Generation and diagnostics of uncaptured beam in the Fermilab Tevatron and its control by electron lenses

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In the collider run II, the Tevatron operates with 36 high intensity bunches of 980 GeV protons and antiprotons. Particles not captured by the Tevatron rf system pose a threat since they can quench the superconducting magnets during acceleration or at beam abort. We describe the main mechanisms for the origination of this uncaptured beam, and present measurements of its main parameters by means of a newly developed diagnostics system. The Tevatron electron lens is effectively used in the collider run II operation to remove uncaptured beam and keep its intensity in the abort gaps at a safe level.

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I. INTRODUCTION

The Tevatron is a 6.3 km long circular collider operating with 36 proton and 36 antiproton bunches at a beam energy of 980 GeV. The main parameters of the collider are given in Table I and a description of operation can be found in Ref. [1]. The 36 bunches in each beam are grouped in three trains of 12 bunches with a bunch spacing of 396 ns, which is equal to 21 rf buckets. The bunch trains are separated by three 2.62 μ s long abort gaps. High intensity proton bunches are generated by coalescing several (usually seven) smaller bunches in Fermilab's main injector (MI) at 150 GeV before being injected into the Tevatron. The injection process takes about half an hour, then both beams are accelerated to 980 GeV in about 90 seconds, and stay at the flattop energy for the rest of the high-energy physics (HEP) store.

Coalescing in the MI typically leaves a few percent of the beam particles outside rf buckets. These particles are transferred together with the main bunches. In addition, single intrabeam scattering (known as the Touschek effect [2]), diffusion due to multiple intrabeam scattering (IBS), and phase and amplitude noise of the rf voltage, drive particles out of the rf buckets. This is exacerbated by the fact that after coalescing and injection, 95% of the particles cover almost the entire rf bucket area. To prevent longitudinal instabilities, which can blow up the bunch length and drive particles out of the rf buckets, a longitudinal bunch-by-bunch feedback system has been installed [3]. The uncaptured beam is lost at the very beginning of the Tevatron energy ramp. These particles are out of sync with the Tevatron rf accelerating system, so they do not gain energy and quickly (< 1 s) spiral radially into the closest horizontal aperture. If the number of particles in the uncaptured beam is too large, the corresponding energy deposition results in a quench (loss of superconductivity) of the superconducting (SC) magnets and, consequently, terminates the high-energy physics store. At the injection

energy, an instant loss of uncaptured beam equal to 3%–7% of the total intensity can lead to a quench depending on the spatial distribution of the losses around the machine circumference.

At the top energy, uncaptured beam generation is mostly due to the IBS and rf noise while infrequent occurrences of the longitudinal instabilities or trips of the rf power amplifiers can contribute large spills of particles to the uncaptured beam. Uncaptured beam particles are outside of the rf buckets, and therefore move longitudinally relative to the main bunches. Contrary to the situation at the injection energy of 150 GeV, when synchrotron radiation (SR) losses are practically negligible, 980 GeV protons and antiprotons lose about 9 eV/turn due to the SR. For uncaptured beam particles, this energy loss is not being replenished by the rf system, so they slowly spiral radially inward and die on the collimators, which determine the tightest aperture in the Tevatron during collisions. The typical time for an uncaptured particle to reach the collimator is about 20 minutes.

The total uncaptured beam intensity is a product of the rate at which particles leak out of the main bunches and the time required for them to leave the machine. If SR is the only energy loss mechanism, then during a typical HEP store as many as 60×10^9 particles could be accumulated in the uncaptured beam. Since uncaptured beam particles are distributed all around the circumference, those that are in the abort gaps between the bunch trains will be deposited into nearby magnets and other places that limit machine acceptance whenever the abort kicker fires. The resulting quenches were of great concern in December 2001–February 2002, as they greatly affected the collider operation. Note that for protons, which are the major contributor to the uncaptured beam, the vacuum chamber in the vicinity of the CDF detector is one of the tightest apertures encountered by the beam and loss around the detector poses a great threat due to the resulting radiation damage of detector components. Use of the Tevatron elec-

TABLE I. Tevatron collider run II parameters.

Parameter	Symbol	Value	Unit
Beam energy	E	980	GeV
Peak luminosity	L	2.92	$10^{32} \text{ cm}^{-2} \text{ s}^{-1}$
Circumference	C	6280	m
Number of bunches	N_b	36	
Protons/bunch	N_p	250–300	10^9
Antiprotons/bunch	N_a	40–100	10^9
rf voltage	V_{rf}	1	MV
rf frequency	f_{rf}	53.1	MHz
rf harmonic number	h	1113	
Bunch spacing	t_b	396	ns
Slip factor	η	0.0028	
rf bucket area	S_{rf}	4.4 @ 150 GeV 11.0 @ 980 GeV	eV s
Longitudinal emittance at the start of store, 95%	ε_p and ε_a	3–4	eV s
Proton/antiproton bunch length	σ_s/c	3.0 @ 150 GeV 1.7 @ 980 GeV	ns
Energy loss per turn due to SR	eV_{SR}	9.5	eV
Synchrotron frequency	f_s	87 @ 150 GeV 35 @ 980 GeV	Hz
Synchrotron tune	ν_s	1.7 @ 150 GeV 0.7 @ 980 GeV	10^{-3}
Revolution frequency	f_{rev}	47.8	KHz

tron lens (TEL) [4] reduced the uncaptured beam removal time from 20 min to about 2 min thereby significantly reducing its intensity and as a result, the quenches on abort due to the uncaptured beam disappeared completely. In the following sections we will look into the dynamics of the uncaptured beam generation, discuss diagnostic tools used for monitoring the uncaptured beam parameters, and describe the basics of the TEL operation in the regime of uncaptured beam cleaning.

II. UNCAPTURED BEAM FORMATION

A. Beam dynamics of the longitudinal phase space

In the case of single harmonic rf, a particle phase trajectory in the longitudinal phase space (see Fig. 1) is described by the following equation [5]:

$$\left(\frac{\Delta p}{p_0}\right)^2 = \frac{2\nu_s^2}{\eta^2 h^2} [\cos\phi - \cos\phi_m + (\phi - \phi_m) \sin\phi_0], \quad (1)$$

where $\Delta p/p_0$ is the relative particle momentum deviation, η is the slip factor, h is the harmonic number, ν_s is the synchrotron tune (see Table I), ϕ is the rf phase, ϕ_0 is the accelerating phase, and ϕ_m determines the boundary of phase space trajectory. In the stationary state ϕ_0 is determined by particle energy loss due to synchrotron radiation eV_{SR} : $\sin\phi_0 = V_{\text{SR}}/V_{\text{rf}}$. The SR radiation damping is neglected in Eq. (1) since the damping time is much longer than the store duration.

The outermost orbit, called the separatrix, determines the boundary of the rf bucket:

$$\left(\frac{\Delta p}{p_0}\right)^2 = \frac{2\nu_s^2}{\eta^2 h^2} [\cos\phi + \cos\phi_0 + (\phi - \pi + \phi_0) \sin\phi_0]. \quad (2)$$

FIG. 1. (Color) Upper half of phase space trajectories in the vicinity of the separatrix (red line) for $\phi_0 = 0.15$. Momentum spread (vertical axis) is presented in units of $(\eta h/\nu_s)\Delta p/p_0$.

If $\phi_0 \ll 1$, the separatrix boundaries in rf phase are described by the following expressions

$$\varphi_1 \approx -\pi + \sqrt{4\pi\varphi_0} - \varphi_0, \quad \varphi_2 = \pi - \varphi_0. \quad (3)$$

Figure 1 presents the corresponding phase space trajectories for $\phi_0 = 0.15$. In the case of the Tevatron during collisions, $\phi_0 \approx 10^{-11}$, $\phi_1 \approx -\pi + 10^{-5}$, and $\phi_2 \approx \pi - 10^{-11}$. Thus, the Tevatron rf buckets are separated by a gap of $\sim 10^{-5}$ rad. A particle with initial momentum above the rf bucket boundary is decelerated by SR energy loss and eventually passes through a gap between buckets to the lower momentum side where it is decelerated to the nearest apertures limiting the beam energy spread.

B. Longitudinal beam diffusion rate

There are three major mechanisms creating uncaptured beam. They are the diffusion due to amplitude and phase rf noises [6], multiple intrabeam scattering (IBS), and single intrabeam scattering (Touschek effect) [2]. Immediately after acceleration, the bunch occupies approximately 4.4 eVs of longitudinal phase space, while the total rf bucket area is about 11 eVs. Therefore, there are no tails and single IBS is the only mechanism for particle loss. Shortly after acceleration to the top energy of 980 GeV, the diffusion due to IBS and rf noise creates tails in the distribution function and results in additional beam loss,

FIG. 2. (Color) Dependence of the distribution function on time for $Dt/\Omega_s^2 = 0, 0.125, 0.25, 0.5, 1$ and asymptotic at $t \rightarrow \infty$.

which significantly exceeds the loss due to single IBS [7]. Therefore, we neglect single IBS in the following analysis.

The diffusion equation in a sinusoidal longitudinal potential can be written in the following form [7]:

$$\frac{\partial f}{\partial t} = \frac{\partial}{\partial I} \left(I \frac{D(I)}{dE_s/dI} \frac{\partial f}{\partial I} \right). \quad (4)$$

Here $f = f(I, t)$ is the longitudinal distribution function, $D(I)$ is the diffusion coefficient, and t is the time. I and E are the longitudinal action and the energy defined as

$$I = \frac{1}{2\pi} \oint \varphi d\varphi, \quad E_s = \frac{\varphi^2}{2} + \Omega_s^2(1 - \cos\varphi), \quad (5)$$

where $\varphi = \dot{\varphi}$ is the canonical momentum, $\Omega_s = 2\pi\nu_s f_{\text{rev}}$ is the synchrotron frequency. Figure 2 presents a numerical solution of this equation assuming (i) constant diffusion, $D(I) = D_0$, as a zero-order approximation, (ii) the initial distribution is a δ -function, $f_0(I) = \delta(I)$, and (iii) the boundary condition $f(I_{\text{max}}) = 0$ is met at the boundary on the rf bucket, $I_{\text{max}} = 8\Omega_s/\pi$. Figure 3 presents the corresponding beam intensity, rms momentum spread, and rms bunch length. Initially, the bunch length and the momentum spread grow proportionally to $\sqrt{t}$ and

FIG. 3. (Color) Time dependence of beam intensity (top) and rms bunch length and momentum spread (bottom).

the distribution function is close to the Gaussian distribution, $f(I, t) \propto (\Omega_s/Dt) \exp(-I\Omega_s/Dt)$. When the bunch length becomes comparable to the bucket length, the nonquadratic behavior of the potential results in the bunch length growing faster than the momentum spread. Finally, the distribution function and, consequently, the bunch length and momentum spread approach their asymptotic values, and the intensity decays exponentially as $\sim \exp(-0.741 Dt/\Omega_s^2)$.

The results of this simple model with constant diffusion and $f(I) = \delta(I)$ fit the evolution of the Tevatron bunch parameters and luminosity fairly well (within 10%) for the stores when the beam-beam effects are weak and the IBS effects dominate.

For the Tevatron collider parameters, the longitudinal energy spread in the beam rest frame is significantly smaller than the transverse ones (the ratio of the longitudinal kinetic energy to transverse kinetic energy is about 0.004 at the collision energy and about 0.02 at the injection energy). In this case, simplified IBS formulas can be used, e.g., for the momentum spread growth rate [7]:

$$\frac{d(\sigma_{dp/p_0}^2)}{dt} = \frac{r_p^2 c N}{4\sqrt{2}\gamma^3 \beta^3 \sigma_s} \left\langle \frac{\Xi_s(\theta_x, \theta_y)}{\sqrt{\theta_x^2 + \theta_y^2}} \frac{L_C}{\sigma_x \sigma_y} \right\rangle_s, \quad (6)$$

where γ and β are the relativistic factors, r_p is the classical proton radius, σ_{dp/p_0} is the rms momentum spread, σ_s is the rms bunch length, the rms beam sizes and the local angular spreads are

$$\begin{aligned} \sigma_x &= \sqrt{\varepsilon_x \beta_y + D_x^2 \sigma_{dp/p_0}^2}, \quad \sigma_y = \sqrt{\varepsilon_y \beta_x}, \\ \theta_x &= \sqrt{\frac{\varepsilon_x}{\beta_x} \left(1 + \frac{(D'_x \beta_x + \alpha_x D_x)^2 \sigma_{dp/p_0}^2}{\varepsilon_x \beta_x + D_x^2 \sigma_{dp/p_0}^2} \right)}, \quad \theta_y = \sqrt{\varepsilon_y / \beta_y}, \end{aligned} \quad (7)$$

$\beta_x, \beta_y, \alpha_x$, and α_y are beta and alpha functions, D_x and D'_x are the dispersion and its derivative, $\langle \rangle_s$ denotes averaging over the ring,

$$\begin{aligned} L_C &= \ln\left(\frac{r_{\max}}{r_{\min}}\right), \\ r_{\max} &= \min\left(\sigma_x, \sigma_y, \sqrt{\frac{\theta_x^2 + \theta_y^2}{Nr_p}} \gamma^3 \beta^2 \sigma_x \sigma_y \sigma_s\right), \\ r_{\min} &= \frac{2r_p}{\gamma^2 \beta^2 (\theta_x^2 + \theta_y^2)} \end{aligned} \quad (8)$$

is the Coulomb logarithm ($L_C \approx 23$ for the case of the Tevatron), and, lastly, the function

$$\Xi_s(x, y) \approx 1 + \frac{\sqrt{2}}{\pi} \ln\left(\frac{x^2 + y^2}{2xy}\right) - 0.055 \left(\frac{x^2 - y^2}{x^2 + y^2}\right)^2 \quad (9)$$

approximates the exact result (obtained for a Gaussian distribution) with an accuracy better than a few percent.

For small amplitudes, the rms bunch-length growth rate due to rf noise is equal to

$$\left. \frac{d(\sigma_\phi^2)}{dt} \right|_{\text{rf}} = \pi \Omega_s^2 \left(P_\phi(\Omega_s) + \frac{1}{2} \sigma_\phi^2 P_A(2\Omega_s) \right). \quad (10)$$

Here $\sigma_\phi = 2\pi\sigma_s/\lambda_{\text{RF}}$ is the bunch length in radians, λ_{rf} is the rf wavelength, and the spectral densities of the phase and amplitude noise are normalized as follows:

$$\overline{\delta\phi_{\text{rf}}^2} = \int_{-\infty}^{\infty} P_\phi(\omega) d\omega, \quad \frac{\overline{\delta A_{\text{rf}}^2}}{A_{\text{rf}}^2} = \int_{-\infty}^{\infty} P_A(\omega) d\omega. \quad (11)$$

The effect of the rf noise on the Tevatron beam is dominated by the rf phase noise [6]. The main noise source is microphonics excited in the rf cavities due to the flow of cooling water. The rf phase feedback suppresses this noise by ~ 30 dB to an acceptable level. Presently, the spectral density of the noise is about $P_{\phi f}(\Omega_s/2\pi) = 4\pi P_\phi(\Omega_s) \approx 5 \times 10^{-11}$ rad²/Hz, which causes a bunch lengthening of about 2200 mrad²/hour. This value is more than an order of magnitude smaller than the longitudinal emittance growth due to IBS at the beginning of a store with nominal proton intensity.

Besides the mechanisms described above, the Tevatron luminosity evolution model [7] takes into account the particle loss and the emittance growth due to collisions at IPs and with residual gas atoms, as well as the fact that the beam intensities and transverse and longitudinal emittances are changing during stores, thus affecting the IBS diffusion rates and particle loss rates from the rf buckets. Figure 4 shows the bunch lengthening for proton and antiproton bunches calculated using the model (solid lines) in comparison with measurements made during a typical

FIG. 4. (Color) Simulated bunch lengthening effects compared with the measurements of a typical store (#3678).

FIG. 5. (Color) The measured dependence of the normalized longitudinal phase space density on the particle action for the protons (top) and antiproton (bottom) at the beginning (red) and at the end (black) of store #3678.

Tevatron HEP store (dashed line). Good agreement between the simulation and the observation for the protons indicates that IBS is the main cause of longitudinal diffusion. For antiprotons, however, the beam-beam interaction with high intensity proton bunches [8] results in the loss of particles with large synchrotron oscillation amplitudes, slowing the bunch lengthening relative to that predicted by the IBS model. However since 2007, the brightness of the antiproton beam has been greatly increased. This made large synchrotron oscillation protons more susceptible to the beam-beam effects, especially at the beginning of the HEP stores.

Figure 5 shows the evolution of the normalized longitudinal phase space density of the proton and antiproton

FIG. 6. (Color) Calculated longitudinal beam loss rate in unit of particles per second for a typical store using the IBS model; the red curve is for the proton bunch and the blue dashed line is for the antiproton bunch.

beams in the Tevatron during a long store. The measured particle action I_s is related to the longitudinal action variable I in Eq. (4) as follows:

$$I_s = \frac{c p_0}{2\pi f_{\text{rev}}^2 h^2 \eta} I. \quad (12)$$

At injection, both beams are contained at the 95% level within 4 eV s. During the store, the protons gradually diffuse out to the edge of the rf bucket at about 11 eV s where they can cross the edge and contribute to the uncaptured beam. The antiproton bunches, which are only about one-seventh of the proton bunch intensity ($N_a = 34 \times 10^9$, $N_p = 248 \times 10^9$ per bunch at the start of the store), are effectively clipped by the beam-beam interaction and remain at essentially their initial longitudinal emittance. The IBS model allows us to calculate the longitudinal beam loss rate in a typical Tevatron store (Fig. 6). The initial longitudinal loss rate is not equal to zero because of the Touschek effect. Later in the store, when more particles move closer to the boundaries of the rf buckets through diffusion processes, multiple IBS scattering starts to dominate over the single scattering effect. Note that for antiprotons, luminosity burning is the main loss contribution and the longitudinal loss due to IBS is much smaller than its total intensity loss rate.

The shape of the curve of the calculated longitudinal beam loss rate is in good qualitative agreement with the Tevatron observations. For example, Fig. 7(a) shows the evolution of the total proton bunched beam intensity, proton loss rate, proton rms bunch length, and the abort gap beam intensity during HEP store #5157. Bunch length and bunch intensity are reported from a wall current monitor (known as the “sampled bunch display” and briefly described in Ref. [9]). The loss rate is measured by gated scintillation counters on the CDF detector, which integrate over the time intervals corresponding to the abort gaps between the three proton bunch trains, while the simulation gives losses for the whole Tevatron storage ring.

C. Other mechanisms of uncaptured beam generation

Large-amplitude beam-phase oscillations within the rf bucket due to instability or a sudden change of the rf bucket parameters (for example, an rf cavity tripping off) can result in large spills of particles into the uncaptured beam.

At the Tevatron injection energy of 150 GeV, large (~ 1 rad peak-to-peak) longitudinal dipole beam oscillations (“dancing bunches” [10]) which are mainly caused by the coalescing process in the MI, are observed in high intensity beams and can persist for many minutes if not damped. These dancing bunches result in slow bunched-beam intensity loss and an increase in uncaptured beam which is lost at the start of acceleration. Another manifestation of the longitudinal impedances is the regular occurrence of large rf phase beam oscillations resulting in bunch lengthening. Such blowups again cause a significant reduction in luminosity, increased beam losses, and the accumu-

FIG. 7. (Color) (a) Left—decay of proton bunch intensity (black curve) and growth of its length (blue) as well as abort gap loss rate at CDF detector (green) and proton abort gap intensity (red) in a typical HEP store (#5157) when the TEL was on; (b) right—same for store #5136, in which one of 4 proton rf stations tripped off in the middle of the store.

lation of particles in the abort gaps. To counteract that, a longitudinal bunch-by-bunch damper was designed, built, installed, and commissioned in the Tevatron in 2002 [2]. Since then, the damper has been in operation for every HEP store. It effectively suppresses both the dancing bunches and the single- and coupled-bunch instabilities. It was found that to be effective, the damper feedback loop gain g should vary slowly during the store in a fashion which tracks the proton bunch intensity and bunch length $g \sim N_p/\sigma_s$ [11].

The Tevatron rf system consists of four drift tube cavities phased for acceleration of protons and four cavities phased for antiprotons. When one of the power amplifiers feeding these cavities trips off, the total rf voltage seen by the beam is decreased. That usually results in significant bunch lengthening, an instantaneous spill of particles into the uncaptured beam, and an increase of the uncaptured beam generation rate. The Tevatron protection system will immediately terminate a HEP store if more than one rf station trips off because of the very high risk of damaging CDF or D0 electronics during an abort with an abnormally high intensity of uncaptured beam in the abort gaps. Figure 7(b) shows the beam parameters in store #5136 in which one of the four proton rf stations tripped off about 16 hours after the beginning of the store. One can see a spike in the abort gap losses and uncaptured beam intensity after the trip.

The next sections describe the Tevatron uncaptured beam diagnostic tools and the Tevatron electron lens (TEL) operation as an abort gap beam remover.

III. UNCAPTURED BEAM DETECTION SYSTEMS

In the Tevatron, the uncaptured beam diagnostics are based on the detection of synchrotron radiation (SR) emitted by the particles in an SC dipole magnet. The method

works only at 980 GeV where SR power is sufficiently large. The challenge in detecting the relatively small intensities associated with uncaptured beam is to avoid being blinded by the main particle bunches. This is accomplished with a gated photomultiplier tube (PMT) that observes the optical SR mainly originating from the dipole magnet edge. The system [12] is located in a short noncryogenic section located between a full dipole and a half dipole where two movable mirrors are positioned to intercept the light originating from the far edges of the adjacent dipoles. One mirror picks off the light from the protons, and the other mirror picks off the light generated by the antiprotons. The light exits the beam pipe through a quartz vacuum window and enters an optical box. Each optical box (see Fig. 8) contains the PMT, optical attenuators, lens, and intensified camera for producing transverse images of the beam.

The PMT is a modified Hamamatsu R5916U-50 (built with 3 stages of microchannel plates) with a maximum gain of $\sim 10^7$ and a minimum gating width of 5 ns. It also has a large extinction ratio and no detectable sensitivity to light present before the gate is applied so that it will not be blinded by a preceding bunch. The shape and intensity of the magnetic field at the entrance to a dipole magnet results in roughly 25 000 (60 000) photons generated per 100 nm bandwidth per 10^9 protons (antiprotons). The optical system efficiency reduces that amount to 200 (500) PMT photoelectrons per 10^9 protons (antiprotons). The data acquisition integrates the output of the PMT and averages over 1000 turns. Based on the stability of the PMT gain and the measurement-to-measurement variation, the detection sensitivity is estimated to be $\sim 10^6$ particles.

The calibration of the PMT can be accomplished in two ways. One method is to insert the optical attenuators and gate the PMT in coincidence with a bunch for which the

FIG. 8. (Color) Diagram of optical collection system. There is one light box for the protons, and one for the antiprotons.

intensity is known. This method relies heavily on the linearity of the PMT, but offers a simple technique for monitoring changes in the calibration. A second more reliable method utilizes the TEL and a DC current transformer measurement of the total beam current and is discussed below.

Figure 9 demonstrates the sensitivity of the PMT system. The data was taken by a digital oscilloscope to collect time information from single photon events. The microbunch structure in the abort gap coincides with rf buckets and is attributable to remnants from coalescing. The high peaks around bunch 1 are the satellite bunches also left from the MI coalescing process.

A comparison of bunched beam intensity (measured by the sampled bunch display or fast bunch integrator systems

[11]) with total beam intensity measured by a DC current transformer (DCCT) gives in principle an alternative estimate of the uncaptured beam intensity. Unfortunately, the systematic errors of the bunched beam intensity monitors are too large ($\sim 10^{11}$ protons for a total beam intensity of about 10^{13}) [11]. Therefore this method is used only at 150 GeV where the synchrotron light diagnostic is inoperable.

IV. UNCAPTURED BEAM REMOVAL

As explained in the Introduction, the presence of the uncaptured beam is very dangerous for the collider elements and the high-energy physics particle detectors CDF and D0. A number of ideas have been proposed for elimination of the uncaptured beam in the Tevatron. The Tevatron electron lenses have been found to be the most effective [4]. As explained in this section, the advantages of the TELs are twofold: (i) an electron beam is in close proximity to proton or antiproton orbits and generates a very strong transverse kick; (ii) the TELs possess short rise and fall times (~ 100 ns), so they can be easily adjusted to operate in a variety of different pulsing schemes. Another uncaptured beam removal method tested during machine studies was a transverse strip line kicker operating with a narrow noise bandwidth. The kicker signal was timed into the abort gap to diffuse uncaptured beam particles transversely. With the noise power limited by a 300 W amplifier, that method was found significantly less effective than using the TELs [13]. Abort gap cleaning by very strong kicker magnets worked effectively in HERA and SPS [14].

TEL as the uncaptured beam cleaner

The Tevatron electron lenses #1 and #2 were installed in the Tevatron in 2001 and 2006, respectively, for compensation of beam-beam effects [15]. In 2002, it was found

FIG. 9. (Color) Structure of the beam in the tail end of the abort gap. Blue bars represent proton intensity; red curves are given for reference and show the Tevatron rf buckets.

FIG. 10. Layout and main components of the first Tevatron electron lens.

that TEL-1 can very effectively remove uncaptured protons if timed into the abort gap and operated in a resonant excitation regime [4]. TEL-2 is also able to function as an abort gap cleaner.

Figure 10 shows the layout of the TEL-1. The magnetic system of the TEL consists of a 65 kG superconducting (SC) main solenoid, four 8 kG and two 2 kG SC dipole correctors in the same cryostat, and conventional 4 kG gun and collector solenoids. The TEL cryostat is part of the Tevatron magnet string cooling system. A strong Π -shaped magnetic field is needed to guide the 10 kV electron beam from the electron gun through the interaction region, where electrons interact with high-energy (anti)protons, to the collector. The low-energy electron beam of about 4 mm in diameter is strongly magnetized and follows the magnetic field lines. SC dipole correctors allow precise steering, in position and angle, of the electron beam onto the beams circulating in the Tevatron.

To operate the TEL as the abort gap uncaptured beam remover, the electron beam pulse is synchronized to the abort gap and positioned near the proton beam orbit. Electric and magnetic forces due to the electron space charge produce a radial kick on high-energy protons depending on the separation d :

$$\Delta\theta = \mp \frac{1 \pm \beta_e}{\beta_e} \frac{2J_e L_e r_p}{ec\gamma_p} \begin{cases} \frac{d}{a}, & d < a \\ \frac{a}{d}, & d > a \end{cases} \quad (13)$$

where the sign reflects repulsion for antiprotons and attraction for protons, $\beta_e = v_e/c$ is the electron beam velocity, J_e and L_e are the electron beam current and the interaction length, a is the electron beam radius, r_p is the classical proton radius, and $\gamma_p = 1044$ is the relativistic Lorentz factor for 980 GeV (anti)protons. The factor $1 \pm \beta_e$ reflects the fact that the contribution of the magnetic force is β_e times the electric force contribution and depends on the direction of the electron velocity.

For 5 kV electrons with typical peak current of about 0.6 A and 5 mm away from the protons, the estimated kick is about $0.07 \mu\text{rad}$. When the pulsing frequency of the

TEL is near the proton beam resonant frequency, this beam-beam kick resonantly excites the betatron oscillations of the beam particles.

In the uncaptured beam removal operation, the TEL electron beam is placed 2–3 mm away from the proton beam orbit horizontally and about 1 mm down vertically as depicted in Fig. 11. For normal Tevatron operation, the fractional part of the tunes are $Q_x = 0.583$ and $Q_y = 0.579$ for horizontal and vertical planes, respectively. These tunes are placed between the strong resonances at $4/7 \approx 0.5714$ and $3/5 = 0.6$. When an uncaptured particle loses energy due to synchrotron radiation, its horizontal orbit is changed proportionally to the lattice dispersion $x = D_x(dP/P)$ and its betatron tunes are changed due to the lattice chromaticity $C_{x,y} = dQ_{x,y}/(dP/P)$:

$$Q_{x,y} = Q_{x,y}^0 + C_{x,y} \left(\frac{dp}{p_0} \right) + \Delta Q_{x,y}(x^2), \quad (14)$$

where the third term accounts for slight tune changes due to nonlinear magnetic fields. Typical operational chromaticities of the Tevatron at 980 GeV are set to $C_{x,y} \approx +10$, so the tune decreases with the energy loss. As the tune, driven by the TEL, approaches one of the resonant lines, the amplitude of the particle betatron oscillations grows, eventually exceeding a few millimeters until the particle is intercepted by the collimators. Figure 12 presents one set of the simulation results of the particle amplitude driven by the TEL to the vicinity of the $4/7$ resonance. The maximum amplitude is determined by the nonlinearity of the force due to the electron beam and the nonlinearity of the machine. Note that without the TEL, a particle would still be intercepted by a horizontal collimator after its orbit moved about 3 mm inward due to SR. The TEL simply drives it more quickly, preventing the accumulation of uncaptured beam.

The electron beam pulsing scheme is demonstrated in Fig. 13, where the green oscilloscope trace is the signal from the TEL beam position monitor (BPM) pickup electrode and the blue trace is the total electron current. In the

FIG. 11. (Color) The relative positions of the proton, antiproton, and electron beam during uncaptured beam removal.

BPM signal, one can see three negative pulses representing the electron beam pulses in the 3 abort gaps whereas the 36 positive pulses are the proton bunch signals with the small negative adjacent antiproton bunch signals. The intensity of the antiproton bunches was 10 times less than that of the proton bunches at the end of that particular store, so they appear only as very small spikes near the large proton bunches. During a typical HEP store, the train of three electron pulses is generated every 7th turn for the purpose of excitation of the $4/7$ resonance for the most effective removal of the uncaptured proton beam particles. The electron pulse width is about $1 \mu\text{s}$ and the peak amplitude is about 250 mV.

The uncaptured beam removal process was demonstrated in an experiment in which the TEL was turned off for about 40 min and then turned on again as shown in Fig. 14. The blue trace is the total bunched proton beam

intensity measured by the fast bunch integrator [9]; the red trace is the average electron current measured at the TEL electron collector; the green trace is the total number of particles in the Tevatron as measured by DCCT [9]; and the cyan trace is the abort gap proton beam loss rate measured by the CDF detector counters.

After the TEL was turned off, the abort gap loss rate was reduced by about 20% but then started to grow. After about 20 min, the first spikes in the losses started to appear and grow higher. Notably, the bunched beam intensity (blue line) loss rate did not change, so the rate of particles escaping from the rf buckets was about constant. As soon as the TEL was turned on, a large increase in the abort gap losses and reduction of the total uncaptured beam intensity could be seen (Fig. 14). About 15×10^9 particles of the

FIG. 12. (Color) Betatron oscillation amplitude of the particles driven by the TEL in the vicinity of the $Q = 4/7$ resonance line (simulations).

FIG. 13. (Color) Scope traces of the electron beam pulses (blue) and the TEL BPM signal showing electron, proton, and antiproton bunches. One division of the horizontal axis is 2 microseconds. About one Tevatron revolution period is shown here.

FIG. 14. (Color) Uncaptured beam accumulation and removal by TEL: the electron current was turned off and turned back on again 40 min later.

uncaptured beam in the abort gaps were removed by the TEL in about $\tau_{\text{TEL}} = 3$ minutes and the abort gap loss rate went back to a smooth equilibrium baseline.

The calibration of the abort gap monitor (AGM) has been performed using the TEL as presented in Fig. 15. The TEL was turned off during a store (average electron current is shown in black) at about $t = 20$ min. Accumulation of the uncaptured beam started immediately and can be measured as an excess of the total uncaptured beam current with respect to its usual decay. The blue line in Fig. 15 shows the excess measured by the Tevatron DCCT,

FIG. 15. (Color) Uncaptured beam accumulation and removal by the TEL. The black line represents the average electron current of the TEL; the red line is the uncaptured beam estimated from the DCCT measurement; the blue line is uncaptured beam in the abort gap measured by the AGM.

$\delta N_{\text{DCCT}}(t) = N_{\text{TEL on}}(t) - N_{\text{decay fit TEL off}}(t)$. The abort gap uncaptured beam intensity measured by the AGM (red line) and the DCCT excess grow for about 30 minutes before reaching saturation at intensity of about 16×10^9 protons. Then the TEL was turned on resulting in the quick removal of the accumulated uncaptured beam from the abort gaps. This method of calibration of the AGM with respect to DCCT interferes with the collider operation resulting in higher losses (see Fig. 14 above and discussion), so this operation is performed only when required. The AGM is used for the routine monitoring of the uncaptured beam. The typical rms error of the uncaptured beam intensity measurement is about 0.01×10^9 protons for the AGM, and some 0.3×10^9 protons for the DCCT.

The amount of the uncaptured beam is determined by the rate of its generation and the removal time τ :

$$N_{\text{DC}} = \left(\frac{dN_{\text{bunched}}}{dt} \right) \times \tau. \quad (15)$$

The characteristic time needed for a 980 GeV particle to lose enough energy due to SR is about $\tau_{\text{SR}} = 20$ minutes, so the TEL reduces the uncaptured beam population by about 1 order of magnitude.

At injection energy, the synchrotron radiation of protons is negligible, so the TEL is the only means to control uncaptured beam. As noted above, one of the TELs is used routinely in the Tevatron operation for the purpose of uncaptured beam removal at 150 and 980 GeV. In 2007, the typical antiproton intensity increased to about a third of the proton intensity, and therefore the antiproton uncaptured beam accumulation started to pose an operational threat. An antiproton AGM, similar to the proton one, has been built and installed. By proper placement of the TEL electron beam between the proton beam and the antiproton beam (illustrated in Fig. 11), we are able to remove effectively both uncaptured protons and uncaptured antiprotons. In addition, we have explored the effectiveness of the uncaptured beam removal at several resonant excitation frequencies. For that, we have pulsed the TEL every 2nd, 3rd, 4th, 5th, 6th, and 7th turn. Reduction of the uncaptured beam intensity was observed at all of them, though usually the most effective was the every 7th turn pulsing when the Tevatron betatron tunes were close (slightly above) to $Q_{x,y} = 4/7 = 0.571$ or every 6th turn pulsing when tunes were closer to $Q_{x,y} = 7/12 = 0.583$.

V. CONCLUSIONS

Uncaptured beam has been found to be very dangerous for Tevatron operation in the collider run II. We identified the main mechanisms of uncaptured beam generation, namely intrabeam scattering and longitudinal instabilities, are dominant at the injection energy of 150 GeV and at the top energy of 980 GeV while rf noise and rf cavity trips contribute occasionally at 980 GeV. Sensitive uncaptured beam diagnostics have been developed on the basis of the

synchrotron light monitors. The uncaptured beam intensity is controlled by using the Tevatron electron lenses for the removal of uncaptured particles. The TEL electron beam is synchronized with abort gaps and resonantly excites betatron oscillations of the (anti)protons which are then lost on the tightest beam aperture (collimators). The TELs smoothly remove the uncaptured beam from the abort gap within minutes. Experience with the uncaptured beam in the Tevatron, as well as in other hadron colliders such as HERA and SPS [14], provides valuable input for uncaptured beam control in CERN's large hadron collider [16].

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