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Ultrafast coupling of coherent phonons with a non-equilibrium electron-hole plasma in GaAs

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Abstract: We present a joint experimental-theoretical study of the coupling of coherent phonons in bulk GaAs with a nonequilibrium electron-hole plasma following photoexcitation at the E_1 gap by ultrafast laser pulses. In contrast to prior coherent phonon experiments where photoexcitation across the E_0 gap generated electrons in the Γ valley, for the E_1 gap excitation, the majority of the electrons are generated in the satellite L valleys. This leads to a drastically different situation from the previous studies where the damping of electrons is faster due to the higher scattering rates in the L valley and in addition, the *diffusion* of carriers has a significant effect on the plasma response due to the shorter optical absorption depth of the pump-probe light. Reflectivity measurements show coherent phonon-plasmon oscillations, whose frequencies are indicative of the heavy damping, which leads to coupled-mode frequencies that lie *between* the transverse and longitudinal optical phonon frequencies and change with time due to the diffusion of the plasma. We analyze the experimental data with a theoretical model that describes the time and density-dependent coupling of the coherent phonon and the electron-hole plasma as the photoexcited carriers diffuse into the sample on a sub-picosecond time scale. The calculated phonon-plasmon dynamics qualitatively reproduce the experimentally observed time-dependent frequency.

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I. Introduction

A detailed understanding of the coherent many-body interactions between a photoexcited, nonequilibrium electron-hole ($e-h$) plasma and the lattice vibrations is important in understanding the electronic, optical, and transport properties of semiconductor materials and their devices at THz frequencies. Sudden, above band gap photoexcitation of a semiconductor with a femtosecond laser pulse creates quasiparticles in the valence and conduction bands under nonequilibrium conditions; the subsequent material response reveals the primary quasiparticle interactions as their energy, momentum, and spatial distributions evolve towards equilibrium [1-3]. Ultrafast optical techniques reveal distinct phases of the carrier-lattice dynamics including time-dependent screening, carrier-carrier and carrier-lattice scattering, as well as carrier diffusion [4, 5]. They have been employed for characterizing the electron and hole dynamics in pump-probe transmission and reflectivity, time resolved photoluminescence, THz spectroscopy, four-wave mixing, and time-resolved two-photon photoemission experiments [4-11]. Femtosecond laser pulses have also been used to excite and observe the coherent $q = 0$ optical phonon (coherent phonon) dynamics in a broad range of materials including metals, semimetals, and semiconductors [3, 8, 12-18]. Impurity or photo-doping of semiconductors introduces free carrier plasmas in the valence and conduction bands with frequencies typically in the THz range, where it can couple with the optical phonons of comparable frequency. In polar semiconductors, the coherent collective oscillation of the lattice ions can couple with that of the free charge carrier plasma [19]; the coupling between them renormalizes their bare resonant frequencies and dephasing rates giving rise to a new set of free-carrier density-dependent coupled modes on the time scale of screening [2]. In some cases the carrier-lattice coupling is sufficiently strong to even induce phase transitions on femtosecond time scale [20-22]. Thus, monitoring the time evolution of the coherent THz oscillations through their associated longitudinal field following ultrafast laser excitation directly provides information on the quasiparticle dynamics and correlations as the photoexcited system evolves through various stages towards equilibrium.

Coherent phonons can be excited when photoexcitation of $e-h$ pairs across the band gap of a semiconductor creates a displacive force on the lattice [23]. In the case of the (100) surface of impurity doped GaAs, the dominant coherent phonon excitation mechanism is transient depletion field screening (TDFS) where the photoexcited carrier plasma suddenly screens the electric field within the depletion layer

at the crystal surface [24]. The trapping of carriers at the semiconductor-vacuum interface under equilibrium conditions creates a built-in field, which imposes a static stress on the ionic lattice. Upon photoexcitation, the built-in field accelerates free electrons and holes in the opposite directions whereby it is screened to suddenly release the stress. The step function force triggers the coherent longitudinal optical (LO) phonon oscillations where the Ga and As ions move in the opposite directions so that the center of mass remains constant [3, 13, 25-27]. Simultaneously, screening of the bare lattice by the free carriers gives rise to the dressed modes of the coupled system.

The frequency of the pure (non-interacting) plasma oscillations $\omega_{\text{pl}} = \sqrt{4\pi e^2 n / \epsilon_{\infty} m_{\text{pl}}}$ depends on the free charge carrier density n and their effective mass m_{pl} , which comprise the plasma. The dephasing rate of the plasma γ_{el} also depends on m_{pl} : the carrier mass determines the density-of-states (DOS) of the free carrier bands, and therefore the phase space for the carrier momentum scattering. The period and dephasing of the plasma oscillations define the time scale of screening of the Coulomb interaction through which form the coupled modes of the interacting carrier-lattice system [2, 5].

The coherent coupled mode dynamics for photoexcitation of carriers across the fundamental E_0 gap of GaAs are already well understood from the pioneering work of Kurz, Dekorsy, and others [8, 28-31]. At the fundamental gap, the electrons and holes are photoexcited near the conduction band minimum and valence band maximum both at the Γ -point, where they remain until they recombine across the gap on a time scale that is much longer than the phonon dephasing time. The spatial distributions of electrons and holes are quasi-stationary after the initial acceleration; their diffusion on the time scale of LO phonon dephasing can be ignored due to the large optical penetration depth compared with the depletion layer thickness. Consequently, simple modeling of the coherent phonon dynamics with quasi-stationary LO-electron and LO-hole coupling is a good approximation. The electron plasmon frequencies in the Γ valley are large due to a low value of m_{pl} . In multi-valley semiconductors such as GaAs, however, the photoexcitation can populate different bands and valleys with a heavier m_{pl} within the valence and conduction bands, depending on the excitation wavelength [3, 32]. The larger value of m_{pl} results in a lower ω_{pl} and higher γ_{el} .

Following photoexcitation, the plasma dynamics evolve due the redistribution of free carriers among the different valleys in the conduction band and scattering between the different valence bands [3,

11, 33] as well as by their spatial diffusion [34] on time scales that are comparable to the LO phonon period of 115 fs. Consequently, couplings of the lattice with photoexcited multicomponent plasma can be far more complicated when excited at the E_1 gap of GaAs, which creates electron-hole pairs predominantly in the L valley and with large excess energy in the Γ valley (Fig. 1); there the carrier redistribution among the Γ , L and X valleys occurs on a tens-of-femtosecond time scale [11]. Thus, studying the density- and time-dependent behavior of the coupled plasmon-phonon modes upon E_1 gap excitation can reveal details of the non-equilibrium carrier-lattice dynamics in the near-surface region for different initial plasma densities and carrier distributions.

Here, we investigate the carrier density dependence of the plasmon and phonon properties after ultrafast optical excitation with ~ 10 fs pulses at 400 nm (3.11 eV), whose spectra span the E_1 and $E_1+\Delta_1$ critical points of GaAs at 3.01 and 3.25 eV [35]. Fig. 1 shows the band structure of GaAs and the optical transitions that can be excited at this wavelength from a 30 band $\mathbf{k}\cdot\mathbf{p}$ calculation [36, 37]. We perform time domain measurements of transient reflectivity of GaAs in the electro-optic (EO) sampling mode to record the time-dependent longitudinal polarization field. We find that the frequency of the plasmon-phonon modes changes rapidly on the time scale of LO phonon period due to the intervalley redistribution and density decrease of the photoexcited carriers from the probed region. The experimentally observed time-dependent frequency is qualitatively reproduced by our theoretical model including photoexcitation into Γ and L valleys and *the diffusion of carriers* away from the surface and into the bulk.

This paper is organized as follows: Section II describes the experimental setup for transient reflectivity measurements; Section III presents the experimental results; Section IV presents a model for the time-dependent coupled plasmon-phonon modes due to a spatially non-uniform carrier density and sub-picosecond time scale transport; and Section V gives the discussion and conclusions.

II. Experimental Setup

The sample studied is an (100) oriented n-type GaAs doped with Si at $n_d = 2 \times 10^{18} \text{ cm}^{-3}$. The depletion layer thickness is estimated to be ~ 22 nm and the built-in field 400 kV/cm pointing from the sample to the surface [38]. Pump-probe reflectivity measurements are performed under ambient conditions using the second harmonic of a Ti:sapphire laser with 70 MHz repetition rate (3.11 eV photon energy and

10 fs duration). Details of the experimental technique have been described previously [3, 16, 18, 32]. The pump and probe beams, linearly polarized along the [011] and [001] crystallographic axes, are focused using concave mirrors with either 50, 100, and 150 mm focal lengths onto the same spot on the sample surface with typical beam diameter of $d=10 - 40 \mu\text{m}$. The beams are incident onto the sample with angles of $\sim 5^\circ$ and $\sim 15^\circ$ from the surface normal. The density of the photoexcited plasma of $n_{\text{exc}} \sim 10^{18} - 10^{20} \text{ cm}^{-3}$ is approximately estimated by $(1-R)Q\alpha/\pi d^2$ where R is the reflectivity of the sample (0.477 at 400 nm), Q the number of photons absorbed, and $1/\alpha=15 \text{ nm}$ the optical penetration depth [39]. The effective probe depth is given by $\frac{1}{2} \alpha = 7.5 \text{ nm}$, because the probe light transverses the medium twice. The pump-induced change in the anisotropic reflectivity ($\Delta R_{\text{eo}} = \Delta R_{\text{H}} - \Delta R_{\text{V}}$) is measured in the EO configuration by detecting the difference between the vertically (V) and horizontally (H) polarized components of the reflected probe light along the [011] and $[0\bar{1}1]$ crystallographic axes. The EO detection scheme enables subtraction of the intense isotropic change in the complex index of refraction, thereby enabling sensitive detection of the longitudinal polarization [13]. The transient reflectivity signal is averaged with a digital oscilloscope for 5,000-20,000 scans using a fast-scan (10-20 Hz) pump-probe delay modulation [3, 16].

III. Results

Fig. 2 shows the anisotropic reflectivity change of the GaAs surface as a function of time delay for different photoexcited carrier densities n_{exc} [40]. The coherent response consists of three main components: *i*) a nearly instantaneous and strongly damped transient electronic response; *ii*) a fast ($< 1 \text{ ps}$) decaying oscillatory response; and *iii*) a long-lived ($\sim 4 \text{ ps}$) oscillatory response. The Fourier-transform (FT) spectra of the oscillatory signals (Fig. 3) show, correspondingly, a broad electronic background on top of which at low n_{exc} there is a sharp peak at 8.7 THz; with increasing laser fluence this peak turns into a high-frequency shoulder of another broad band; this new band shifts to a lower frequency and grows in intensity with increasing laser fluence. The frequency of 8.7 THz corresponds to the bare LO phonon reported in the previous studies [32, 41]. The broad band shifts from approximately the LO to the TO phonon ($\omega_{\text{TO}} = 8.0 \text{ THz}$) frequency limits. As we will show formally in Section IV, the carrier density-dependent frequency identifies this mode as the lower branch of the LO phonon-plasmon coupled modes (L-) with predominantly phononic character. The upper branch (L+) with predominantly plasmonic character will be

briefly discussed in Section IV [42]. The appearance of the L- mode in the reststrahlen gap between the LO and TO modes is expected for a strongly damped plasma, as has been observed in the previous Raman studies on the p-type GaAs [43-45]. We will discuss the frequency and damping behavior of the L- mode in detail in the following section.

From the FT spectra we extract the amplitudes of the bare LO phonon and L- modes and study their behavior with changing photoexcited carrier density. The L- mode has an asymmetric lineshape and its width varies with the excitation density; therefore, its amplitude is obtained by digital integration of the signal. Where the LO mode has a significant contribution, its weight is subtracted from the total coherent response based on its frequency and dephasing times assuming a Lorentzian lineshape. The extracted peak amplitude vs. the peak carrier density between for two excitation regimes corresponding to n_{exc} of 1.6×10^{18} - $2.1 \times 10^{19} \text{ cm}^{-3}$ is reported in Fig. 4(a) and 3.1×10^{19} - $2.7 \times 10^{20} \text{ cm}^{-3}$ in Fig. 4(b) In the lower density regime [Fig. 4(a)], the LO phonon amplitude increases linearly with increasing carrier density, reflecting a linear increase in the driving force. The amplitude, frequency and decay time of the coherent response is independent of the pump pulse polarization in the investigated $< 10^{19} \text{ cm}^{-3}$ density range [46], indicating that its excitation mechanism is the transient depletion field screening as is the case of 800 nm excitation [32]. Anisotropic contributions to the generation and relaxation dynamics, such as the deformation potential interaction, are likely to be considerably smaller, as we found previously for Si [47].

Above the critical density of $\sim 3 \times 10^{19} \text{ cm}^{-3}$, further increasing the laser fluence does not increase the driving force for excitation of the bare coherent LO phonons [Fig. 4(b)]. The saturation of the LO phonon amplitude is consistent with the complete screening of the depletion field. Additional carriers above the critical density for releasing the lattice strain do not contribute to the driving force for the TDFS mechanism. This behavior is quite similar to what was observed for n-doped GaAs with pumping and probing near the fundamental band gap [41], although the critical density with 400 nm excitation is somewhat higher than for a similarly doped sample. The higher critical density may reflect the higher effective carrier mass with 400 nm excitation, which reduces ω_{pl} for comparable carrier density. In the higher density regime the L- amplitude continues to increase linearly with the pump power because the amplitude of the charge-density fluctuations grow with the plasma density. Similar saturation of the screening of the surface field was observed in the emission of coherent acoustic phonons in GaAs by

inverse piezoelectric effect [48].

The coupled mode frequency depends on the pump density, but also evolves with time delay as the photoexcited carrier density decreases. This can be visualized by performing time-windowed FT analysis of the coherent reflectivity responses. Here we use a Gaussian time window with FWHM of 293 fs whose center position is scanned along the time delay axis. The frequency of the time-windowed FT peak is plotted in Fig. 5 as a function of the position of the time window for different pump densities. For the time-window position of <300 fs, which is comparable with the time-window width and the dynamics reflect the sudden turning of the force, the frequency upshifts steeply toward the TO frequency. Between 0.3 and 1.5 ps, the frequency upshifts from the TO toward the LO frequency limits. After 1.5 ps, the frequency stays at the LO frequency. The frequency at 0.3 ps is lower, *e.g.*, closer to the TO frequency limit, for higher pump density. The time evolution in the first 1.5 ps can be interpreted in terms of the creation and decay of the L- mode through the sudden creation of photocarriers, their diffusion from the surface, and the damping of the plasmon mode, as will be discussed in Section III.

We also extract decay times of the coherent modes. The decay times of the fast decaying L- mode as a function of the carrier density are obtained by fitting the fast decaying oscillatory signal to an exponentially damped harmonic oscillator model. The decay times, which are reproduced in Fig. 6, show different trends in the low and high carrier density regimes; at lower densities (between $1.6 \times 10^{18} \text{ cm}^{-3}$ to $2.1 \times 10^{19} \text{ cm}^{-3}$) the decay times decrease from 0.93 to 0.48 ps, but at higher densities they saturate at around 0.45 ps.

The decay of the L- mode, because it is a mixture, has contributions from both the plasmon and the bare LO phonon decay [8], but it is dominated by the stronger plasmon damping. In Raman scattering measurements it was observed that the decay rates of coupled-plasmon phonon mode increases linearly with the doped electron density [49]. This is consistent with theoretical calculations [50]. The coupled mode decay upon E_I gap excitation is comparable at low densities, but at high densities it becomes considerably faster than found in *n*-GaAs when excited at the fundamental E_0 gap where the doped carriers dominate the dynamics [41, 51]. The damping is nevertheless slower than for *p*-doped GaAs at 800 nm [51]. The observed carrier density dependent L- mode dephasing can be understood, therefore, as being dominated by slow damping of the doped Γ valley electrons for low fluence excitation, which is overtaken

by the faster dephasing of the photodoped carriers at the high fluence. This is because the heavy carriers created with E_i gap excitation, *i.e.*, the valance band holes and L valley electrons, undergo faster momentum scattering as already discussed.

The decay times for the bare LO phonon mode are extracted by fitting another exponentially damped harmonic oscillator to the EO signal for time delays $\tau > 2$ ps after the L- mode has decayed. Like the bare LO phonon frequency, the decay time of this mode is not dependent on the instantaneous photocarrier density (Fig. 7). The measured decay time of ~ 3 ps for the bare LO phonon is in the range of reported values in several experimental studies for different GaAs samples at room temperature [8, 49]. The bare LO phonon signal can have contribution from both the residual coherent response after the plasma response has dephased, or it may come from the low-density wings of the transverse Gaussian carrier distribution [52]. The decay of the LO phonon in GaAs most likely is determined by anharmonic coupling with the acoustic phonons, with a zone center LO mode decaying into two zone edge acoustic phonons [49, 53, 54]. This process can simultaneously conserve both momentum (wavevector) and energy and typically has a decay time ranging from 4 to 8 ps depending on the sample temperature.

Next we consider theoretically the dynamical responses of GaAs, which give rise to the observed photocarrier density and delay time dependent behavior of the coupled phonon-plasmon modes.

IV. Theory and Modeling

A. Coupled Plasmon-Phonon Modes

Modeling the transient oscillations representing the interaction of the photoexcited nonequilibrium $e-h$ plasma with the GaAs lattice on the femtosecond time scale is a formidable task. The response has contributions both from the phonons as well as the plasmons, which interact with each other through the Coulomb interaction leading to the coupled plasmon-phonon modes. Moreover, the plasma has contributions from holes in multiple valence bands and electrons distributed anisotropically among multiple conduction band valleys (Γ , L, X). The transient response is obtained by solving the equations for the *coupled plasmon-phonon modes*:

$$\frac{\partial^2 \mathbf{P}}{\partial t^2} + \gamma_{el} \frac{\partial \mathbf{P}}{\partial t} + \omega_{pl}^2 \mathbf{P} = \frac{e^2 N(t)}{\epsilon_\infty m_{pl}} (\mathbf{E} - 4\pi \gamma_{12} \mathbf{W})$$

$$\frac{\partial^2 \mathbf{W}}{\partial t^2} + \gamma_{ph} \frac{\partial \mathbf{W}}{\partial t} + \omega_{LO}^2 \mathbf{W} = (\gamma_{12} / \epsilon_\infty) (\mathbf{E} - 4\pi \mathbf{P}).$$
(1)

Here \mathbf{P} is the electronic polarization, and \mathbf{W} is the normalized lattice displacement, ($\mathbf{W} = \sqrt{\rho} u$ where u is the optical mode displacement and ρ the density) and m_{pl} is the plasmon (optical) mass of the carrier. The plasmon and phonon mode damping constants are γ_{el}, γ_{ph} , and we note that in the absence of coupling, their decay rates are given by $\frac{\gamma_{el}}{2}, \frac{\gamma_{ph}}{2}$ respectively. ω_{LO} and ω_{pl} are the already defined longitudinal optical phonon and the plasmon frequencies. The coupling between the plasmons and the phonons is given by $\gamma_{12} = \omega_{TO} \sqrt{(\epsilon_0 - \epsilon_\infty) / 4\pi}$ where ϵ_0 and ϵ_∞ are the low and high frequency dielectric constants. The term $N(t)$ represents the generation of photoexcited carriers by the pump laser pulse. \mathbf{E} is a static applied electric field, which can be internal, *e.g.*, the surface depletion field, or external.

Photoexcitation of GaAs by a 400 nm 10 fs laser pulses creates carriers in all three conduction band valleys, the Γ , X, and L and three valence bands, the heavy hole, the light hole and the spin-orbit split hole band. This is illustrated in Fig. 1, where we show the electronic band structure of GaAs.

As previously noted, the excitation is dominated by the E_1 and $E_1 + \Delta_1$ critical points, corresponding to transitions from the heavy hole and light hole valance bands directly into the L valley of the conduction band. While there are optical transitions directly into both the Γ and the L valley, the dynamics are dominated by the L valley carriers. Although the Γ valley excitation has larger transition moments, the L valley has a higher joint DOS. Therefore according to the $\mathbf{k} \cdot \mathbf{p}$ calculation of the electronic bands, the initial L valley population that is created by photoabsorption is five times larger than that of the Γ valley. Moreover, the Γ valley electrons rapidly scatter within <20 fs via intervalley deformation potential phonon scattering into both of the satellite X and L valleys [11]. There is no direct photoexcitation into the conduction band X valley; rather electrons scatter from either the Γ or L valleys. Light to heavy hole valence band scattering also occurs on a hundred fs time scale similar to Ge [55, 56].

As a result of the multi-band and multi-valley excitation and rapid carrier scattering, the electronic system can be considered as a coupled six component plasma consisting of Γ , X, and L electrons and heavy, light and split-off holes. A full description of the coupled carrier-phonon system should include in addition to Eq. (1) five additional equations for each of the carrier type as well as the coupling and scattering terms between and within each type to take into account of the ultrafast generation, interaction, and decay of all carriers. Accounting of each type of carrier interacting with the lattice is not justified, however, because experiments show evidence for only a *single effective* plasma response with a frequency and damping that subsumes the complexity of the multicomponent plasma.

To proceed, we simplify the coupled mode equations in Eq. (1) by setting the electric field to zero, and neglecting the generation term. We can then assume the forms:

$$\begin{aligned}\mathbf{P} &= \mathbf{P}_0 e^{-i\omega t} \\ \mathbf{W} &= \mathbf{W}_0 e^{-i\omega t},\end{aligned}\quad (2)$$

which will allow us to determine the eigenmodes of the coupled set of differential equations. We find that the eigenmodes of the equation are given by solutions to:

$$\begin{aligned}\omega^4 + \omega^3(i\gamma_{\text{ph}} + i\gamma_{\text{el}}) - \omega^2(\omega_{\text{LO}}^2 + \gamma_{\text{el}}\gamma_{\text{ph}} + \omega_{\text{p}}^2) \\ - \omega(i\omega_{\text{LO}}^2\gamma_{\text{el}} + i\omega_{\text{pl}}^2\gamma_{\text{ph}}) + \omega_{\text{pl}}^2\{\omega_{\text{LO}}^2 - 4\pi(\gamma_{12}^2/\epsilon_{\infty})\}\end{aligned}\quad (3)$$

Eq. (3) can be solved to find the frequencies of the coupled modes, L- and L+. We note the solution to Eq. (3) is formally equivalent to solving for the zeroes of the dielectric function:

$$\epsilon(\omega) = \epsilon_{\infty} \left[1 - \frac{\omega_{\text{pl}}^2}{\omega^2 + i\gamma_{\text{el}}\omega} + \frac{\omega_{\text{LO}}^2 - \omega_{\text{TO}}^2}{\omega_{\text{TO}}^2 - i\gamma_{\text{ph}}\omega - \omega^2} \right] \quad (4)$$

Eq. (4) however, is usually used in the *cw* excitation limit (for Raman spectroscopy for instance) where the carriers come from doping and as a result, *only one type of carrier* is present. In addition, Eq. (4) cannot treat the initial, transient response to the photoexcitation used in pump-probe spectroscopy whereas Eq. (1) can. The solutions to Eq. (3) [or Eq. (4)] are still useful and provide valuable insight.

From Eq. (3), we see that by making the substitution $z = i\omega$, we get a fourth-order equation in the complex variable z with *real* coefficients. This means that the roots of the z equation are either real or there is an even number of complex roots that occur in conjugate pairs. For the complex variable ω this means

that the roots occur in pairs, $\omega = \pm\omega_r - i\omega_i$ or that they are completely imaginary (such as in the case of the overdamped plasmon mode near zero carrier density). This of course makes physical sense since if there is a positive real frequency solution, there should also be a negative real frequency solution and both should have the same damping.

The solutions to Eq. (3) depend on carrier density and type (mass) through the plasma frequency. Referring to the band structure of GaAs in Fig. 1, for the Γ valley where the conduction band is locally spherical the carrier mass m_{pl} is just the effective mass for that valley (*i.e.*, the Γ valley electrons). For the X and L valleys where the conduction band is locally ellipsoidal, m_{pl} is a weighted average of the longitudinal and transverse masses given by $1/m_{pl} = 1/(3m_l) + 2/(3m_t)$, which is often called the *optical mass* [57]. Because the smaller transverse mass is weighted by a factor of 2 compared to the longitudinal mass, screening by carriers in the X and L valleys is not as ineffective as one might infer from the curvatures of the conduction band potential in Fig. 1. In fact, from masses listed in Table I we see that the optical mass for the L valley is only 0.11 m_0 , which is less than a factor of two larger than for the Γ valley.

Some insight in the plasma response is gained if one looks at the bare (non-interacting) plasma frequencies as a function of density for different bands/valleys (and hence different effective masses) without the inclusion of any damping or coupling, and assuming that the bands and valleys can be approximated with parabolic dispersions over the density range. The calculated plasma frequencies for the six types of carriers as a function of their density are shown in Fig. 8. The parameters we use for the effective (optical) masses are shown in Table I.

Table I. The optical masses used in the calculations of plasma frequencies for different carrier types in GaAs. m_0 is the free electron mass.

Valley	Mass
Γ	0.063 m_0
L	0.11 m_0
X	0.27 m_0
Light Hole	0.08 m_0
Heavy Hole	0.5 m_0
Split-off Hole	0.15 m_0
L and Heavy Hole (m^*)	0.09 m_0

The curves in Fig. 8 tell us the densities at which a given type of carrier interacts strongly with the phonons leading to the renormalized L- and L+ modes. When the plasma frequency is close to the LO or TO frequency then the eigenmodes are strongly coupled and they mix. This gives rise to the L- and L+ coupled modes. If the carrier density and hence plasma frequency is small, then the coupled modes are only weakly coupled and are given approximately by a plasma-like and a LO phonon-like modes. For example, heavy holes (purple line) at the top of the valence band need to reach a density of about $4-5 \times 10^{18} \text{ cm}^{-3}$ to interact, whereas Γ valley electrons (red line) at the bottom of the conduction band can strongly interact at carrier densities less than $1 \times 10^{18} \text{ cm}^{-3}$. In the photoexcitation experiment with 400 nm light, most electrons and holes will be excited to or scatter into the L valley of the conduction band and the heavy hole subband of the valence band in less than the period of LO phonon vibration. Both will contribute to the plasma response with the frequency of the plasmon given by the effective mass, m^* , where $1/m^* = 1/m_L + 1/m_{HH}$, which yields $m^* = 0.09 m_0$. The frequency of the combined heavy hole and L valley plasmon as a function of the carrier density is shown by the black line in Fig. 8. As we can see in Fig. 8, the effective plasma frequency as a function of density is most similar to that of the light hole plasma, but it is not too different from the plasma frequency of the Γ valley electrons.

The exact numerical solutions of Eq. (3) *including the effects of both mixing and damping* for the coupled modes are shown in Fig. 9 using the above defined m^* for the plasmon mass which includes the heavy hole and the L valley carriers together. Fig. 9 shows the real (a) and imaginary (b) parts of both the L+ and L- modes. We note that for weaker damping (40 THz), the “plasmon” like mode is similar to that

shown in Fig. 8, but shows level repulsion (hybridization) when the plasmon mode crosses the LO and TO phonon energies.

When coherent phonons are generated with 800 nm excitation near the fundamental band gap of GaAs [8, 30], the damping is lower because the momentum scattering rate for the electrons in the Γ valley is slower than for excitation at 400 nm where it is much faster due to the increased DOS in the L and X valleys. In the low damping case, there is no solution of Eq. (3) where the real part of the frequency lies between the bare ω_{TO} and ω_{LO} frequencies. In contrast, for higher damping (100 THz), as shown in Fig. 9(a), the real part of the roots can lie between the ω_{TO} and ω_{LO} frequencies. The higher damping will also cause the necessary density for the crossing of the two roots to increase. For instance, in Fig. 8 for the m^* plasmon mode, we see that the non-interacting plasmon lies between the ω_{TO} and ω_{LO} frequencies at a carrier density of about $1 \times 10^{18} \text{ cm}^{-3}$, but for the strong damping (100 THz) case in Fig. 9(a), it is closer to $2 \times 10^{18} \text{ cm}^{-3}$. The existence of roots between the TO and LO limits in the strongly damped case has been observed experimentally in previous Raman scattering measurements on p-doped GaAs [43-45], as well as surface second harmonic generation measurements of coherent phonons at the surface of GaAs [31].

Fig. 9(b) shows the imaginary parts of the roots for $\gamma_{el} = 40$, and 100 THz and for the phonon damping $\gamma_{ph} = 0.2$ THz. For low damping, (40 THz) we see that the imaginary parts of the roots cross; as the modes interchange their dominant character, their effective damping rates switch through the crossing region [42]. For high damping (100 THz), however, there is no crossing. Rather at the lowest carrier densities, we see that the “plasmon-like” mode is overdamped (and the imaginary part of the root bifurcates). This leads to the finite value of density when the “plasmon-like” mode becomes non-zero in Fig. 9(a). We also see that mixing of the modes leads to a larger value of the damping of the “phonon-like” mode than γ_{ph} . This comes from the mixing of the modes with higher damping of the plasmon γ_{el} leading to a larger damping.

The condition for the real part of the roots to start appearing in the reststrahlen gap between ω_{TO} and ω_{LO} occurs when γ_{el} is slightly less than $2\pi\omega_{\text{TO}}$ (for the plasmon mass m^* , and a phonon damping constant of 0.2 THz). Behavior of the real part of the frequency of the coupled modes near this critical

value is shown in Fig. 10. Even for $\gamma_{el} = 46$ THz, the roots lie in the gap, but it is not until $\gamma_{el} = 48$ THz, that they actually cross.

In Fig. 11, we show the “phonon-like” roots as a function of carrier density for different types of carriers (as shown in Table 1). In (a) we plot the roots as a function of density for $\gamma_{el} = 100$ THz and in (b) for $\gamma_{el} = 200$ THz. It can be concluded that having the real phonon like root to vary between the ω_{LO} and ω_{TO} limits over a wide carrier density range, such as observed in the experiments, requires a large (>100-200 THz) plasmon damping.

B. Carrier Dynamics and Diffusion

The results presented so far suggest high (>100 THz) damping rates for the coherent plasma oscillations in the coherent phonon measurements with 400 nm light. In other coherent phonon experiments on GaAs with 800 nm excitation, the properties of the L- mode suggested substantially weaker damping such that its frequency remained outside of the reststrahlen band. The dephasing of $q=0$ plasmons is determined by the momentum scattering of electrons and holes, which has been investigated in other ultrafast optical experiments. After the initial photoexcitation of carriers, several different types of scattering processes occur. These include intravalley ($\Gamma \leftrightarrow \Gamma$, $L \leftrightarrow L$) and intervalley scattering ($\Gamma \leftrightarrow L$, $\Gamma \leftrightarrow X$, $L \leftrightarrow X$) within the conduction band, as well as inter and intra-valence band scattering [11, 58]. For example, Becker et al. report that for excitation in the Γ valley interband polarization dephasing times decrease from 24 to 14 fs as the carrier density increases from 1×10^{18} to 7×10^{18} cm^{-3} , which they attributed to the carrier momentum scattering and the carrier-carrier Coulomb interaction [59, 60]. Similarly, Kanasaki et al. found fast (~ 20 fs) intervally scattering from the Γ to L and X valleys through deformation potential interactions [11]. In the case of 400 nm excitation, the plasma dominated by L valley electrons and heavy holes is likely to experience momentum scattering on comparable or faster time scales as will be evident from further modeling of the coherent phonon dynamics [8, 49, 51, 53].

1. Carrier ambipolar diffusion.

In addition to scattering among and between bands and valleys, for 400 nm excitation, the absorption length of 15 nm is quite small in relation to the sample thickness. As a result, the initial

photoexcited carrier density has a strong gradient with respect to the distance z into the sample. The initially created exponentially decaying carrier density distribution into the sample is approximately given by:

$$N(z, 0) = N_0 e^{-\alpha z}. \quad (5)$$

where α is the absorption coefficient. Therefore, in order to describe the carrier dynamics, in addition to carrier scattering, one must also account for their *diffusion* into the sample. For an infinite half-space with an initial exponential distribution, one can find an exact solution to the diffusion equation [61],

$$N(z, t) = \frac{N_0}{2} e^{\alpha^2 D t} \left[e^{-\alpha z} \operatorname{erfc} \left(\frac{2\alpha D t - z}{\sqrt{4Dt}} \right) + e^{\alpha z} \operatorname{erfc} \left(\frac{2\alpha D t + z}{\sqrt{4Dt}} \right) \right] \quad (6)$$

where N_0 is the initial density of the chosen carrier type on the surface of the sample, D is the carrier-specific diffusion constant, and $\operatorname{erfc}(x)$ is the complementary error function.

Because both electrons and holes are generated in equal numbers, they diffuse together in a process called ambipolar diffusion. The ambipolar diffusion constant for photoexcited carriers in undoped systems is given by:

$$D_{\text{am}} = (\mu_h D_e + \mu_e D_h) / (\mu_e + \mu_h) \quad (7)$$

where D_e and D_h are the electron and hole diffusion constants, and μ_e and μ_h are the corresponding carrier mobilities. Although ambipolar diffusion for band gap excitation into the Γ valley of GaAs has been studied [62, 63], here we have to consider the case with a large transient population of carriers in the L and X valleys. In addition, the highest mobilities are typically known for undoped, semi-insulating material and the mobility drops greatly with doping due to ionized impurity scattering. The diffusion constants and mobilities for the holes are somewhat better known. We estimate that the diffusion constants of electrons and holes at 300 K in GaAs are approximately given by: $D_e < 100\text{-}200 \text{ cm}^2 \text{ s}^{-1}$, $D_h = 10 \text{ cm}^2 \text{ s}^{-1}$ [64].

Because the majority of the electrons are in the L valley, we can also estimate the diffusion constant of electrons from Ge were the lowest valley is the L valley; there the diffusion constant for electrons is $D_e < 100 \text{ cm}^2 \text{ s}^{-1}$ [65], which is consistent with our previous estimate. Using these values for the electron and hole diffusion constants and assuming the electron mobility is 1 to 10 times greater than the hole mobility leads to an estimate of the ambipolar diffusion constant in the range from 15 to 75 $\text{cm}^2 \text{ s}^{-1}$.

This is in agreement with Young and van Driel [66], who estimate the ambipolar diffusion constant in GaAs at room temperature to be $20 \text{ cm}^2 \text{ s}^{-1}$ at low carrier densities, which increases to below $80 \text{ cm}^2 \text{ s}^{-1}$ for carrier densities (in the Γ valley) greater than $1 \times 10^{19} \text{ cm}^{-3}$. Solutions to Eq. (6) are shown in Fig. 12 for different values of the ambipolar diffusion constant between $15\text{-}75 \text{ cm}^2 \text{ s}^{-1}$. The initial distribution at $t=0$ is an exponential decay with the 15 nm absorption length of GaAs at 400 nm .

Transient reflectivity experiments are extremely sensitive to changes in the carrier density near the surface of the sample. The surface carrier density can be determined from Eq. (6) by setting the distance into the sample, $z = 0$. From Fig. 12(a), we see that the surface carrier density decreases to from 25% to 45% of its initial value in the first 100 fs depending on the value of the diffusion constant. In Fig. 12(b), we plot the surface carrier density as a function of time for ambipolar diffusion constants $15, 30$ and $75 \text{ cm}^2 \text{ s}^{-1}$. As the carrier density changes, so do the frequencies of the coupled modes given in Eq. (1). Initially the carrier density at the surface decreases nonadiabatically, so there cannot be a well-defined coherent mode frequency in the first 100 fs , as is evident from the regime 1) of the experimental time dependent coupled mode frequency (Fig. 5). After the initial rapid decay the carrier density changes on a time scale that is slower compared to the period of the normal modes. As a result, we can assume that the frequencies of the normal modes adiabatically follow the surface carrier density, given by:

$$N(0, t) = N_o e^{\alpha^2 D_{am} t} \left[\text{erfc} \left(\frac{2\alpha D_{am} t}{\sqrt{4D_{am} t}} \right) \right]. \quad (8)$$

We note that we have neglected surface recombination in Eq. (8). In principle this could lead to an even faster decay of the surface carrier density.

C. Calculations of Time-Dependent Coupled Mode Frequencies

The dynamics of 6 types of carries (3 hole types, 3 electrons, etc.) with intra- and inter-band scattering and diffusion is beyond the scope of this paper. Instead, we focus just on the combined system of the L valley electrons and the heavy holes with m^* being the effective plasmon mass, because most of the carriers are photoexcited in these phase space regions. We solve for the coupled-mode frequencies, at the surface of the sample given by Eq. (3). We assume that the photoexcited electrons undergo ambipolar diffusion into the sample starting from the initial spatial distribution, which is given by Eq. (5), and use Eq.

(8) to determine the surface electron density as a function of time. We also assume that the coupled mode frequencies adiabatically follow the carrier density. We calculate the time dependent frequencies of the two coupled modes as the carriers diffuse into the sample.

In Fig. 13, we plot the frequencies of the L+ and L- coupled modes as a function of time for an initial carrier density of $1 \times 10^{19} \text{ cm}^{-3}$, a damping $\gamma_{el} = 40, 50, \text{ and } 100 \text{ THz}$. As can be seen, in all cases, initially the carrier density is high and the LO like mode is screened out to give the L- mode at the TO frequency. As the electrons diffuse into the sample the carrier density at the surface decreases. As already noted in Fig. 13, for $\gamma_{el} = 40 \text{ THz}$, there is no crossing of the roots and no roots exist between the LO and TO frequencies. By contrast, for both the 50 and 100 THz cases, the stronger damping now confines the L- mode predominantly between the LO and TO frequencies until the two modes cross. We note that for 100 THz, the plasma-like mode goes to 0 at about 2.25 ps, because at low density it is overdamped.

The plasma damping in the experimental system most likely falls in the range between $\gamma_{el} = 100 \text{ to } 200 \text{ THz}$. This corresponds to a momentum decay time of the plasmon (in the non-interacting limit) of 10 to 20 fs. The momentum decay time results from strong momentum scattering for *both* the heavy holes as well as the L valley electrons, which have a large DOS.

In Fig. 14 we plot the L+ and L- modes for densities varying between $0.5 \times 10^{18} \text{ cm}^{-3}$ and $3.0 \times 10^{19} \text{ cm}^{-3}$ for (a) $\gamma_{el} = 100 \text{ THz}$ and (b) $\gamma_{el} = 200 \text{ THz}$ and an ambipolar diffusion constant of $30 \text{ cm}^2 \text{ s}^{-1}$. We see that for such high damping, at all densities the L- solutions are between the LO and TO frequencies in accordance with experiments; the time scale for the transition from the TO to the LO frequency depends on the initial carrier concentration, and is complete within the first 2 ps for all densities.

D. Differential Reflectivity Signal

Once we have established a model for the time-dependent coupled mode frequencies as shown in Fig. 14, we can calculate their contribution to the differential reflectivity signal. Assuming that the frequency of the mode is slowly varying, which is valid after the first 100 fs, we can then use the adiabatic approximation to estimate the contribution from a given mode:

$$\frac{\Delta R}{R} \sim C \exp\left(-i \int_0^t \text{Re}[\omega(n(t))] dt - \int_0^t \text{Im}[\omega(n(t))] dt\right). \quad (9)$$

Here C is a coupling constant that determines how strongly the mode couples to the reflectivity. In previous work, Kuznetsov *et al.* found the coupling ratio to be -2.7 for the plasmon-like mode with respect to the phonon-like mode [27]. We note that the exponential contains *integrals* over the real and imaginary parts of the mode frequencies. This is similar to the WKB approximation from quantum mechanics where the integral is needed to keep track of the overall phase and damping of the oscillation [67].

In Fig. 15, we show the signals (normalized to initially 1) from the plasmon-like (red) and phonon-like (blue) modes. Fig. 15(a) corresponds to a damping $\gamma_{el} = 100$ THz while Fig. 15(b) corresponds to stronger damping $\gamma_{el} = 200$ THz. The initial surface carrier density is $1.0 \times 10^{19} \text{ cm}^{-3}$. We see that the plasmon-like L+ mode (red) is damped out quicker for the 200 THz case, as expected. The phonon-like L-mode (blue), however, appears to damp out quicker for the 100 THz case. At first this might seem counter-intuitive, but we can understand this effect from Fig. 9(b). The decay of the phonon-like mode is not determined solely by γ_{ph} but also includes the mixing of the two γ modes. In Fig. 9(b), we see that the larger damping (in the first 2 ps) for the phonon-like mode occurs for the *smaller* value of γ_{el} . Simply stated, the L- mode is more phonon-like including its damping for the higher plasmon damping.

In Fig. 16, we show the signal for the L+ plasmon-like (red) and L- phonon-like (blue) modes for $\gamma_{el} = 100$ THz and two different values for the diffusion constant: 15 and $70 \text{ cm}^2\text{s}^{-1}$ to examine the effects of diffusion. We see that the larger diffusion constant causes the two modes to cross in a shorter amount of time, which leads to less damping of the L- mode for the higher value of the diffusion constant [42].

Once we have obtained the time domain signal, we can take the Fourier transform and plot the square root of the absolute square of the Fourier transform. We plot the Fourier amplitudes in Fig. 17 for several values of the initial surface density ranging from $5 \times 10^{18} \text{ cm}^{-3}$ to $3 \times 10^{19} \text{ cm}^{-3}$ and a diffusion constant of $30 \text{ cm}^2\text{s}^{-1}$. In (a) the damping is $\gamma_{el} = 100$ THz and in (b) it is $\gamma_{el} = 200$ THz. We have plotted the Fourier amplitude for the phonon-like modes (blue curves in Fig. 15 etc.). We see that in both cases, at higher initial densities, the power spectrum is peaked between the LO and TO frequency, as observed in the experiments.

In Fig. 18, we show the time domain reflectivity signal (a) and the calculated Fourier amplitude (b) for densities ranging from 0.6×10^{18} to 2.1×10^{19} cm^{-3} and with $\gamma_{el} = 150$ THz and $D_{am} = 15$ cm^2s^{-1} . These values seem to produce the best qualitative agreement with the experimental curves shown in Fig. 2 and Fig. 3. We include the effects of both modes (the phonon-like and plasmon-like modes) with the plasmon mode having an initial amplitude of -2.7 times the phonon-like mode [27]. As can be seen, the inclusion of the plasma like mode gives the initial derivative like feature near $t = 0$.

While the agreement between the theoretical calculations and experiment looks qualitatively and even semi-quantitatively correct, it is important to note that the theoretical calculations are done at a *single peak* carrier density. In the experiment, the laser pulse has a Gaussian profile in the lateral direction on the surface. As a result, the theoretical calculations should be averaged over a Gaussian distribution of densities. Only the center of the Gaussian would have the highest densities and the wings would have a much smaller density. In fact, we believe that some of the signal at longer times > 2 ps at the LO frequency comes from the low density wings of the pulse spatial profile on the surface plane [52]. At these densities, the coupling between the plasma and phonons is very weak and hence the decay time of the LO mode approaches the bare LO phonon damping term γ_{ph} . In contrast, at higher carrier densities, the damping of the phonon-like mode will be higher due to the stronger coupling with the highly damped plasma mode.

V. Discussion and Conclusions

Here we discuss the main characteristics of the transient anisotropic reflectivity and the corresponding FT spectra at various carrier density levels. The main characteristic of 400 nm excitation at the E_1 gap is the creation of a high-density L valley electron-heavy hole plasma within the shallow absorption depth (15 nm) from the GaAs surface. These features define the photogenerated plasma screening, frequency, dephasing, and diffusion characteristics. The main feature of the time domain signal is a highly damped oscillation in the signal between 0.2-2 ps time delay followed by a weaker but long-lived oscillation at the bare LO phonon frequency. The FT spectra contain two main features which we attributed to the L- and LO phonon modes. The strength of the LO mode frequency does not change with initial photoexcited carrier density, but the time integrated L- frequency changes from near the LO

frequency to near the TO frequency with increasing initial photoexcited carrier density [52]. This is somewhat unusual since in several previous experiments on n-doped GaAs the coupling of LO phonon with the Γ valley electrons caused the L- frequency to shift from *below* TO (8.0 THz) towards the TO limit as the carrier density was increased [32, 41, 51]. The appearance of the L- mode between the TO and LO modes might be considered as anomalous, but in fact it is characteristic of the *strong* damping of heavy carrier plasmas. Indeed, in other Raman scattering experiments on p-doped GaAs [31, 43-45] this same trend where the L- mode shifts from the TO to the LO limits was observed, and attributed to the strong hole-plasmon damping. In our case, the frequency change of the L- mode is analyzed by considering highly damped plasmon-phonon coupling with contributions to the damping from both the heavy hole plasma and the conduction band satellite L valley electron plasma. We conclude that the strong damping of the combined L valley electron and heavy hole plasmon leads to the L- frequency behavior. Such high damping in this case contrasts with the experiments for the E_0 gap excitation with infra red-visible light, where the relatively slower damping of the lighter carriers in the Γ valley of n-doped GaAs lead to the textbook plasmon-phonon coupling behavior.

By analyzing the experimental data and comparing it with a theoretical model that describes the time-dependent coupling of the coherent phonon and the electron-hole plasma as the photoexcited carriers diffuse into the sample on a picosecond time scale, we find that diffusion is important because with the 15 nm absorption depth of the pump pulse, it is the dominant process, which changes the plasma density on the time scale of the coherent phonon oscillations. As the photoexcited carriers rapidly diffuse into the sample away from the surface, the density dependent plasmon-phonon coupling changes, which leads to a time-dependent frequency of the observed oscillations. The calculated phonon-plasmon dynamics qualitatively reproduces the experimentally observed time-dependent frequency. Mics *et al.* also report evidence for strongly diffusion dependent electron dynamics on a picosecond time scale in a recent 400 nm pump-THz probe experiments [68].

The FT intensities are analyzed as a function of the carrier density. The L- intensity increases with the carrier density at two density regimes because the plasmon component dominates the coupled mode behavior. The phonon peak intensity behavior is explained using a screening model of coherent phonon generation. It is observed that with increasing carrier density the screening of the depletion layer electric

field first increases linearly showing linear LO phonon peak intensity with carrier density. But it saturates with further increase of the carrier density showing that the screening of the depletion electric field is complete. As a result the strength of the coherent phonon generation is also saturated and the peak intensity does not increase with increasing carrier density. A linear increase of amplitude of the reflectivity signal was also observed in the case of GaAs with 800 nm excitation [13]. However, both the L- and LO mode amplitudes were sublinear in another similar study with 800 nm excitation though at lower carrier densities [51, 69]. Here we distinctly observe two regimes of carrier density showing increasing screening effects with increasing carrier density.

The coupled modes described in the present theoretical model are adiabatically coupled, whereas the coupled modes form on the time scale of the inverse plasma frequency [2, 51]. The screening dynamics not described in the model may be responsible for the effective coherent oscillation frequency below ω_{TO} that is observed in the windowed FT spectra in Fig. 5. This observation may be related to the delayed formation of the coupled modes due to the relatively slow screening in photodoped semiconductors [51].

To conclude, we have observed carrier density dependent behavior of the coherent phonon amplitude, in bulk GaAs photoexcited with a 400 nm pump pulse. This indicates that the dispersive force associated with screening of the depletion field is the dominant force behind the coherent phonon generation. We found for a 400 nm pump pulse: 1) that the L- mode lies *between* the TO and LO frequency indicating that the plasmon (composed of both satellite L valley electrons and heavy holes) is strongly damped; 2) the absorption length is short (15 nm) and as a result, diffusion of carriers away from the surface, rapidly changes the carrier density (and hence the plasmon-phonon coupling) as a function of time; 3) the evolution of the decay time and frequency with increasing density indicate that the dynamics are dominated by the carrier momentum scattering time involving the heavy holes and the satellite L valley electrons.

Acknowledgements

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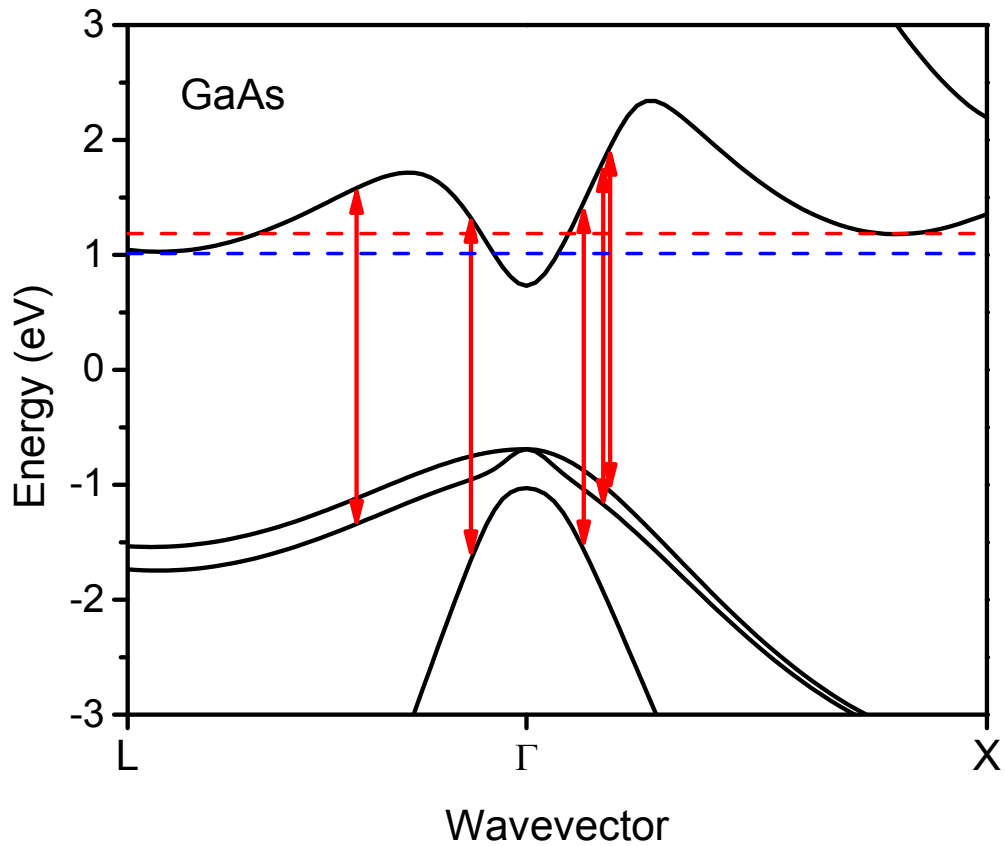


Fig. 1. Allowed energy transitions in GaAs for pumping by a 400 nm (3.11 eV) pump pulse. The electronic structure is calculated from a 30 band $\mathbf{k}\cdot\mathbf{p}$ calculation. Holes are created in all three valence bands. Electrons are generated directly in both the Γ and the L valleys. All conduction band electrons are energetically able to scatter among the Γ and the satellite X and L valleys. The dotted blue and red lines show the bottoms of the L and X valley, respectively.

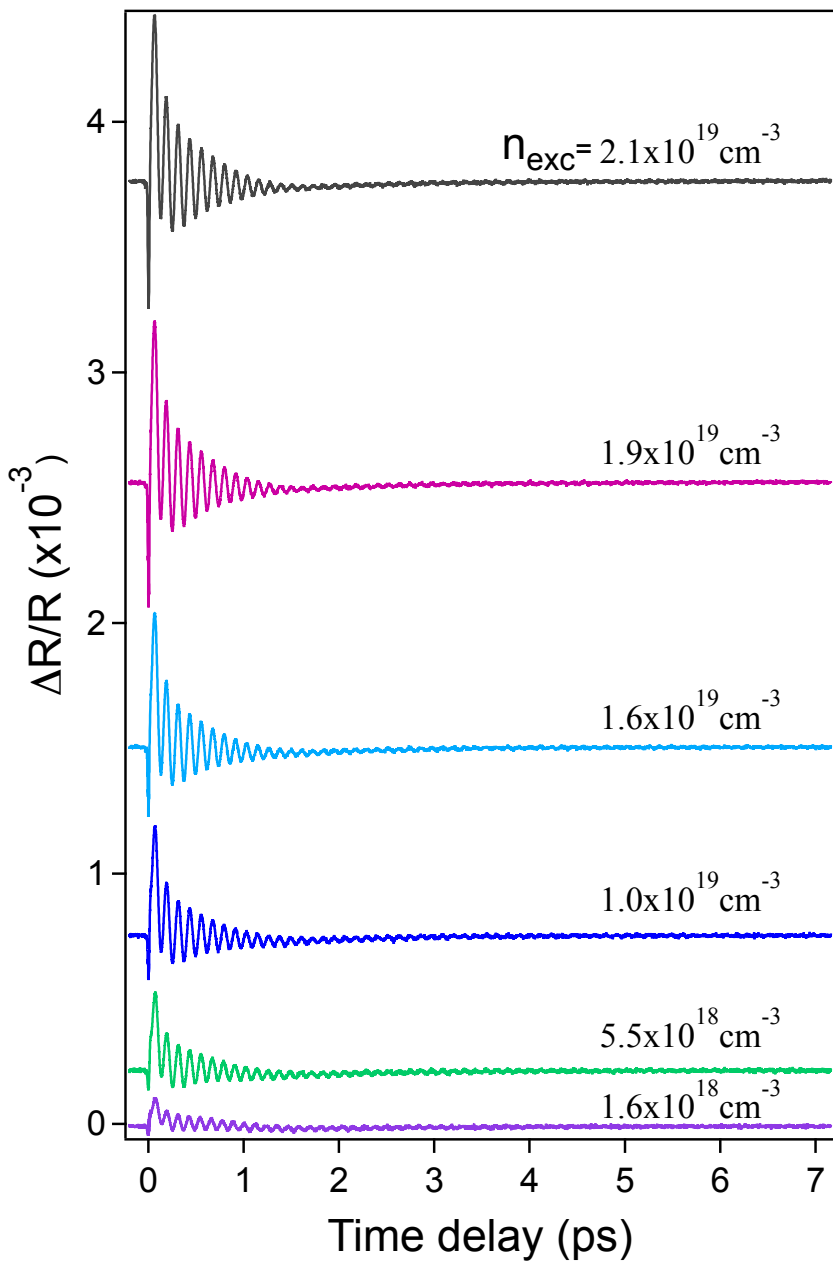


Fig. 2. Anisotropic reflectivity as a function of time delay for different photoexcitation levels. Individual scans are offset in the vertical direction for clarity.

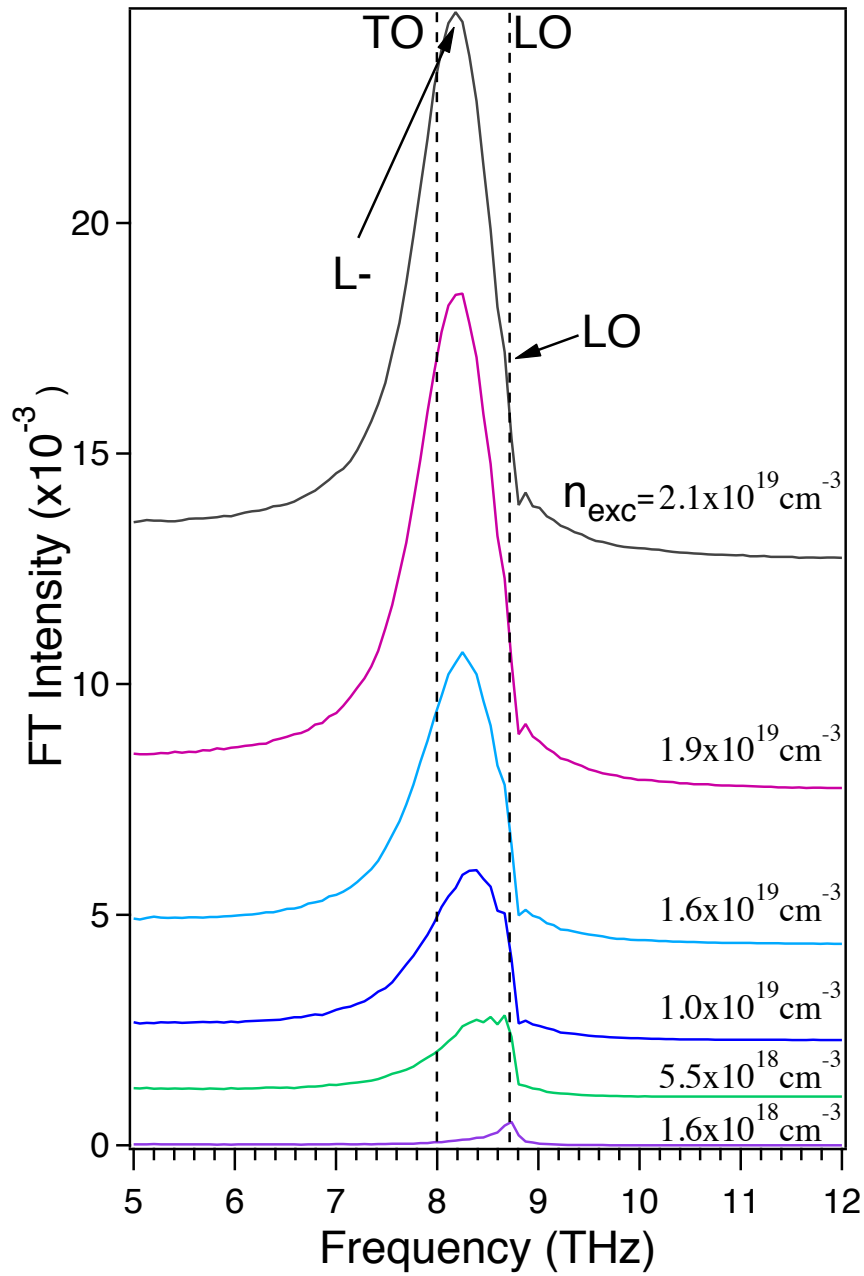


Fig. 3. Fourier transforms of the time dependent reflectivity signals showing bare LO phonon response and lower branch of the plasmon-phonon coupled mode (L-). The dotted lines indicate the bare TO and LO phonon frequencies. Individual spectra are displaced in vertical direction.

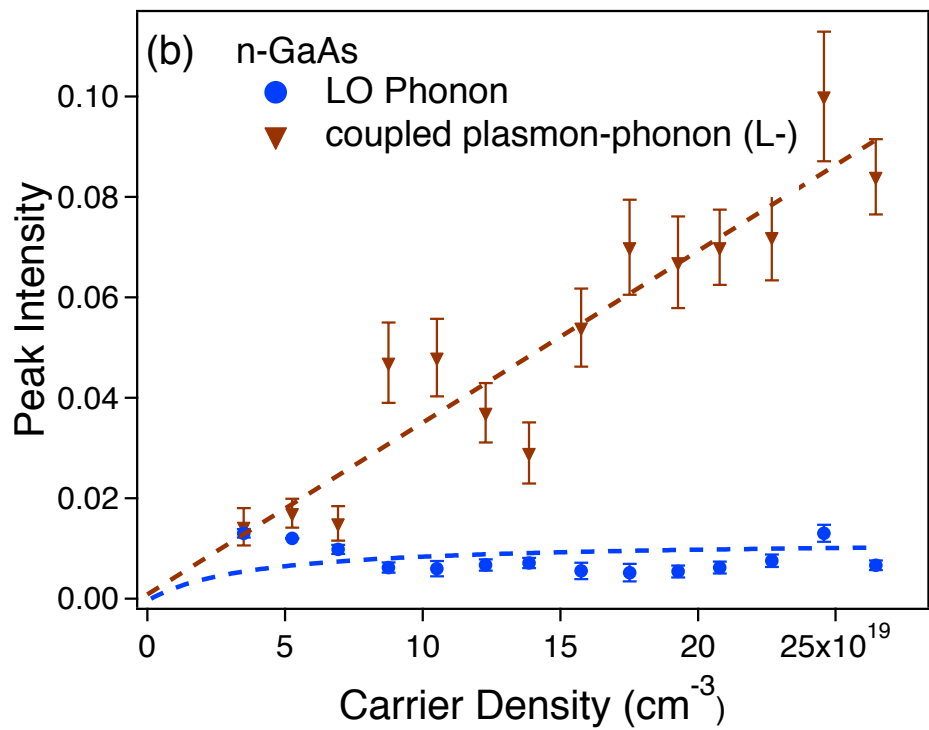
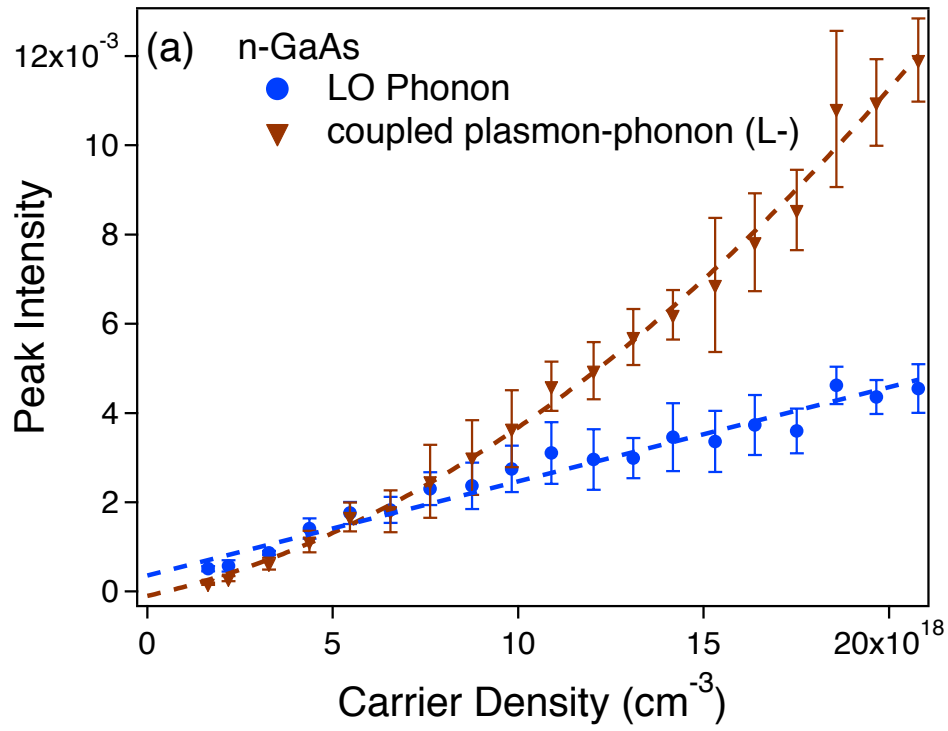


Fig. 4. Amplitudes of the LO phonon and L- contribution to the FT spectra with changing carrier densities for two carrier density regimes.

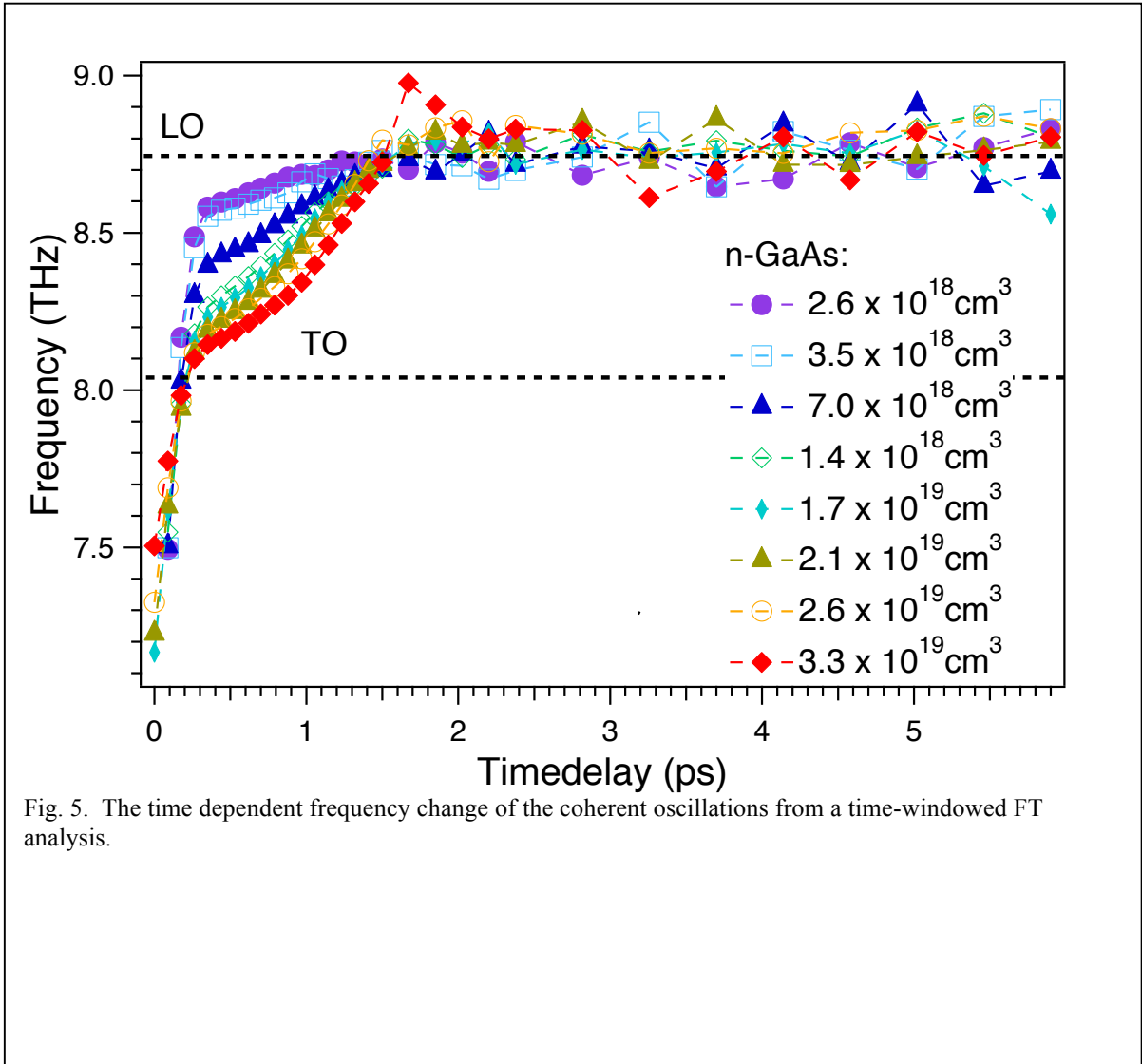


Fig. 5. The time dependent frequency change of the coherent oscillations from a time-windowed FT analysis.

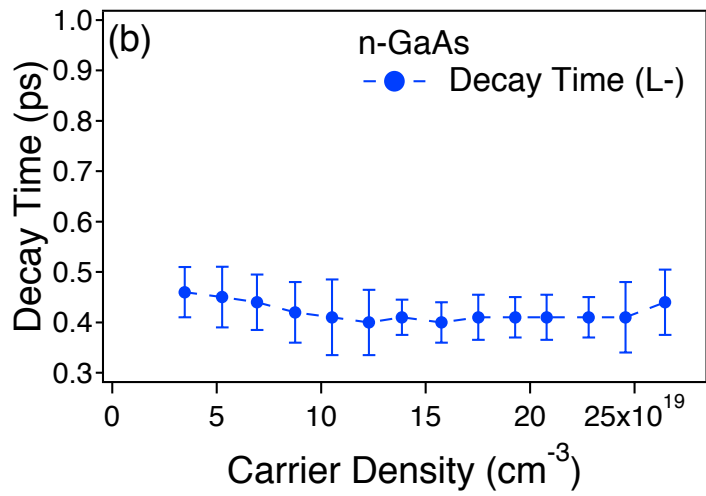
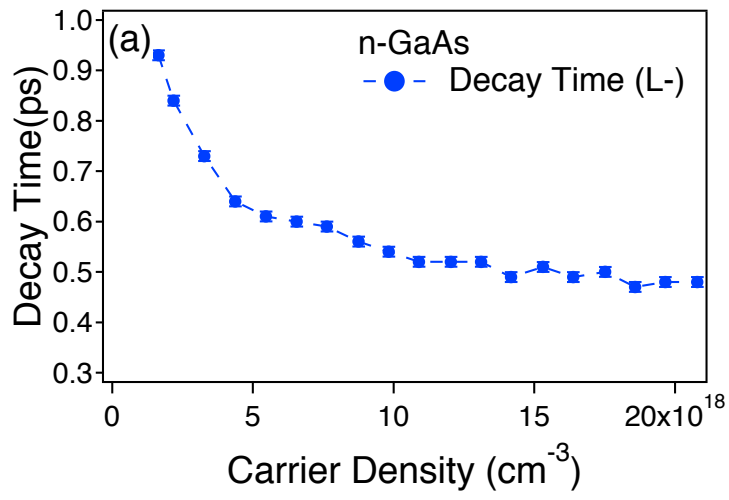


Fig. 6. Coupled mode (L-) decay times with increasing carrier density for two carrier density regimes.

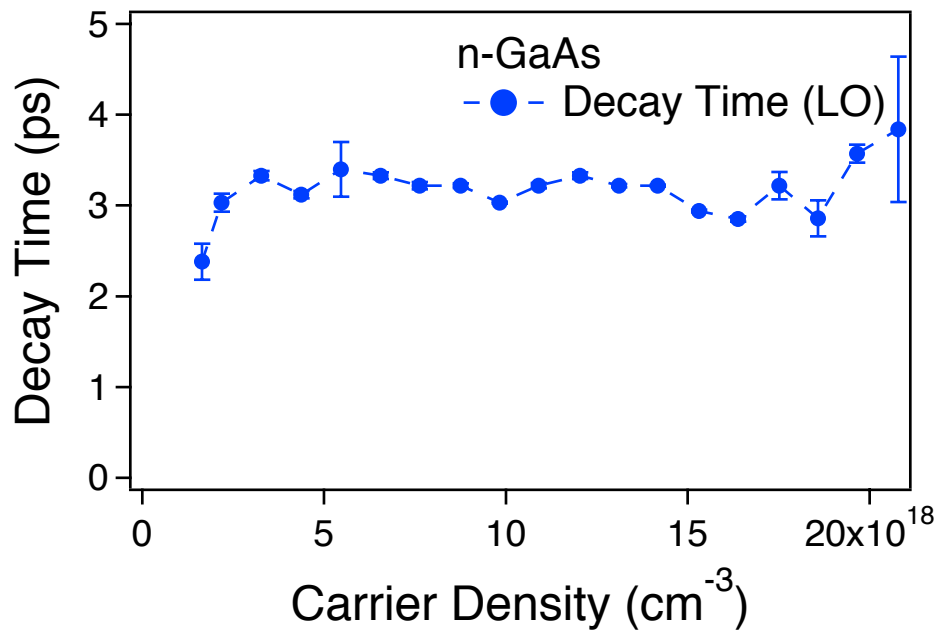
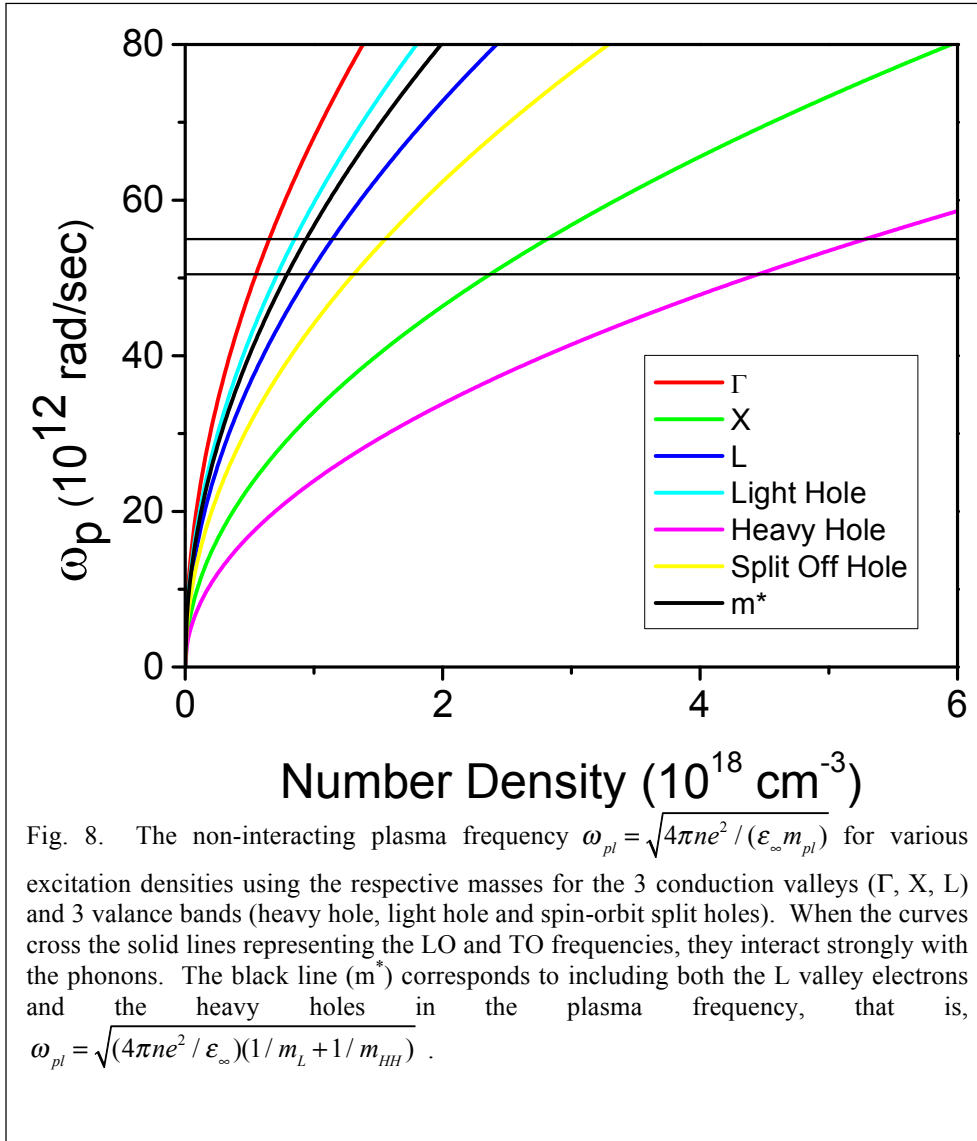
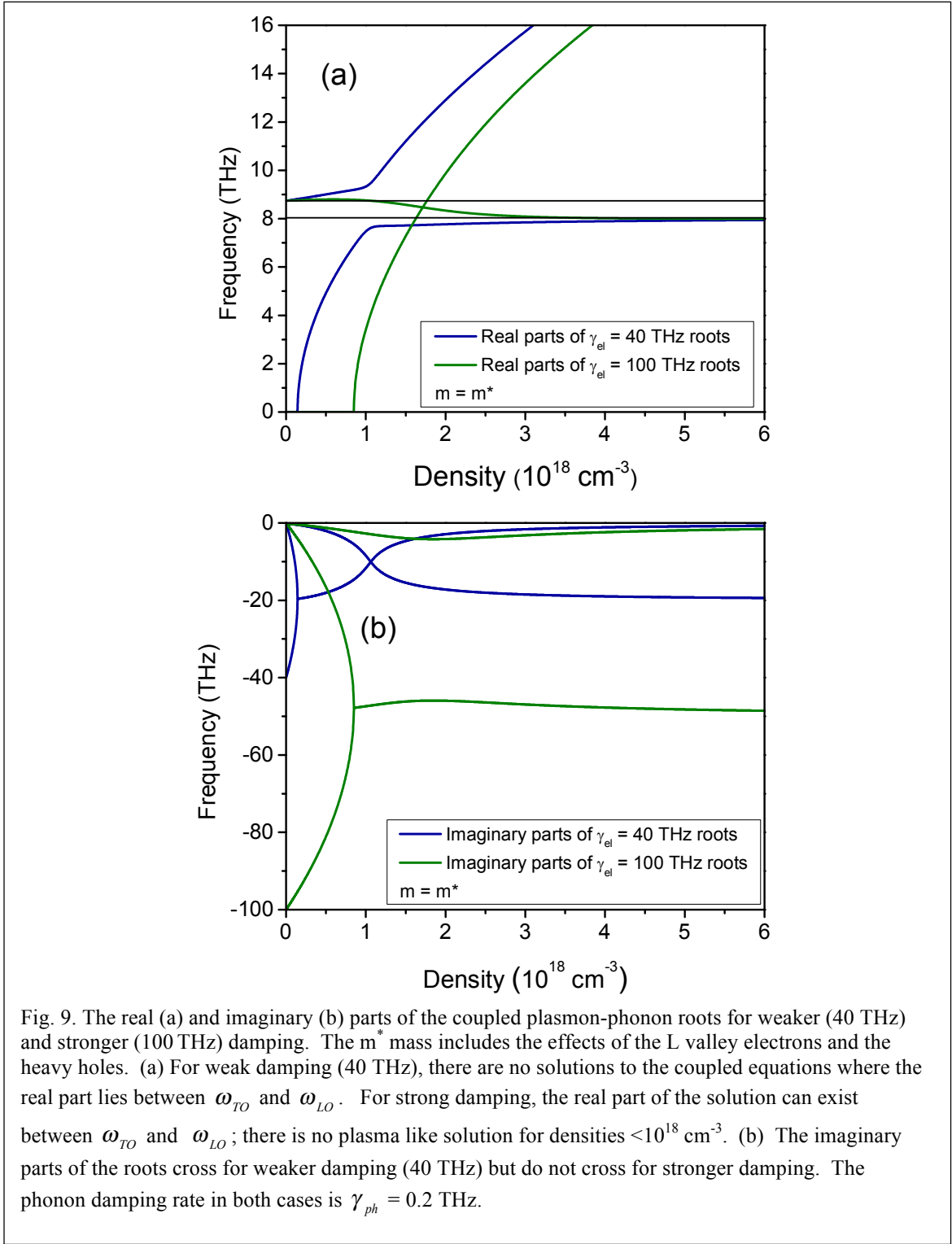
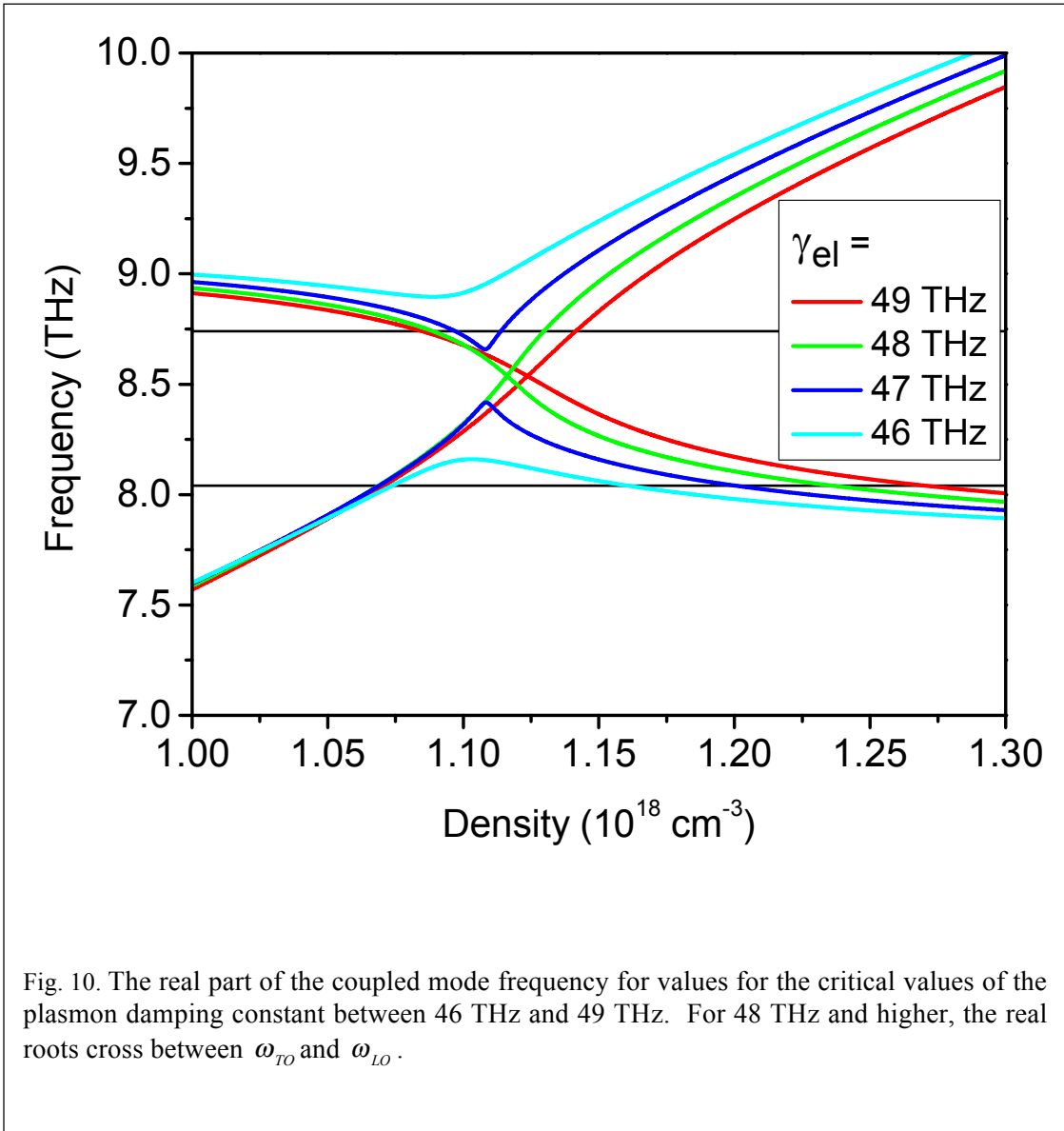


Fig. 7. LO phonon decay time with increasing carrier density.







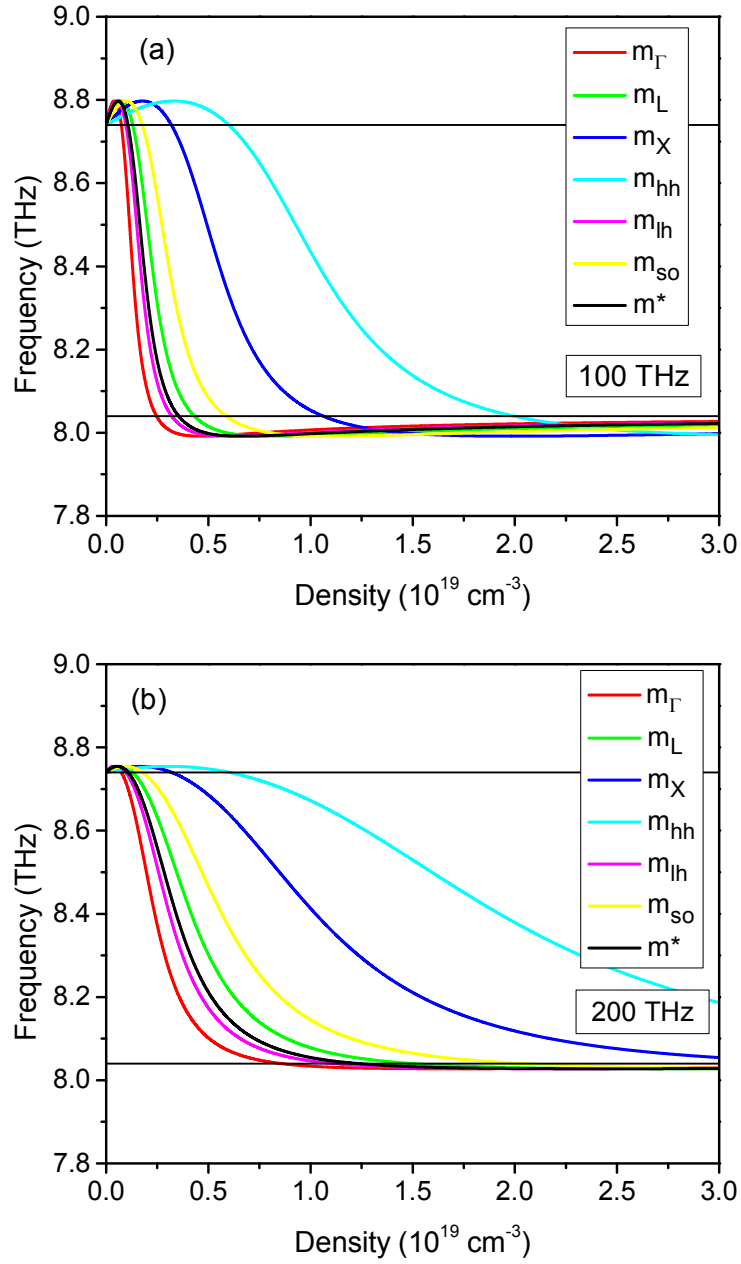


Fig. 11. The calculated plasmon-phonon coupled mode frequency for the “phonon-like” L- mode at different photoexcitation densities for different masses representing different carriers, which are created by 400 nm excitation of GaAs. In (a) the damping is 100 THz and in (b) the damping is 200 THz.

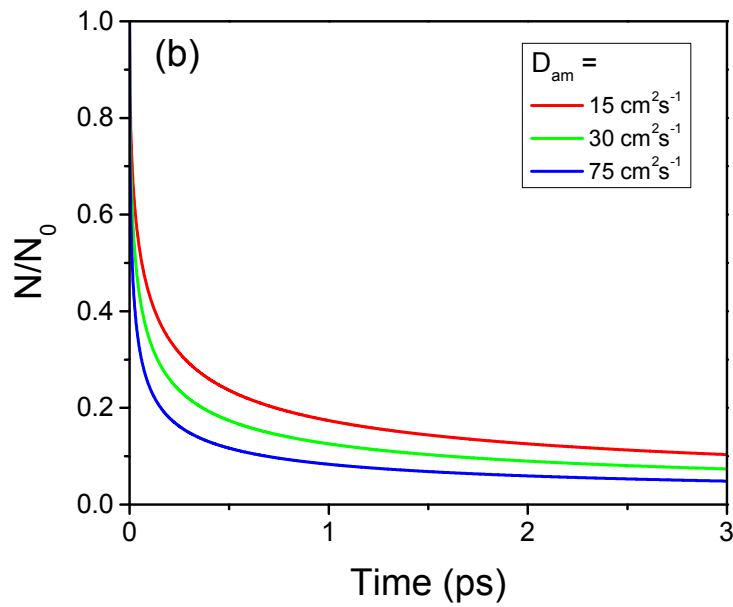
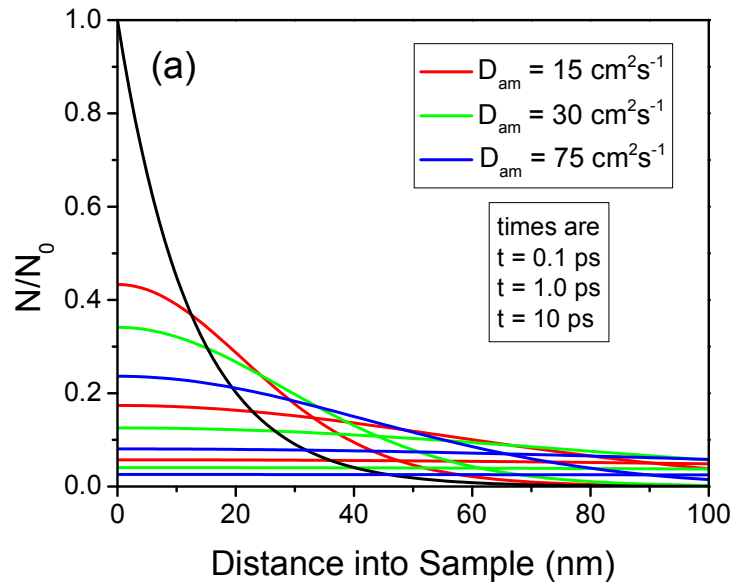
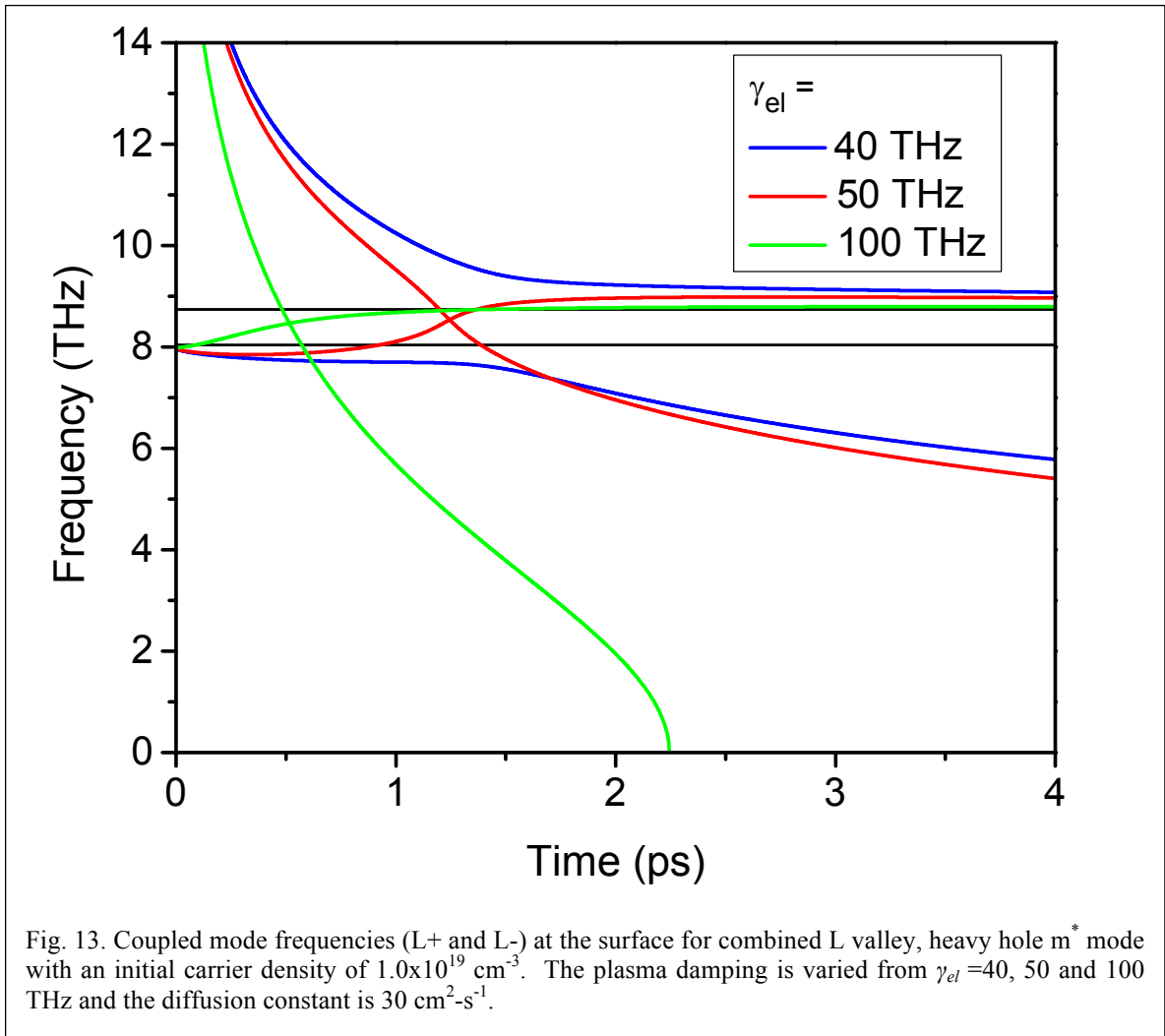


Fig. 12. (a) Carrier density as a function of distance into the sample for three different ambipolar diffusion constants, 15, 30 and $75 \text{ cm}^2 \text{ s}^{-1}$. At $t = 0$, the density is an exponential distribution corresponding to the absorption depth at 400 nm of 15 nm (black line), independent of the diffusion constant. In time, the carrier density evolves to a more uniform distribution. The density profile is shown for three different times, $t = 0.1, 1.0, \text{ and } 10.0 \text{ ps}$. (b) Carrier density at the surface of the semiconductor as a function of time for diffusion constants, 15, 30 and $75 \text{ cm}^2 \text{ s}^{-1}$. As can be seen, the initial carrier density relaxes rapidly (non-exponentially) for the first few hundred femtoseconds. After 1 ps, less than 20% of the initial carriers remain for all three values of the diffusion constants.



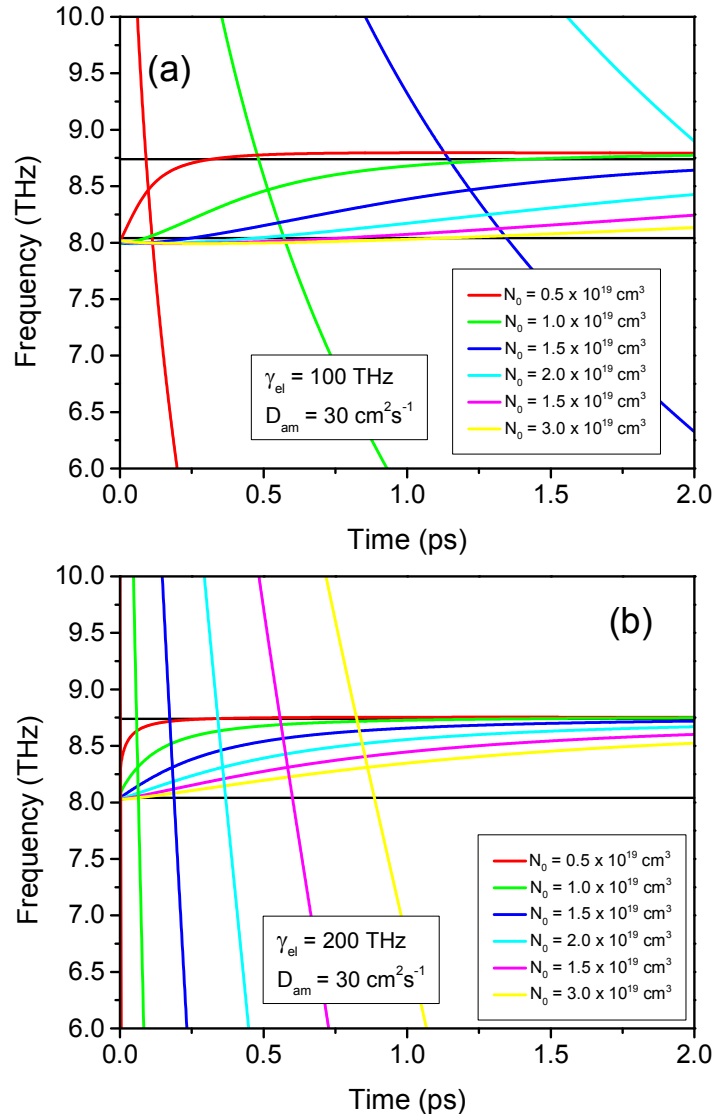


Fig. 14. Coupled mode frequencies at the surface for the m^* plasmon mode (L valley and heavy hole) with ambipolar diffusion constant $30 \text{ cm}^2\text{s}^{-1}$. a) $\gamma_{el} = 100 \text{ THz}$ and $N_0 = 0.5\text{-}3.0 \times 10^{19} \text{ cm}^{-3}$. b) $\gamma_{el} = 200 \text{ THz}$ and $N_0 = 0.5\text{-}3.0 \times 10^{19} \text{ cm}^{-3}$.

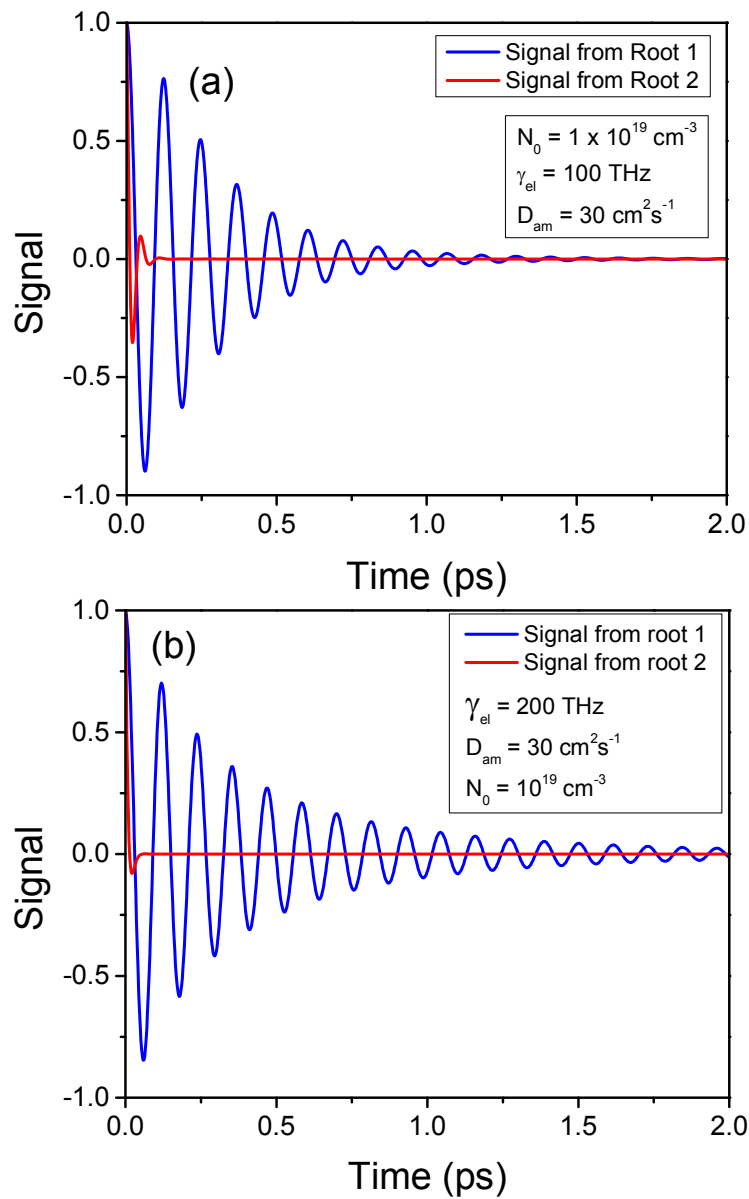


Fig. 15. Contributions to the differential reflectivity signal (eq. 9) from the red (plasmon-like) and blue (phonon-like) modes. a) Weaker damping ($\gamma_{\text{el}} = 100 \text{ THz}$) and initial surface carrier density of $1 \times 10^{19} \text{ cm}^{-3}$. b) Stronger damping ($\gamma_{\text{el}} = 200 \text{ THz}$) and initial surface carrier density of $1 \times 10^{19} \text{ cm}^{-3}$. The diffusion constant in both cases is $D_{\text{am}} = 30 \text{ cm}^2 \text{ s}^{-1}$.

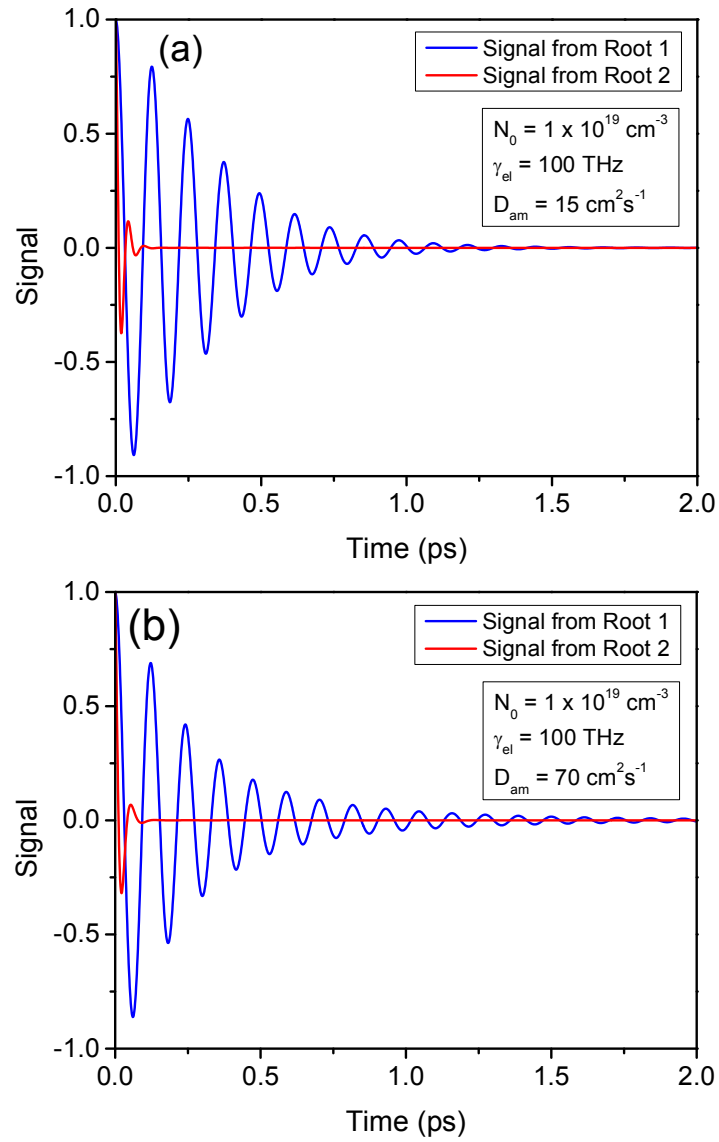


Fig. 16. Effect of diffusion on the signal for the plasmon-like (root 1) and phonon-like (root 2) modes for $\gamma_{el} = 100 \text{ THz}$, initial carrier density $1 \times 10^{19} \text{ cm}^{-3}$. (a) $D_{am} = 15 \text{ cm}^2 \text{ s}^{-1}$. (b) $D_{am} = 70 \text{ cm}^2 \text{ s}^{-1}$.

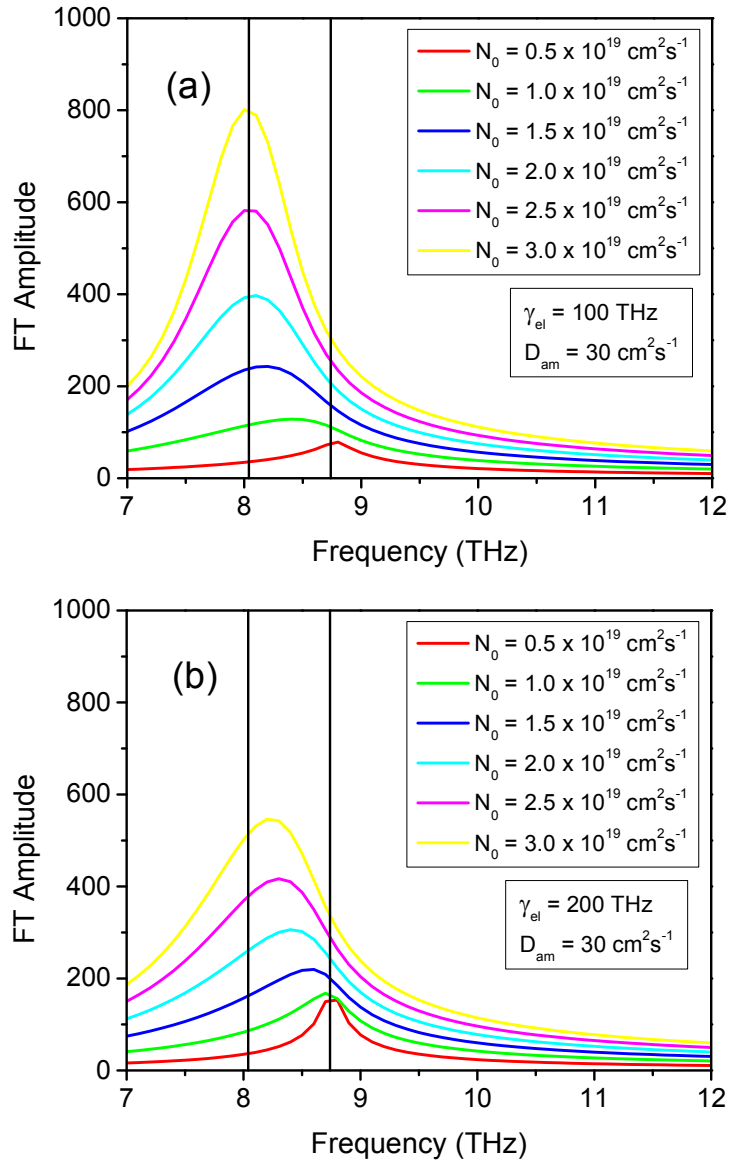


Fig. 17. Power spectra for different carrier damping and initial surface excitation. a) The weaker damping ($\gamma_{\text{el}} = 100 \text{ THz}$) and initial surface carrier densities range from $0.5\text{-}3.0 \times 10^{19} \text{ cm}^{-3}$. b) The stronger damping ($\gamma_{\text{el}} = 200 \text{ THz}$) and initial carrier densities range from $0.5\text{-}3.0 \times 10^{19} \text{ cm}^{-3}$. The diffusion constant is $D_{\text{am}} = 30 \text{ cm}^2 \text{ s}^{-1}$ in both cases. The vertical lines denote the TO and LO phonon frequencies.

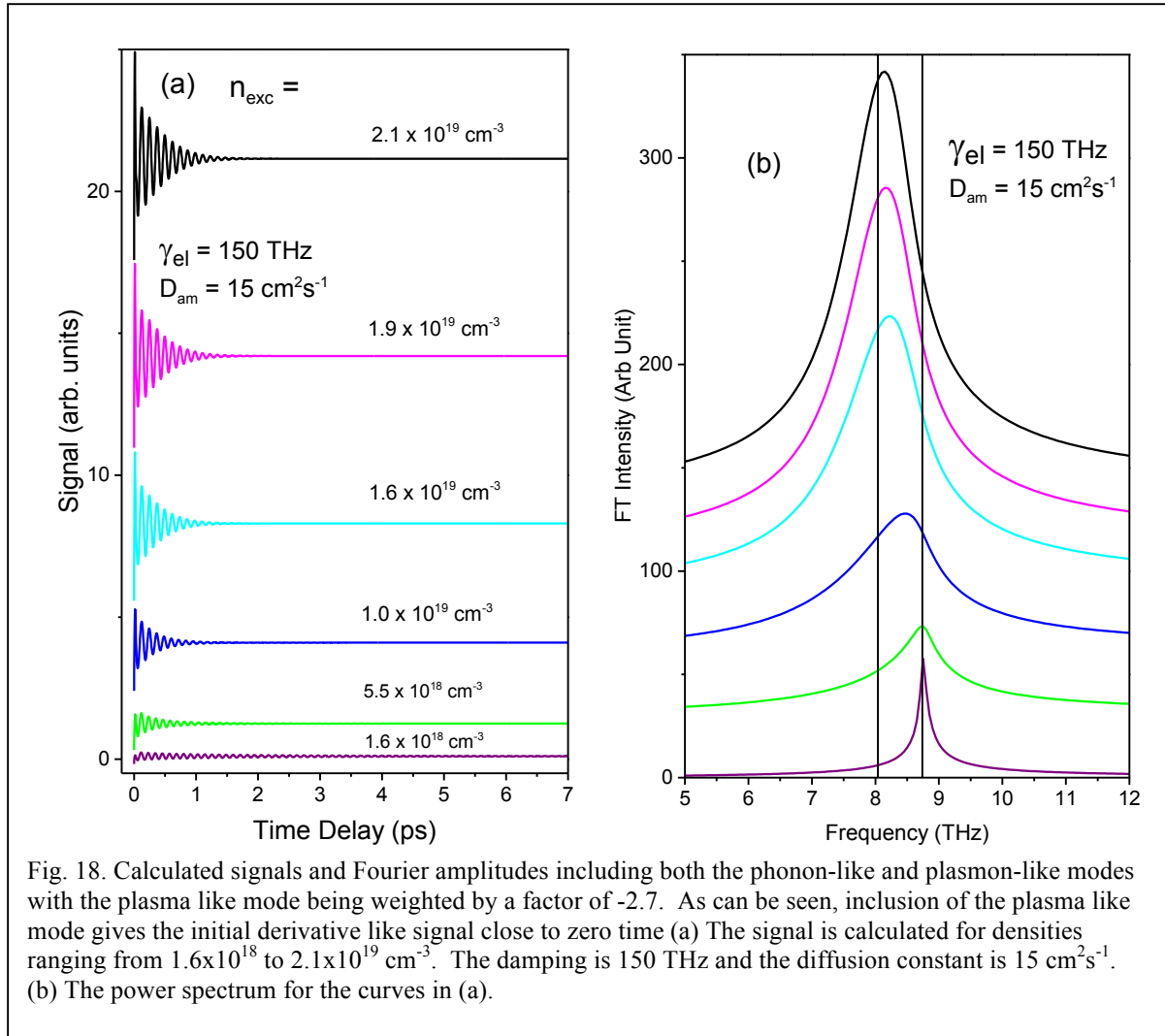


Fig. 18. Calculated signals and Fourier amplitudes including both the phonon-like and plasmon-like modes with the plasma like mode being weighted by a factor of -2.7. As can be seen, inclusion of the plasma like mode gives the initial derivative like signal close to zero time (a) The signal is calculated for densities ranging from 1.6×10^{18} to $2.1 \times 10^{19} \text{ cm}^{-3}$. The damping is 150 THz and the diffusion constant is $15 \text{ cm}^2\text{s}^{-1}$. (b) The power spectrum for the curves in (a).

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