS and CMS recently.

This paper is organized as follows. In Sec. II, we discuss the mass spectrum (including radiative neutrino masses) in the hidden $U(1)_D$ model, and comment on the $U(1)_{B-L}$ model. In Sec. III, possible dark matter candidate are discussed and its relic density and direct detection rate are calculated. In Sec. IV, collider signatures of the dark sector particles are addressed. Then we discuss the possibility to explain the 750 GeV diphoton excess using the singlet scalar s in the model in Sec. V. Finally we conclude this paper.

II. THE MODEL

We consider that the dark sector is gauged under a hidden $U(1)_H$ gauge symmetry. A discrete Z_2 symmetry in the dark sector is a residue symmetry of this $U(1)_H$ symmetry breaking. Specifically, the dark sector incorporates up-type singlet fermions: heavy neutrino N and heavy top T . Implementing the down-type singlet dark fermions is very similar to the up-type T s. Here we assume they are much heavier and thus decoupled. To connect the above dark fermions with SM particles, a second doublet H' is introduced as an inert Higgs. To be free of gauge anomaly, the dark fermions needs to assign appropriate quantum numbers. We present two possible charge assignments as follows:

- All SM particles are not charged under $U(1)_H$, which is referred as gauged $U(1)_D$. Two heavy tops T, T' and one Dirac neutrino N are needed to cancel gauge anomaly. Here the Dirac heavy neutrino (N_L, N_R) are different from the setup in Ref. [16–18].

- The SM quark and leptons are charged under $U(1)_H$ with quantum numbers $\frac{1}{3}$ and -1 , which is also referred as gauged $U(1)_{B-L}$. Two heavy tops T, T' and one Majorana neutrino N_R are needed to cancel gauge anomaly.

The new particle contents and their quantum numbers are shown in Tab. I and Tab. II. Two models share the same Yukawa Lagrangian, and thus essentially have very similar phenomenologies: dark matter signature, radiative neutrino mass generation, etc. The only differences are: (1) whether there is Dirac mass term in heavy neutrino; (2) whether the Z' couples to SM fermions. In the gauged $U(1)_{B-L}$ model, the gauge boson Z'_{B-L} not only interacts with dark fermions, but also with the SM quarks and leptons. Therefore, to avoid stringent dilepton searches at the LHC, the gauge boson Z'_{B-L} is expected to be several TeV. On the other hand, in hidden gauged $U(1)_D$ model, the gauge boson Z'_D only interacts with dark fermions, and thus evades the strong dilepton constraints. In the following, we will focus on the hidden gauged $U(1)_D$ model, and only comment on the gauged $U(1)_{B-L}$ model.

	$SU(3)_C$	$SU(2)_L$	$U(1)_Y$	$U(1)_D$	Z_2
Φ	1	1	0	2	+
H'	1	2	$\frac{1}{2}$	-1	-
$N_{L,R}$	1	1	0	-1	-
$T_{L,R}$	3	1	$+\frac{2}{3}$	-1	-
$T'_{L,R}$	3	1	$+\frac{2}{3}$	+1	-

TABLE I. The new particle contents and their quantum numbers in the $SU(2)_L \times U(1)_Y \times U(1)_D$ model. All the SM particles are not charged under $U(1)_D$ and even-charged under dark Z_2 symmetry.

	$SU(3)_C$	$SU(2)_L$	$U(1)_Y$	$U(1)_{B-L}$	Z_2
Φ	1	1	0	2	+
H'	1	2	$\frac{1}{2}$	-1	-
N_R	1	1	0	-1	-
$T_{L,R}$	3	1	$+\frac{2}{3}$	-1	-
$T'_{L,R}$	3	1	$+\frac{2}{3}$	+1	-

TABLE II. The new particle contents and their quantum numbers in the $SU(2)_L \times U(1)_Y \times U(1)_{B-L}$ model. The SM quarks and leptons carry $\frac{1}{3}$ and -1 under $U(1)_{B-L}$ and are even-charged under dark Z_2 symmetry.

In the following we investigate the hidden gauged $U(1)_D$ model contents in detail. The gauge symmetry is $SU(2)_L \times U(1)_Y \times U(1)_D$. This $U(1)_D$ symmetry is

spontaneously broken by a singlet scalar Φ :

$$\Phi = \frac{s + ia}{\sqrt{2}}, \quad (2)$$

which is only charged under $U(1)_D$. The kinetic Lagrangian is

$$\mathcal{L}_{\text{kin}} = D_\mu \Phi^* D_\mu \Phi, \quad (3)$$

with covariant derivative

$$D_\mu \Phi = (\partial_\mu + ig_D Y_D Z'_\mu) \Phi. \quad (4)$$

Here g_D is the gauge coupling strength of the $U(1)_D$, and Y_D denotes the $U(1)_D$ charge of the Φ . A residue dark Z_2 symmetry is left after symmetry breaking. The dark fermions includes two vectorlike fermions T, T' , three generation Dirac fermions N . All the particles in the dark sector are charged under $U(1)_X$, as shown in Table I. We shall use the following parameterization of the two Higgs doublets

$$H = \begin{pmatrix} G^+ \\ \frac{h + iG^0}{\sqrt{2}} \end{pmatrix}, \quad H' = \begin{pmatrix} h^+ \\ \frac{h' + iA}{\sqrt{2}} \end{pmatrix}. \quad (5)$$

The relevant Yukawa terms in the dark sector are

$$\begin{aligned} \mathcal{L}_{\text{Yuk}} = & y_T \bar{q} \tilde{H}' T_R + y_N \bar{\ell} \tilde{H}' N_R + h.c. \\ & + y_{T'} \bar{T}' \Phi T + y_{N'} \bar{N}' \Phi N, \end{aligned} \quad (6)$$

where q and ℓ are the left-handed quark and lepton doublets in the SM, and $\tilde{H}' = i\sigma_2 H'^*$. There are Dirac mass terms for the dark fermions

$$\mathcal{L}_{\text{mass}} = m_T (\bar{T} T + \bar{T}' T') + M_D \bar{N} N \quad (7)$$

In the scalar sector, we could write down the most general scalar potential

$$\begin{aligned} V_{\text{scalar}} = & -\mu_s^2 |\Phi|^2 + \lambda_s |\Phi|^4 + V_{H, H'} \\ & + \lambda_h |H|^2 |\Phi|^2 + \lambda_{h'} |H'|^2 |\Phi|^2, \end{aligned} \quad (8)$$

where $V_{H, H'}$ is the Higgs potential for the inert Higgs doublet and the SM Higgs

$$\begin{aligned} V_{H, H'} = & \mu_1^2 |H|^2 + \mu_2^2 |H'|^2 + \lambda_1 |H|^4 + \lambda_2 |H'|^4 \\ & + \lambda_3 |H|^2 |H'|^2 + \lambda_4 |H^\dagger H'|^2 + \frac{\lambda_5}{2} [(H^\dagger H')^2 + h.c.]. \end{aligned} \quad (9)$$

According to the above scalar potential, both the SM Higgs H and Φ obtain vacuum expectation values (vev):

$$\langle H \rangle = v, \quad \langle \Phi \rangle = u. \quad (10)$$

There is no vev for the scalar doublet H' and thus the dark Z_2 symmetry is exact. After spontaneous symmetry breaking, the $U(1)_D$ symmetry is broken down to a residue Z_2 symmetry: $Z_2(\Phi) = +1$, and $Z_2(T, T', N, H') = \pm 1$. We identify the dark Z_2 symmetry as a remnant of the $U(1)_D$ symmetry breaking with $Z_2(T, T', N, H') = -1$. Therefore, after symmetry

breaking the dark Z_2 symmetry is still exact and thus stabilize the dark matter candidate.

The symmetry breaking induces the scalar masses in the dark sector:

$$\begin{aligned} m_{h'}^2 &= \mu_2^2 + \frac{\lambda_3 + \lambda_4 + \lambda_5}{2} v^2, \\ m_A^2 &= \mu_2^2 + \frac{\lambda_3 + \lambda_4 - \lambda_5}{2} v^2, \\ m_{h\pm} &= \mu_2^2 + \lambda_3 v^2. \end{aligned} \quad (11)$$

Because there is no mixing between Z and Z' , the Z' mass is

$$m_{Z'} = \frac{1}{2} g_D u. \quad (12)$$

Furthermore, new particles with the same charge mix together after symmetry breaking. For the real components of the scalars (h, s) , we obtain

$$\mathcal{M}_S^2 = \begin{pmatrix} 2\lambda_1 v^2 & \lambda_h v u \\ \lambda_h v u & 2\lambda_s u^2 \end{pmatrix}, \quad (13)$$

The mass eigenstates and mixing matrix are

$$\begin{pmatrix} h_1 \\ h_2 \end{pmatrix} = R(\phi) \begin{pmatrix} h \\ s \end{pmatrix}, \quad R(\phi) = \begin{pmatrix} \cos \phi & -\sin \phi \\ \sin \phi & \cos \phi \end{pmatrix} \quad (14)$$

where the mixing angle and mass eigenvalues are

$$\tan 2\phi = \frac{\lambda_h v u}{\lambda_1 v^2 - \lambda_s u^2}, \quad (15)$$

$$m_{1,2}^2 = 2\lambda_1 v^2 + 2\lambda_s u^2 \mp \sqrt{(\lambda_1 v^2 - \lambda_s u^2)^2 + \lambda_h^2 v^2 u^2}.$$

Similarly, for the heavy vectorlike fermions (T, T') , we read

$$\mathcal{M}_F = \begin{pmatrix} m_T & M_T \\ M_T & m_T \end{pmatrix}, \quad (16)$$

where $M_T = \frac{y_{T'} u}{\sqrt{2}}$. The mass eigenstates and eigenvalues are

$$\begin{pmatrix} T_1 \\ T_2 \end{pmatrix}_{L,R} = R(\theta_{L,R}) \begin{pmatrix} T \\ T' \end{pmatrix}_{L,R}, \quad m_{T_{1,2}} = M_T \mp m_T. \quad (17)$$

Note that two mixing angles are not independent, with a relation

$$\tan \theta_R = \frac{m_{T_1}}{m_{T_2}} \tan \theta_L. \quad (18)$$

If the Dirac mass term $m_T \ll M_T$, the mass eigenstates $T_{1,2}$ is almost degenerate with $\theta_L \simeq \theta_R$.

After symmetry breaking, the dark neutrino N becomes pseudo-Dirac fermion due to Majorana mass terms. The mass matrix (N_L, N_R) is written as

$$\mathcal{M}_N = \begin{pmatrix} m_R & M_D \\ M_D & m_R \end{pmatrix}, \quad (19)$$

where $m_R = \frac{y_\Phi u}{\sqrt{2}}$, and the mass eigenstates are

$$\begin{pmatrix} \mathcal{N}_+ \\ \mathcal{N}_- \end{pmatrix} = R(\alpha) \begin{pmatrix} N_L \\ N_R \end{pmatrix}, \quad m_{N_\mp} = M_D \mp m_R. \quad (20)$$

Majorana neutrino masses in this model are generated at one-loop via the exchanges of h' and A , which is the radiative seesaw mechanism [1]. In this mechanism, the one-loop induced dimension-six operator $\ell\ell\Phi HH$, and the resulting neutrino mass matrix is given by [1]

$$m_{\nu_{ij}} = \sum_k \frac{y_{ik}y_{jk}m_{R_k}}{16\pi^2} \left[\mathcal{I}\left(\frac{m_{h'}^2}{m_{R_k}^2}\right) - \mathcal{I}\left(\frac{m_A^2}{m_{R_k}^2}\right) \right] \quad (21)$$

where i, j, k are the generation index and the loop function is defined as

$$\mathcal{I}(x) = \frac{x}{x-1} \ln x. \quad (22)$$

Here we denote

$$y_{ik} \equiv (y_N)_{ik}, \quad m_{R_k} \simeq \frac{(y_\Phi)_k u}{\sqrt{2}}. \quad (23)$$

To obtain a small neutrino mass, the mass splitting between h' and A should be small, and thus a small λ_5 is needed. If we further demand $m_{R_k} \ll m_A$, the Eq. 21 is approximated by a seesaw formula

$$m_{\nu_{ij}} \sim \sum_k y_{ik}y_{jk} \frac{\lambda_5 v^2}{8\pi^2} \frac{m_{R_k}}{m_A^2}. \quad (24)$$

For a TeV scale vev u , given $\lambda_5 \sim y_\Phi \sim 10^{-2}$, the 0.1 eV neutrino mass could be realized. Since the flavor structure is quite similar to the standard seesaw mechanism, the predicted neutrino oscillation matches with the observed data [1–3].

In summary, the particle contents in the mass eigenstates are

- new gauge boson Z' and a heavy real scalar s associated to the $U(1)_X$ symmetry breaking;
- in dark sector, two colored dark fermions $T_{1,2}$ (dark tops), two pseudo-Dirac dark neutrinos $\mathcal{N}_\pm$ for each generation, inert doublet components h' , A , and $h^\pm$.

The dark matter candidate could be h' (A) or the lightest $\mathcal{N} \equiv \mathcal{N}_-$.

III. DARK MATTE CANDIDATE

From Sec II, we note that the mass hierarchy: $m_{h'} \simeq m_A \gg m_R$ is favored to obtain the radiative neutrino mass. Furthermore, to determine the dark matter candidate, the Dirac mass M_D in Eq. 19 plays an important role. In the pattern $m_{h'} \simeq m_A < M_D$, the DM candidate will be h' or A depending on the sign of the λ_5 . On the

other hand, if $m_{h'} \simeq m_A > M_D$, DM will be the lightest $\mathcal{N}$. When the Dirac mass $M_D \simeq m_R$, which corresponds to very light $\mathcal{N}_-$, the lightest $\mathcal{N}$ could be a KeV warm dark matter.

If the neutral component h' (A) of the inert Higgs is the DM, its phenomenology is very similar to the inert doublet Higgs (IDHM) model [1, 5, 27]. It has been known that the DM in the IDHM is very constrained [28]. The LHC measurements on the Higgs invisible width exclude the parameter region with $m_{\text{DM}} < m_h/2$, while the direct detection experiments exclude the immediate DM mass $100 \text{ GeV} \lesssim m_{\text{DM}} \lesssim 850 \text{ GeV}$. The DM mass regions which could evade current direct detection and LHC constraints are

- Higgs resonance region $m_{\text{DM}} \simeq m_h/2$, in which DM particles annihilate into a resonant s-channel Higgs boson.
- off-shell W^+W^- region $m_{\text{DM}} \lesssim 100 \text{ GeV}$, in which DM particles annihilate into off-shell W^+W^- pairs. This region will be constrained by next generation direct detection experiments.
- scalar resonance region $m_{\text{DM}} \simeq m_s/2$, in which DM particles annihilate into a resonant s-channel heavy s boson.
- high mass region $m_{\text{DM}} \gtrsim 850 \text{ GeV}$.
- immediate mass region $m_{\text{DM}} \gtrsim 175 \text{ GeV}$ could be allowed in very narrow parameter space if the DM couplings to the Higgs boson is small³, or there are destructive cancellation in direct detection⁴.

It is very interesting to see that if the coupling of the Higgs boson to the DM is small, the top flavor portal coupling will dominate the relic density, but immediate mass h' (A) is still allowed by current LUX searches. In this case, the DM phenomenology is exactly the same as the top-flavored dark matter model [12]. So we won't discuss it here and refer to Ref. [12] for details.

Another possibility is that the DM is the lightest $\mathcal{N}$. Depending on the values of the Dirac mass M_D , the DM mass could be in a broad range. When the DM is very light (such as KeV scale), it becomes warm dark matter. In this work, we won't consider this special case, and will only focus on cold dark matter scenario. The cold DM annihilation processes are

$$\begin{aligned} t\text{-channel} : \mathcal{N}\mathcal{N} &\rightarrow \ell^+\ell^-, \mathcal{N}\mathcal{N} \rightarrow \nu\bar{\nu}. \\ s\text{-channel} : \mathcal{N}\mathcal{N} &\rightarrow s(h) \rightarrow \text{SM}\overline{\text{SM}}. \end{aligned} \quad (25)$$

³ The relic density could be realized through top flavored dark matter via t-channel $h'h'(AA) \rightarrow t\bar{t}$, while the direct detection constraints are loose [12].

⁴ In DM-nucleon scattering, the contribution from the loop-induced photon exchange could have opposite sign of the contribution from the Higgs exchange diagrams [11]. Therefore, the direct detection constraints could be evaded.

The s -channel process depends on the couplings $y_{N'}$, which are taken to be very small to explain the neutrino mass. So the dominant channel should be the t -channel process. The thermal averaged t -channel cross section is

$$\langle \sigma v_{\text{rel}} \rangle_{t\text{-chan}} \simeq \frac{\sum_{ij} |y_{i1}^2 y_{j1}^2|^2}{48\pi M_{\mathcal{N}}^2} \left(\frac{1+x^2}{(1+x)^4} + \frac{1+y^2}{(1+y)^4} \right) v_{\text{rel}}^2, \quad (26)$$

where $x = m_A^2/M_{\mathcal{N}}^2$ and $y = m_{h^\pm}^2/M_{\mathcal{N}}^2$. Note that the thermal cross section is p -suppressed, which implies not so small coupling y_N is needed to obtain required relic density. On the other hand, the coupling y_N is restricted by constraints from lepton flavor violation processes, such as $\mu \rightarrow e\gamma$ and $\tau \rightarrow \mu\gamma$. The decay branching ratio for the process $\ell_\beta \rightarrow \ell_\alpha\gamma$ is [2]

$$\text{Br}(\ell_\beta \rightarrow \ell_\alpha\gamma) = \frac{3\alpha \text{Br}(\ell_\beta \rightarrow \ell_\alpha \nu_\beta \bar{\nu}_\alpha)}{64\pi G_F^2 m_{h^\pm}^4} \left| \sum_k y_{\alpha k} y_{\beta k} F_2 \left(\frac{m_{N_k}^2}{m_{h^\pm}^2} \right) \right|, \quad (27)$$

where the function F_2 is defined as

$$F_2(x) = \frac{1 - 6x + 3x^2 + 2x^3 - 6x^2 \ln x}{6(1-x)^4}. \quad (28)$$

The current experimental limits on the decay branching ratios [23, 24]

$$\begin{aligned} \text{Br}(\mu \rightarrow e\gamma) &< 5.7 \times 10^{-13}, \\ \text{Br}(\tau \rightarrow e\gamma) &< 3.3 \times 10^{-8}, \quad \text{Br}(\tau \rightarrow \mu\gamma) < 4.4 \times 10^{-8}. \end{aligned} \quad (29)$$

In general, there is a strong tension between the relic density requirement and the upper limit from lepton flavor violation processes [2]. Fig. 1 shows the relic density contours in the $(m_A, m_{\mathcal{N}})$ plane for different $y \equiv y_{ik}$. We find that all the parameter space could be ruled out if we take the allowed parameter values y_{ik} to be the same for every generation (no special flavor texture). As discussed in Ref. [2, 25], there are parameter regions which could evade these constraints:

- special flavor textures [2, 25]. One special case is the degenerate Majorana masses m_R for dark neutrinos [2]. In this case, co-annihilation in the DM annihilation exists.
- $s(h)$ resonance region $m_{\mathcal{N}} \simeq m_{s(h)}/2$, in which DM particles annihilate into a resonant $s(h)$ boson [22].

According to Ref. [25], we could take one texture to be zero with $y_{\mu k} = 0$ and $m_{N_1} < m_{h^\pm} \leq m_{N_2}$. This yields the smallest decay branching ratios which satisfy the above experimental limits, in the absence of the fine-tuning. Note that $y_{\mu k} = 0$ is not relevant to the dark matter relic density. Thus one texture zero could satisfy both the lepton flavor violation constraints and the dark matter relic density. For other special choices on the texture patterns, we refer to Ref. [25] for details.

FIG. 1. The contours for several values of the coupling y_N which gives rise to the required relic density in the $(m_{H'}, m_{\mathcal{N}})$ plane. Here we take $m_{H'} = m_{h'} = m_A$.

In this work we focus on the case $\mathcal{N}$ as the dark matter candidate. In Fig. 1, we show the relic density contours in the $(m_A, m_{\mathcal{N}})$ plane for different $y \equiv y_{ik}$. As discussed in Ref. [2, 22], given degenerate dark neutrino masses, the required relic density could be satisfied while keeping the lepton flavor violation rate under the experimental limits. We also examine the direct detection constraints on the parameter space. Similar to the relic density, the interesting region is small coupling $y_{N'}$. This implies that the DM-nucleon scattering at the tree-level via the $s(h)$ portal is highly suppressed. We expect the loop-induced DM-nucleon process dominates the direct detection, as shown in Fig. 2. We know that the lightest $\mathcal{N}$ is the mixture of Dirac fermion and Majorana types. The Majorana component will only contribute to spin-dependent cross section, while the Dirac component contributes to spin-independent cross section. From requirement of obtaining radiative neutrino mass, the Majorana component of the lightest $\mathcal{N}$ is much smaller than the Dirac component. Since the direct detection constraint on the spin-dependent cross section is very loose [25], we will only care about direct detection constraint on the Dirac component of the $\mathcal{N}$. The one-loop induced Dirac DM-nucleon interaction term is

$$\mathcal{L}_{\text{eff}} = b_{\mathcal{N}} \bar{\mathcal{N}} \gamma_\nu \mathcal{N} \partial_\mu F^{\mu\nu} + \mu_{\mathcal{N}} \bar{\mathcal{N}} i \sigma_{\mu\nu} \mathcal{N} F^{\mu\nu}, \quad (30)$$

where $\mu_{\mathcal{N}}$ and $b_{\mathcal{N}}$ are given by

$$\mu_{\mathcal{N}} = -\frac{ie\lambda^2}{64\pi^2} \int_0^1 dy \, 2m_{\mathcal{N}} \frac{y(1-y)}{(1-y)m_A^2 - y(1-y)m_{\mathcal{N}}^2} \quad (31)$$

$$b_{\mathcal{N}} = -\frac{ie\lambda^2}{64\pi^2} \int_0^1 dy \, \frac{1}{6} \frac{3y^3 - 9y^2 + 2}{(1-y)m_A^2 - y(1-y)m_{\mathcal{N}}^2}. \quad (32)$$

In the limit $m_R \ll M_D$, the lightest $\mathcal{N}$ is almost Dirac type, and thus should obtain the strongest bounds from direct detection. Following Ref. [11], we calculate the spin-independent cross section using effective Lagrangian

FIG. 2. Loop-induced Feynman diagrams on dark matter-nucleon (N) scattering via photon exchange.

FIG. 3. The blue and cyan regions on $(m_{H'}, m_N)$ are the excluded regions with $y_N = 0.6, 0.9$ by the LUX experiment.

in Eq. 30. Fig. 3 shows that given the coupling size, the strongest direct detection constraints from the LUX experiment [26]. From Fig. 3, we note that the direct detection constraints are not so tight, and there are still large allowed parameter regions.

IV. COLLIDER SEARCHES ON DARK SECTOR

The dark sector encounters not only the DM constraints, but also experimental constraints from high energy colliders, such as LEP and LHC. The electroweak precision data from LEP put constraints on dark particles in $SU(2)_L$ non-singlet, such as inert doublet components A , h' and $h^\pm$. At the same time, due to the mixing between the SM Higgs h and s in Eq. 14, the scalar s also contributes to the S, and T parameters. In this model, the LEP constraint is quite similar to the IDHM [5]. According to Ref. [5], the S parameter contribution from the inert doublet is negligible and the T parameter from the inert doublet approximates

$$\Delta T \simeq \frac{1}{24\pi^2\alpha v^2}(m_{h^\pm} - m_A)(m_{h^\pm} - m_{h'}). \quad (33)$$

From Ref. [36], the S, T parameter contributions from the mixed singlet s are

$$\Delta S \simeq \frac{\sin^2 \phi}{12\pi} \ln \frac{m_s^2}{m_h^2}, \Delta T \simeq -\frac{3 \sin^2 \phi}{16\pi s_W^2 c_W^2} \ln \frac{m_s^2}{m_h^2}. \quad (34)$$

Note that the S, T contributions from the singlet s are proportional to the mixing angle ϕ , which is typically constrained to be small [36]. The recent experimental limits on the S, T parameters (given $U = 0$) are [30]

$$S = 0.06 \pm 0.09, \quad T = 0.10 \pm 0.08. \quad (35)$$

If there are the small mass splitting between $h^\pm$ and h' (A) and small mixing angle $\sin \phi$, the values of the S, T parameters are within the current experimental limit. Thus we will choose this parameter space which is favored by the LEP data, and at the same time, does not affect the dark matter phenomenology and collider signatures.

The charged inert Higgs $h^\pm$ could also contribute to the diphoton decay of the 125 GeV Higgs boson. This puts additional constraint on the parameters of the inert doublet sector. The diphoton partial decay width of the 125 GeV Higgs boson is

$$\Gamma_{h \rightarrow \gamma\gamma} = \frac{\alpha^2 m_h^3}{1024\pi^3} \left| N_c Q_t^2 \frac{2y_t}{m_t} A_{1/2}(\tau_t) + \frac{g_{hWW}}{m_W^2} Q_W^2 A_1(\tau_W) + Q_{h^\pm}^2 \frac{g_{hh^\pm h^\mp}}{m_{h^\pm}^2} A_0(\tau_{h^\pm}) \right|^2, \quad (36)$$

where $\tau_i \equiv 4m_i^2/m_h^2$. The loop factors A_i are defined as,

$$\begin{aligned} A_1(\tau) &\equiv 2 + 3\tau[1 + (2 - \tau)f(\tau)], \\ A_{1/2}(\tau) &\equiv -2\tau[1 + (1 - \tau)f(\tau)], \\ A_0(\tau) &\equiv \tau[1 - \tau f(\tau)] \end{aligned} \quad (37)$$

where

$$f(\tau) \equiv \begin{cases} \left[\sin^{-1} \left(\sqrt{1/\tau} \right) \right]^2, & \text{if } \tau \geq 1, \\ -\frac{1}{4} [\ln(\eta_+/\eta_-) - i\pi]^2, & \text{if } \tau < 1, \end{cases} \quad (38)$$

with $\eta_\pm \equiv 1 \pm \sqrt{1 - \tau}$. Here we have the couplings

$$\frac{g_{hWW}}{m_W^2} = \frac{2y_t}{m_t} = \frac{2}{v}, \frac{g_{hh^\pm h^\mp}}{m_{h^\pm}^2} = \frac{\lambda_3 v}{m_{h^\pm}^2}. \quad (39)$$

The above partial decay width are constrained by the experimental values of the Higgs signal strength for the combination of the ATLAS and CMS[31]

$$\mu_{\gamma\gamma}^{\text{ATLAS}} = \frac{\sigma_{pp \rightarrow h} \text{Br}(h \rightarrow \gamma\gamma)}{\sigma_{pp \rightarrow h}^{\text{SM}} \text{Br}(h \rightarrow \gamma\gamma)^{\text{SM}}} = 1.16 \pm 0.18, \quad (40)$$

and the Higgs to diphoton branching ratio

$$\text{BR}_{h \rightarrow \gamma\gamma}^{\text{SM}} = (2.28 \pm 0.11) \times 10^{-3}. \quad (41)$$

The diphoton decay rate is controlled by two independent parameters λ_3 and $m_{h^\pm}$. If we take λ_3 defined in Eq. 10 to be small, the diphoton decay width in Eq. 37 should recover the SM form, and thus satisfy the above

FIG. 4. (Upper panel) The Feynman diagram for the $h^\pm$ pair production and dominant decay channel. (Lower panel) The excluded parameter region on $(m_{h^\pm}, m_{\mathcal{N}})$ by the LHC dilepton plus missing energy searches.

constraints from the signal strength and decay branching ratio. Taking λ_3 small will make the $m_{h^\pm}$ to be viable in the whole parameter region. As the λ_3 gets larger, the $m_{h^\pm}$ could be pushed up to be above 100 GeV. Thus given certain parameter regions, the mass of the charged inert Higgs $h^\pm$ are not tightly constrained by the current LEP and LHC Higgs searches.

Since we focus on the case that the lightest $\mathcal{N}$ is the DM candidate, we expect that the collider signatures of inert doublet components are different from signatures in IDHM [27, 28]. Assuming the compressed masses among A , h' and $h^\pm$, the dominant production and decay channels of the inert Higgs components are

$$pp \rightarrow h'h'(AA) \rightarrow \nu\mathcal{N} + \nu\mathcal{N}, \quad (42)$$

which gives rise to the invisible final states, and

$$pp \rightarrow h^+h^- \rightarrow \ell^+\mathcal{N} + \ell^-\mathcal{N}, \quad (43)$$

which exhibits the dilepton plus transverse missing energy (MET) final states. At the LHC, there are searches on these final states. And the tightest constraint comes from dilepton plus MET channel [32]. The Feynman diagram is shown in Fig. 4 (upper panel). The experimental limit can be recasted from the exclusion limits [32] on SUSY chargino/slepton searches at the 8 TeV LHC. In the ATLAS search [32], two scenarios are considered: the chargino pair is produced and subsequently decays to neutralino and a W boson, and the slepton are pair produced and then each decays to dilepton plus neutralino. We recast the slepton $\tilde{\ell}_L$ exclusion limit and obtain the exclusion contour in the $(m_{h^\pm}, m_{\mathcal{N}})$ plane,

FIG. 5. (Upper panel) The Feynman diagram for the T pair production and dominant decay channel. (Lower panel) The excluded parameter region on $(m_T, m_{h'})$ by the LHC hadronically decaying top pair plus missing energy searches.

shown in Fig. 4 (lower panel). From the Fig. 4 we see the upper limits on $m_{h^\pm}$ is around 370 GeV depending on the DM mass. The constraint on $(m_{h^\pm}, m_{\mathcal{N}})$ is loose and there are still large allowed parameter space.

Unlike the charged Higgs, the dark vectorlike tops T and T' encounter stronger constraints at the current LHC searches due to its QCD production cross section at the LHC. The dominant production and decay channels of the dark tops are

$$pp \rightarrow T\bar{T} \rightarrow th' + \bar{t}h' \rightarrow t\mathcal{N}\nu + \bar{t}\mathcal{N}\nu, \quad (44)$$

$$pp \rightarrow T\bar{T} \rightarrow bh' + \bar{b}h' \rightarrow b\ell^+\mathcal{N} + \bar{b}\ell^-\mathcal{N}. \quad (45)$$

In these two processes, the final states are the top pair plus MET, and bottom/lepton pair plus MET separately. The Feynman diagram for the top pair plus MET is shown in Fig. 5 (upper panel). The same final states have been searched at the LHC: the stop pair production and decays [33]. The combined exclusion limit with 20 fb^{-1} data at the 8 TeV LHC are summarized in Ref. [33]. From the exclusion limits, we see that the all hadronic top final states [34] put the tightest constraints on the stop quark masses. We recast the experimental limit [34] through a rescale of the total rates and cut efficiencies. Note that $m_{h'} > m_{\mathcal{N}}$, we obtain the exclusion limits on $(m_T, m_{h'})$, instead of $(m_T, m_{\mathcal{N}})$. Fig. 5 (lower panel) shows the excluded region on $(m_T, m_{h'})$ plane. We see that the dark tops could be excluded up to around 890 GeV. However, there is still a small region that the dark tops could be light: $0 < m_T - m_{h'} < m_t$. This is referred as the stealth region. We will discuss collider signatures in this region in sec. V.

The unique signature of this gauged hidden $U(1)$ model is the Z' signature. If the gauge symmetry is $U(1)_{B-L}$,

since both quarks and leptons carry $B - L$ charge, the Z' mainly decays to SM quarks and leptons. From the exclusion limits on the Z' searches at the LHC [35], the Z' should be heavier than 2.5 TeV. If the gauge symmetry is $U(1)_D$, since the SM fermions carry no dark charge, the production and decay of the Z' is quite different from the typical Z' . Although the inert Higgs could induce small mixing between Z and Z' , the Z' couplings to the SM fermions via the $Z - Z'$ mixing is suppressed. Thus the feasible production channel of the Z' is through gluon fusion process with dark tops in the loop. The dominant decay channels could be

$$Z' \rightarrow T\bar{T}, h^+h^-, h'h', AA, \mathcal{N}\mathcal{N} \quad (46)$$

depending on the mass hierarchy between $m_{Z'}/2$ and other dark particles. These exotic channels for the Z' searches give rise to jets/leptons plus MET final states. Compared to the dilepton final states, the exclusion limit on this hidden Z' should be much weaker than the dileptonic Z' . From the jets/leptons plus MET searches, it is still fine to have the Z' mass around several hundred GeVs.

The production and decays of the scalar s is very interesting. Depending on the mixing angle $\sin \phi$, s could have quite different decay patterns. We note that the mixing angle $\sin \phi$ are constrained by the Higgs coupling measurements at the LHC. The current limit on $\sin \phi$ is around $\sin \phi \lesssim 0.4$ [36]. Thus one expect that s dominantly decays to SM particles through mixing with the SM Higgs boson. Depending on the mass hierarchy between $m_s/2$ and dark fermions, there are other decay channels

$$s \rightarrow T\bar{T}, h^+h^-, h'h', AA, \mathcal{N}\mathcal{N}, \quad (47)$$

similar to the gauge boson Z' decays. If all the dark particles except $\mathcal{N}$ are heavier than $m_s/2$, and the mixing to the SM Higgs boson is small, the dominant decay channels of the s are

$$s \rightarrow gg, \gamma\gamma, \mathcal{N}\mathcal{N}, \quad (48)$$

where $gg, \gamma\gamma$ channels are loop-induced decay channels and the $\mathcal{N}\mathcal{N}$ channel is the invisible decay at tree-level. One may expect that the tree-level invisible decay dominates over the loop-level decay. In fact, to give rise to radiative neutrino mass, the coupling of the s to DM needs to be very small. This suppresses the tree-level decay and enhances the loop-induced decay channels, such as $gg, \gamma\gamma$ channels. We will discuss the possible signatures in next section.

V. DIPHOTON SIGNATURE AT THE LHC

As discussed above, the scalar s could dominantly decay to digluon and diphoton if dark tops and components of the inert Higgs are heavier than $m_s/2$ and the mixing

FIG. 6. The Feynman diagrams for the production and diphoton decay of the scalar s . For the gluon fusion production, the dark tops $T(T')$ are running in the loop. For the diphoton decay, both the dark tops (upper diagram) and the charged inert Higgs (lower diagram) are running in the loop.

between s and the SM Higgs is very small. In this particular parameter region, it is very interesting that the LHC could observe diphoton signature.

Recently both the ATLAS and CMS experiments at the LHC observed a resonance near 750 GeV in its diphoton final states [37, 38]. On the other hand, this diphoton excess is not accompanied by other channels, such as WW , ZZ , $\ell\ell$, jj final states. Of course, this could just be statistical fluctuation due to limited integrated luminosity at the 13 TeV LHC. If it is taken to be new physics signature [39], the excess corresponds to production and decays of a spin-0 or spin-2 resonance with $5 \sim 10$ fb rate.

We would identify the scalar s as the 750 GeV resonance. This scalar s is responsible to the symmetry breaking of the hidden gauged $U(1)$. Similar ideas on identifying 750 GeV scalar as the gauged $U(1)$ remnant are also considered in Ref. [40]. When the $s - h$ mixing is small, s is expected to be produced mainly via gluon fusion with colored dark fermions running in the loop. It will subsequently decays to either dark fermions, or digluon and diphoton final states depending on the dark fermion masses. The Feynman diagrams for diphoton final states are shown in Fig. 6. The Feynman diagrams for digluon are similar to diphoton, except that only the dark tops are the particles running in the loop in the digluon decay. The tree-level decay partial width is

$$\Gamma(s \rightarrow h^+h^-) = \frac{g_{sh^+h^-}^2}{8\pi m_s} \sqrt{1 - \frac{4m_{h^+}^2}{m_s^2}}, \quad (49)$$

$$\Gamma(s \rightarrow \mathcal{N}\mathcal{N}) = \frac{y_{\mathcal{N}}^2 m_s}{16\pi} \sqrt{1 - \frac{4m_{\mathcal{N}}^2}{m_s^2}}. \quad (50)$$

The loop-induced partial decay width in the digluon channel is

$$\Gamma(s \rightarrow gg) = \frac{\alpha_s^2 m_s^3}{128\pi^3} \left| \delta_F C[F] \frac{2g_{sff}}{m_f} A_{1/2}(\tau_f) \right|^2, \quad (51)$$

where $\tau_f \equiv 4m_f^2/m_s^2$ and the loop function $A_{1/2}$ is defined in Eq. 37. Here $\delta_i = 1/2$ for real field i and 1

FIG. 7. The production cross section of the 750 GeV scalar s as the function of the m_T (left panel), and its dominant decay branching ratios as the function of the $m_{h^\pm}$ (right panel). Here we assume $y_T = 1$, $y_{N'} = 0.005$, and $m_{T'} = m_T$, $m_{h'} = m_{h^\pm} = m_A$. In right panel, $m_T > m_s/2$ is also assumed.

otherwise. The factor $1/2$ is to account for lack of conjugate diagram for a real field. $C[i]$ is the Dynkin index of the field representation, defined as $\text{Tr}[T_i^a T_i^b] = C[i] \delta^{ab}$. For dark top T , we have $\delta_T = 1$, $C[T] = 1/2$, $g_{sff} = y_T$. The diphoton partial width is

$$\Gamma(s \rightarrow \gamma\gamma) = \frac{\alpha^2 m_s^3}{1024 \pi^3} \left| N_{c,f} Q_f^2 \frac{2g_{sff}}{m_f} A_{1/2}(\tau_f) + N_{c,S} Q_S^2 \frac{g_{SS}}{m_S^2} A_0(\tau_S) \right|^2, \quad (52)$$

where $A_0(\tau) = x - x^2 f(x)$, $N_{c,i}$ and Q_i are color factor and electric charge of the particle i . For dark tops, we have $N_c = 3$, $Q_T = \frac{2}{3}$ and for charged Higgs, we have $N_c = 1$, $Q_{h^\pm} = 1$. The loop-induced WW and ZZ partial width is estimated to be

$$\Gamma_{\gamma\gamma} : \Gamma_{Z\gamma} : \Gamma_{ZZ} = 1 : 2 \tan^2 \theta_W : \tan^4 \theta_W \simeq 1 : 0.6 : 0.09, \quad (53)$$

where θ_W is the weak mixing angle. Therefore, in following discussion, we neglect the branching ratio for loop-induced WW and ZZ final states.

Following discussions in sec. IV, we assume that the masses of the dark tops are degenerate, and the masses of the inert Higgs components are also degenerate due to radiative neutrino mass generation and S, T parameter constraints. Fig. 7 shows the production cross section of the 750 GeV scalar s as the function of the T mass, and the decay branching ratios as the function of the charged Higgs mass. We calculate the production cross section of the 750 GeV s using

$$\sigma(gg \rightarrow s) = \frac{\Gamma_{s \rightarrow gg}}{\Gamma_{s \rightarrow gg}^{\text{SM}}} \sigma^{\text{SM}}(gg \rightarrow s), \quad (54)$$

where $\sigma^{\text{SM}}(gg \rightarrow s)$ is taken to be its NNLO rate (742 fb) at 13 TeV LHC [41]. From Fig. 7 (left panel) we see that the production cross section decreases dramatically as the dark tops $T(T')$ get heavier. Therefore, dark top masses need to be not so heavy: around 400 ~ 600 GeV. On the other hand, for $m_T \sim 400 - 600$ GeV, the all hadronic top pair plus MET searches at the LHC put

FIG. 8. The contours on production cross section times diphoton branching ratio in the $(m_T, m_{h'})$ plane. The green region shows the diphoton signal rate 5 ~ 10 fb. The contour labels show the diphoton rate in fb. Here we take $y_T = 1$, $y_{N'} = 0.005$, $\lambda_{h'} = 1.0$, $u = 1.2$ TeV, and $m_{T'} = m_T$, $m_{h'} = m_{h^\pm} = m_A$. The two dashed lines shows the stealth region in between.

very strong constraints on the parameter space, as shown in Fig. 5 (lower panel). To avoid these constraints, the dark top needs to be close to the stealth region with mass

$$m_T - m_{h^\pm} \lesssim 180 \text{ GeV}. \quad (55)$$

On the diphoton decay branching ratio, we calculate the partial decay width using Eq. 52. Here we assume that the dark tops are degenerate and heavier than $m_s/2$. The invisible decay $s \rightarrow \mathcal{N}\mathcal{N}$ is expected to be small, because the coupling y_N is favored to be small to explain the radiative neutrino mass. From the Fig. 7 (right panel), we note that if $m_{h^\pm} < m_s/2$, the tree-level decay $s \rightarrow h^+ h^-$ dominates; while if $m_{h^\pm} > m_s/2$, the loop-induced diphoton and digluon decays will dominate. We also note that the DM mass is irrelevant in the s production and decay branching ratios by taking the invisible decay partial width is small. More interestingly, the diphoton decay branching ratio has an enhancement near the threshold $m_{h^\pm} \simeq m_s/2$. The reason is that the functions $A_{1/2}(\tau)$ and $A_0(\tau)$ defined in Eq. 52 get large enhancements near the threshold region with $\tau \rightarrow 1$. Therefore, if the masses of the dark tops or the inert Higgs are close to half of the s mass, the diphoton signal rate could be greatly enhanced.

We calculate the total diphoton rate in the favored parameter space: not-so-heavy $m_T \simeq m_{T'} > m_s/2$, $m_{h'} = m_{h^\pm} = m_A > m_s/2$, very small $y_{N'}$, small mixing angle $\sin \phi$. Given the typical values of the coupling strength y_T and $\lambda_{h'}$, the total rate is around 5 ~ 10 fb. Fig. 8 shows the contours on production cross section times diphoton branching ratio in the $(m_T, m_{h'})$ plane. The green region shows the parameter region which obtains diphoton signal rate 5 ~ 10 fb. We find that the dark particles with several hundred GeVs could

FIG. 9. The contours on production cross section times digluon branching ratio in the $(m_T, m_{h'})$ plane. The contour labels show the digluon rate in fb. Here we take $y_T = 1$, $y_{N'} = 0.005$, $\lambda_{h'} = 1.0$, $u = 1.2$ TeV, and $m_{T'} = m_T$, $m_{h'} = m_{h\pm} = m_A$.

fit the diphoton excess well. Specifically, the dark tops are around $450 \sim 550$ depending on the charged inert Higgs mass [42]. If the charged Higgs mass is near $m_s/2$ threshold, the diphoton branching ratio will be greatly enhanced, and thus masses of the dark tops could be heavier, around $600 \sim 700$ GeV. If the down-type dark fermions, such as B , E , are not decoupled, we expect there will be larger parameter space which could fit the diphoton excess. Assuming Z' is lighter than half of the s mass, and more than one generations of the light dark fermions, it is also possible to obtain large decay width of the scalar s . The light dark fermions T , B , N , E could greatly enhance the production cross section of the s , while the tree-level decay $s \rightarrow Z'Z'$ could contribute to the possible large width of the scalar s .

We also need to validate this model through non-observation of this 750 GeV resonance in other channels, such as dijet, WW , ZZ , tt , and invisible decay final states. The current limits on 750 GeV resonance are $\sigma \cdot \text{Br}_{\text{dijet}} < 1800$ fb [43], $\sigma \cdot \text{Br}_{ZZ} < 22$ fb [44], $\sigma \cdot \text{Br}_{WW} < 38$ fb [45], $\sigma \cdot \text{Br}_{tt} < 600$ fb [47], $\sigma \cdot \text{Br}_{\text{inv.}} < 3000$ fb [48]. In favored parameter space with small $y_{N'}$ and small mixing $\sin \phi$, it is obvious that the branching ratios of the WW , ZZ , tt , and invisible decay final states are small and under the current limits. On the other hand, the dijet channel is dominant in the favored parameter space. We need to check whether the dijet rate in the signal region is smaller than 1800 fb at the 13 TeV LHC. Fig. 9 shows the contours of the digluon rates in the $(m_T, m_{h\pm})$ plane, given the same parameters as the diphoton signature. The cyan contours in Fig. 9 show that the dijet rate in the signal region is much smaller than current dijet limit.

VI. CONCLUSION

We investigated hidden gauged $U(1)$ models which unify the scotogenic neutrino ($\equiv$ neutrino portal dark matter) and flavor portal dark matter. In this scenario, not only the left-handed neutrino has its dark partner via Yukawa interaction, but also all other left-handed fermions in the standard model have its dark fermion partner. Similar to the standard model Higgs, the Yukawa couplings between the left-handed fermions and their dark fermion partners are through a single inert Higgs boson. The neutrinos obtain their masses radiatively, the same as the scotogenic neutrino model. Due to existence of the flavor portal interactions, the neutral components of the inert Higgs becomes a viable dark matter. More interestingly, this unified scenario provides us richer collider phenomenology than the scotogenic neutrino and flavor portal dark matter alone.

We focused on the case that the lightest dark neutrino is the dark matter candidate, and calculated its relic density and direct detection rate. Then we discussed collider signatures for the dark particles: the dark partners $T(T')$, $h^\pm(A, h')$ and the gauge boson Z' and its associated scalar s . According to the existing bounds from neutrino mass, LUX, LEP and LHC data, we obtained the favored parameter region: small $y_{N'}$, degenerate inert Higgs components $m_{h'} \simeq m_A \simeq m_{h\pm}$, and $m_T, m_{h\pm}$ in the stealth region, and the dark matter mass in a very broad range. Given the favored parameter region, we addressed the scalar s could be the 750 GeV diphoton resonance reported by ATLAS and CMS. We expect this model could be further tested and falsified by high luminosity LHC Run-2 data.

Appendix A: Quantum Number Assignments

Let us consider the quantum charges of all the fermions under the new gauge symmetry $U(1)_H$. We assign generic charges:

$$z_Q, z_L, z_u, z_d, z_e \quad (\text{A1})$$

for the left-handed quark and lepton doublets, right-handed quarks and leptons for each fermion generation. Similarly we assign the generic charges for the new fermions:

$$z_{N_L}, z_{N_R}, z_{T_L}, z_{T_R}, z_{T'_L}, z_{T'_R} \quad (\text{A2})$$

for the vectorlike N (right-handed N_R only for $U(1)_{B-L}$ model with $z_{N_L} = 0$), vectorlike T and T' . We note that for the vectorlike fermion, one usually has $z_L = z_R$. This implies

$$z_{T_L} = z_{T_R} = z_T, z_{T'_L} = z_{T'_R} = z_{T'}. \quad (\text{A3})$$

We also take the $U(1)_Y$ hypercharge of the new fermions to be the same as its SM fermion partners:

$$Y_{N_{L,R}} = 0, Y_{T_{L,R}} = Y_{T'_{L,R}} = +\frac{2}{3}. \quad (\text{A4})$$

The cancellation conditions for the non-abelian $SU(2)$ and $SU(3)$ anomalies are

$$\begin{aligned} U(1)_H SU(2) SU(2) : \quad & 3z_Q + z_L = 0, \\ U(1)_H SU(3) SU(3) : \quad & 2z_Q - z_u - z_d = 0. \end{aligned} \quad (\text{A5})$$

For the mixed $U(1)$ anomalies there are two other conditions

$$\begin{aligned} U(1)_H U(1)_Y U(1)_Y : \quad & z_Q - 8z_u - 2z_d + 3z_L - 6z_e = 0, \\ U(1)_H U(1)_H U(1)_Y : \quad & z_Q^2 - 2z_u^2 + z_d^2 - z_L^2 + z_e^2 = 0 \end{aligned} \quad (\text{A6})$$

For the cubic $U(1)_H$ we have

$$\begin{aligned} U(1)_H U(1)_H U(1)_H : \quad & 6z_Q^3 - 3z_u^3 - 3z_d^3 + 2z_L^3 - z_e^3 \\ & + z_{N_L}^3 - z_{N_R}^3 = 0, \end{aligned} \quad (\text{A7})$$

and for the gravitational anomaly we obtain

$$\begin{aligned} U(1)_H GG : \quad & 6z_Q - 3z_u - 3z_d + 2z_L - z_e \\ & + z_{N_L} - z_{N_R} = 0. \end{aligned} \quad (\text{A8})$$

For the $U(1)_D$ gauge symmetry, we have $z_{N_L} = z_{N_R} = z_N$. And for the $U(1)_{B-L}$ gauge symmetry, the charge assignment is $z_{N_L} = 0$ and $z_{N_R} = z_N$.

Together with the requirement of gauge invariance of the Yukawa interactions, we could determine all the charge assignments. Here we choose

$$z_N = -1, z_T = -1, z_{T'} = +1, \quad (\text{A9})$$

which satisfy all the requirements on the gauge anomalies and gauge invariance of the Yukawa terms.

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