

First Constraints on Nuclear Coupling of Axionlike Particles from the Binary Neutron Star Gravitational Wave Event GW170817

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Light axion fields, if they exist, can be sourced by neutron stars due to their coupling to nuclear matter, and play a role in binary neutron star mergers. We report on a search for such axions by analyzing the gravitational waves from the binary neutron star inspiral GW170817. We find no evidence of axions in the sampled parameter space. The null result allows us to impose constraints on axions with masses below 10^{-11} eV by excluding the ones with decay constants ranging from 1.6×10^{16} to 10^{18} GeV at a 3σ confidence level. Our analysis provides the first constraints on axions from neutron star inspirals, and rules out a large region in parameter space that has not been probed by the existing experiments.

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Introduction.—Axions are hypothetical scalar particles that generally appear in many fundamental theories. An archetypal example is the QCD axion, a pseudoscalar field proposed to solve the strong CP problem [1–4]. Light axions are also a unique prediction of string theory [5,6], as well as one of the most compelling candidates for dark matter [7–9].

Axions have been constrained by measuring the energy loss and energy transport in various astrophysical objects, such as stars [10–12] and supernova 1987A [13,14]. Further constraints can be imposed if axions make up all of the dark matter in our Universe [15–19]. In addition, axions with weak self-interactions could lead to black hole superradiance, and hence are constrained by the black hole spin measurements [20–25], the polarimetric observations [26], and the gravitational waves (GWs) emitted by the superradiance cloud [27–33]. Bosonic fields may also form compact objects that have GW implications [34].

In this Letter, we report on a new search for certain axions using GW170817, the GWs from a binary neutron star (NS) inspiral detected by LIGO and Virgo [35,36]. We focus on axions that couple to nuclear matter in the same way as the QCD axion, but with masses that are relatively light [38,39]. Such axions can be sourced by NSs and affect the dynamics of binary NS coalescence, leaving potentially detectable fingerprints in the inspiral waveform [40,41]. To search for such axions, we perform a Bayesian analysis of GW170817 taking into account the possible dephasing caused by the axions. The posterior distribution over the waveform parameters suggests no significant evidence for such axion fields. As shown in Fig. 1, this null result excludes a large region of the axion parameter space, much of which has not been probed by existing experiments. Importantly, our constraints are independent of the assumption that axions are the dark matter, which is required for the constraint from big bang nucleosynthesis (BBN) [16]. In this Letter, we use the conventions $\hbar = c = 1$.

Neutron stars with axions.—We consider axions that couple to nuclear matter in a similar way as the QCD axion. The low energy effective potential is [40]

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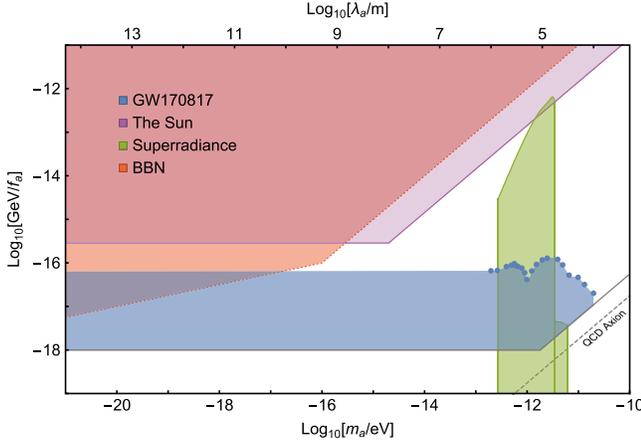


FIG. 1. Constraints on the axion parameter space. m_a is the mass of the axion field, and f_a is the axion decay constant. The blue dots show the masses of axion fields that are sampled in this Letter, and the corresponding 3σ constraints on f_a from GW170817. For $f_a \gtrsim 1.6 \times 10^{16}$ GeV, the GW170817 data cannot distinguish waveforms with $m_a \lesssim 10^{-13}$ eV, allowing us to extrapolate the constraints on small m_a to the massless limit and to exclude the existence of axions in the blue regime. Axions in the purple region could also be significantly sourced by the Earth and the Sun, and hence are excluded [40]. In addition, we show the 3σ constraint from the spin measurements of the stellar mass black holes (Cyg X-1 and GRS 1915 + 105) [25] (in green), as well as the 1σ constraint on axion dark matter from the BBN [16] (in red).

$$V(a) = -m_\pi^2 f_\pi^2 \epsilon \sqrt{1 - \frac{4m_u m_d}{(m_u + m_d)^2} \sin^2\left(\frac{a}{2f_a}\right)}, \quad (1)$$

where f_a is the axion decay constant, m_π and f_π are the pion mass and decay constant, and $m_{u,d}$ stands for the mass of the up, down quarks. Assuming $\epsilon < 0.1$, the mass of the axions is $m_a \simeq \sqrt{\epsilon} m_\pi f_\pi / f_a$, and is lighter than the mass of the QCD axion. In vacuum, the axion field is expected to stay at the minimum of its potential $a = 0$. Inside a dense object, such as a NS, the axion potential receives finite density corrections [42],

$$V(a) = -m_\pi^2 f_\pi^2 \left\{ \left(\epsilon - \frac{\sigma_N n_N}{m_\pi^2 f_\pi^2} \right) \left| \cos\left(\frac{a}{2f_a}\right) \right| + \mathcal{O}\left[\left(\frac{\sigma_N n_N}{m_\pi^2 f_\pi^2}\right)^2\right] \right\}, \quad (2)$$

where n_N is the number density of nucleons, and $\sigma_N \simeq 59$ MeV [43,44]. For $\epsilon < 1$, the axion potential inside the dense object can change sign while the perturbation theory is still valid. If the radius of the dense object is larger than the critical radius

$$R_{\text{crit}} \equiv \frac{2f_a}{\sqrt{\sigma_N n_N - \epsilon m_\pi^2 f_\pi^2}}, \quad (3)$$

a phase transition occurs, shifting the vacuum expectation value of the axion field from 0 to $\pm\pi f_a$ inside the dense object. Assuming NSs have a radius on the order of 10 km, this phase transition generally happens inside NSs for axions with $f_a \lesssim 10^{18}$ GeV. As a result, the NS develops an axion profile, interpolating from $\pm\pi f_a$ near the NS surface to 0 at spatial infinity.

In this case, the axion field mediates an additional force between NSs, with strength that could in principle be as strong as gravity. The axion force cannot be sourced by nuclei (as nuclei are too small to trigger the phase transition), and can therefore avoid fifth force constraints in laboratories. At leading order, the axion force between two NSs is

$$\mathbf{F}_a = -\frac{Q_1 Q_2}{4\pi r^2} (1 + m_a r) \exp[-m_a r] \hat{\mathbf{r}}, \quad (4)$$

where $Q_{1,2}$ is the axion charge carried by each NS and is related to the NS radius $R_{1,2}$ through

$$Q_{1,2} = \pm 4\pi^2 f_a R_{1,2}. \quad (5)$$

The axion force can be either attractive or repulsive, depending on whether the axion field values are of the same or opposite sign on the surfaces of the two NSs. Moreover, the axion force is only “turned on” if the two NSs are within the axion’s Compton wavelength $\lambda_a \equiv 1/m_a$.

If such NSs form binaries, the axion field might also radiate axion waves during binary coalescence. For circular orbits, the leading order radiation power is

$$P_a = \frac{(Q_1 M_2 - Q_2 M_1)^2}{12\pi(M_1 + M_2)^2} r^2 \Omega^4 \left(1 - \frac{m_a^2}{\Omega^2}\right)^{3/2}, \quad (6)$$

where Ω is the orbital frequency and r denotes the separation between the two NSs of masses M_1 and M_2 . According to Eq. (6), the axion radiation is turned on only when the orbital frequency is larger than the axion mass. The axion force as well as the axion radiation power are calculated to the next-to-leading order in Ref. [41].

Waveform template.—Inspirals in the presence of a generic massive scalar field have been studied in Refs. [41,45–51], among which corrections of the scalar field on the general relativity (GR) waveforms are calculated to the first post-Newtonian (PN) order in [41]. The waveform template cannot be written in a closed analytic form, and cannot be described by the usual PN templates, e.g., the one used in Ref. [52]. In our analysis, the waveform is generated by a modified

TaylorF2 template, in which the frequency domain waveform is given by

$$h(f) \simeq H(f) \exp [i\Psi(f)]. \quad (7)$$

Since the existing analyses of GW170817 [35,53] show good agreement with GR, the axion charges, if nonzero, must be very small, which allows us to expand Ψ as

$$\Psi = \Psi_{\text{GR}} + \Psi_a + \mathcal{O}(Q_{1,2}^4) + \mathcal{O}(Q_{1,2}^2 v^2). \quad (8)$$

Here Ψ_{GR} is the phase in the usual TaylorF2 template in the PyCBC package [54], Ψ_a is the leading order phase correction caused by the axion field, and v^2 counts the PN order. The expression of Ψ_a can be found in the Supplemental Material [55]. In practice, we only consider the leading order correction caused by the axion field, which is justified by the necessary smallness of the axion charge.

Generally, taking into account the leading correction from a massive scalar field introduces three parameters in the waveform template, i.e., the scalar charge of each star and the mass of the scalar field. In our case, the two charges Q_1 and Q_2 are given by Eq. (5) and hence are not independent. Thus, we define

$$\gamma_a \equiv \frac{Q_1 Q_2}{4\pi G M_1 M_2}, \quad (9)$$

a dimensionless parameter that characterizes the relative strength of the axion and gravitational force between the two NSs. The effects of the axion field are then parametrized by m_a and γ_a . In order to obtain each charge $Q_{1,2}$ from γ_a , we first use the universal $\Lambda - C$ relation [56–58] to compute the compactness and hence the radius of each NS. Then with Eq. (5) we compute Q_1/Q_2 , and eventually obtain the two charges Q_1 and Q_2 that are used to generate the waveform.

Moreover, we assume the two NSs obey the same equation of state (EOS), in which case their tidal deformabilities Λ_1 and Λ_2 are related. Following Ref. [53], we consider that the symmetric tidal deformability $\Lambda_s \equiv (\Lambda_2 + \Lambda_1)/2$, the antisymmetric tidal deformability $\Lambda_a \equiv (\Lambda_2 - \Lambda_1)/2$, and the mass ratio of the binary $q \equiv m_2/m_1 \leq 1$ are related through an EOS-insensitive relation $\Lambda_a(\Lambda_s, q)$ [59,60]. In Bayesian analysis, we sample uniformly in the symmetric tidal deformability $\Lambda_s \in [0, 2000]$, while Λ_a and hence Λ_1 and Λ_2 are obtained using the EOS-insensitive relation $\Lambda_a(\Lambda_s, q)$ which is tuned to a large set of EOS models [61,62].

Bayesian inference.—To search for axions, we scan the parameter space by sampling axion fields with different masses (see Fig. 1 for the masses). In addition, we also consider the massless limit $m_a = 0$. For each mass, we perform a Bayesian analysis of GW170817, taking into

account the possible dephasing caused by the axion field in the inspiral waveform. In particular, we consider a set of parameters $= (\gamma_a, \vartheta_{\text{NS}})$, and evaluate the posterior probability density function $p(\vartheta|d)$ given the GW170817 data d . Here ϑ_{NS} includes chirp mass \mathcal{M} , mass ratio q , coalescence time, coalescence phase, polarization, inclination, spins of two NSs, and symmetric tidal deformability which are defined in the usual TaylorF2 waveform template. In these analyses, we fix the luminosity distance $D_L = 40.7$ Mpc [63] and the sky localization (RA, Dec) = (197.450374, -23.381495) [64] for GW170817, as they have been accurately measured independently.

In order to determine the posterior distribution over the parameters ϑ , we make use of the Markov-chain Monte Carlo algorithm as implemented in the PyCBC package [54]. For the likelihood calculation, we use GW170817 data version 3 released by the LIGO and Virgo scientific collaboration on a GW open science center [65], and assume a Gaussian noise model with a low frequency cutoff of 20 Hz. We only use LIGO Hanford and Livingston data, since the signal to noise ratio (SNR) of Virgo data is far smaller [35].

The priors on γ_a are chosen to be $(-0.1, 0.1)$. The sign of γ_a indicates whether the axion force is attractive or repulsive. In principle, the probability of an attractive or repulsive axion force can be different, depending on the formation history of the binary. Nevertheless, we assume the same prior on positive and negative γ_a for simplicity.

Results.—We focus on the posteriors over γ_a , which are shown in Fig. 2 as a function of the axion Compton wavelength. The posteriors show no significant evidence for nonzero γ_a , and are compatible with $\gamma_a = 0$ at $a3\sigma$ confidence level over the full range of axion masses sampled.

The standard deviation of γ_a increases dramatically when λ_a becomes smaller than 10 GM_\odot , in which case λ_a becomes less than the NS radii, and the effects of the axion field is suppressed. On the other hand, for $\lambda_a \gtrsim r_{\text{cut}}$, where $r_{\text{cut}} \simeq 110 \text{ GM}_\odot$ is the separation between the two NSs corresponding to the 20 Hz low frequency cutoff, the axion force [Eq. (4)] behaves like a Newtonian force during the whole observed inspiral stage. Without axion radiation, γ_a would be highly degenerate with the chirp masses \mathcal{M} . This is indeed the case for $\lambda_a \sim 135 \text{ GM}_\odot$, where the axion radiation is still not significant, and the standard deviation of γ_a is large due to the degeneracy between γ_a and \mathcal{M} . As λ_a increases, the axion radiation becomes significant and breaks this degeneracy, especially for negative γ_a . For positive γ_a , the charge difference is small if the radii of the two NSs are comparable; thus, the axion radiation is always weaker than for negative γ_a . This is also why the constraints on negative γ_a are better than those for positive γ_a at large λ_a . The degeneracy can also be partially broken by considering the induced charge effect studied in Ref. [41], which could improve the constraints at large λ_a by a factor of roughly 2.

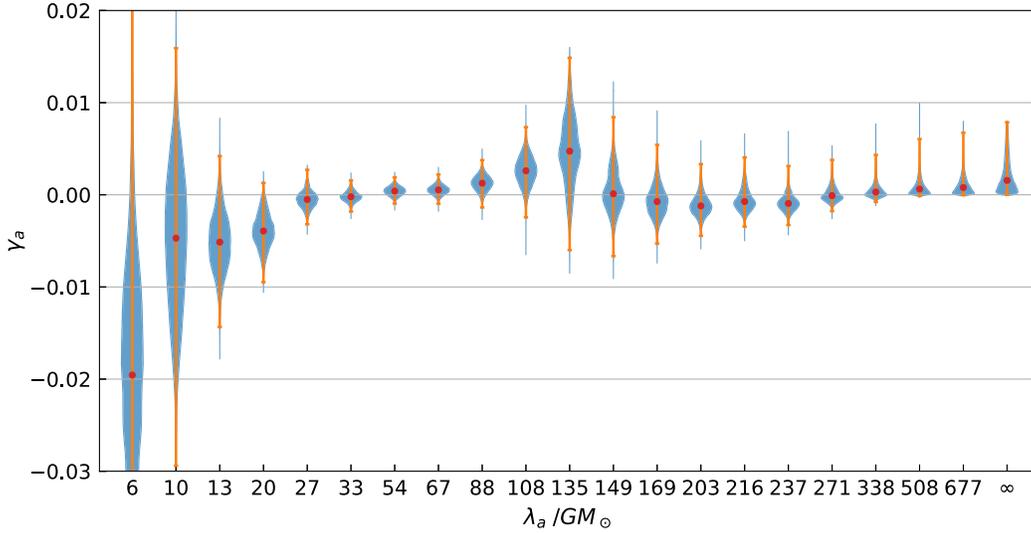


FIG. 2. Posteriors on γ_a of axions with different masses. $\lambda_a \equiv 1/m_a$ is the Compton wavelength. The horizontal bars mark the 3σ standard deviations. The deviation increases rapidly at small λ_a as the axion effects are suppressed by m_a . The deviation is large around $\lambda_a \sim 135 \text{ GM}_\odot$ due to the degeneracy between γ_a and the chirp mass \mathcal{M} . This degeneracy is partially broken (especially for $\gamma_a < 0$) at large λ_a by the axion radiation. The posteriors eventually approach to that in massless limit (noted as $\lambda_a = \infty$) since the GW170817 data is insensitive to waveform with $|\gamma_a| \leq 10^{-2}$ at large λ_a .

The posteriors on γ_a become stable for $\lambda_a > 338 \text{ GM}_\odot$. This is because $|\gamma_a|$ is constrained to be smaller than 10^{-2} for axions with mass $\lambda_a > 338 \text{ GM}_\odot$. With such a small $|\gamma_a|$, the phase difference is less than $\mathcal{O}(1)$, and hence the GW170817 data has no distinguishing power. Indeed, we find that the posteriors with $\lambda_a > 338 \text{ GM}_\odot$ eventually approach the posterior in the massless limit. The insensitivity of posterior on large λ_a allows us to also impose constraints on axions with $\lambda_a > 338 \text{ GM}_\odot$.

To draw conclusions about axion fields, we project the 3σ constraints on γ_a onto the decay constant f_a . We combine the constraints from positive and negative γ_a by picking the weakest one. As shown in Fig. 1, the constraints on γ_a translate to a constraint of $f_a < 1.6 \times 10^{16} \text{ GeV}$ on axions with $m_a \leq 10^{-11} \text{ eV}$. On the other hand, for axions with $f_a > 10^{18} \text{ GeV}$, the critical radius is so large that NSs cannot trigger the phase transition. In other words, axions with $f_a > 10^{18} \text{ GeV}$ cannot be sourced by NSs even if they exit and are free from the NS inspiral constraint. Therefore, our analysis indicates that GW170817 imposes constraint on axions with masses below 10^{-11} eV by excluding the ones with decay constants $1.6 \times 10^{16} \text{ GeV} < f_a < 10^{18} \text{ GeV}$.

Discussion.—Our analysis provides the first constraint on axions from NS inspirals, and excludes a large parameter space that has not been probed by existing experiments. As a comparison, in Fig. 1 we show the 3σ constraint from the spin measurements of the stellar mass black holes (in green) [25], as well as the 1σ constraint on axion dark matter from BBN (in red) [16]. In addition, axions can be constrained by the absence of GWs emitted by the superradiance cloud around stellar mass black holes

[29–33]. Since this constraint is also based on the absence of the superradiance, it excludes a similar parameter space as the one that is excluded by the spin measurements of stellar mass black holes. We emphasize that our analysis imposes constraint on parameter space that cannot be covered by the existing experiments. For example, superradiance can only be used to probe axions whose Compton wavelength is comparable or slightly larger than the size of black holes. Therefore, the superradiance constraints, from both black hole spin measurements and the GWs emitted by superradiance clouds, cannot probe axions with very small masses due to the lack of the corresponding heavy black holes or the low superradiance efficiency. Moreover, our analysis does not rely on the assumption that the axions make up the dark matter, which is required for the BBN [16] and the neutron electric dipole moment (nEDM) [17,18] constraints. Especially, the kinetic energy and momentum of axions with $f_a \lesssim 10^{17} \text{ GeV}$ would change by more than $\mathcal{O}(1)$ near the Earth due to the finite density corrections; therefore, most of the constraint from the Earth based nEDM experiments are in question. Besides the above constraints, axions with smaller f_a (in purple region in Fig. 1) can be sourced by the Earth and the Sun for the same reason, and hence are excluded [40]. Also see Refs. [66,67] for constraints from pulsars.

We did not consider the induced charge effect, whose relative magnitude is $v^2 \exp(-m_a r)/C_{1,2}$ comparing to the axion effects considered in this Letter (see Supplemental Material [55]). This effect could become important at the late inspirals for axions with small masses, and could potentially extend the excluded region to $10^{16} \text{ GeV} < f_a < 10^{18} \text{ GeV}$ for $m_a \lesssim 10^{-14} \text{ eV}$. However, including

this effect requires further understanding on how the induced charges affect the axion radiations, and is beyond the scope of this work.

Constraint from binary NS inspirals can be further improved if the SNR of the merger event is enhanced, for example by stacking multiple binary NS merger events or with the next generation GW detectors. We expect the constraint on f_a to improve by a factor of \sqrt{N} if the SNR is improved by a factor of N . In addition, assuming a similar SNR as GW170817, the constraint could also be improved by roughly 2 orders of magnitude if we observe a NS-black hole merger, in which case the axion radiation is not suppressed by the small charge difference and there is no degeneracy between parameters for axions with small masses. A joint analysis of the events GW190425 [68] and GW190814 [69], which may contain NSs, is left for future work.

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